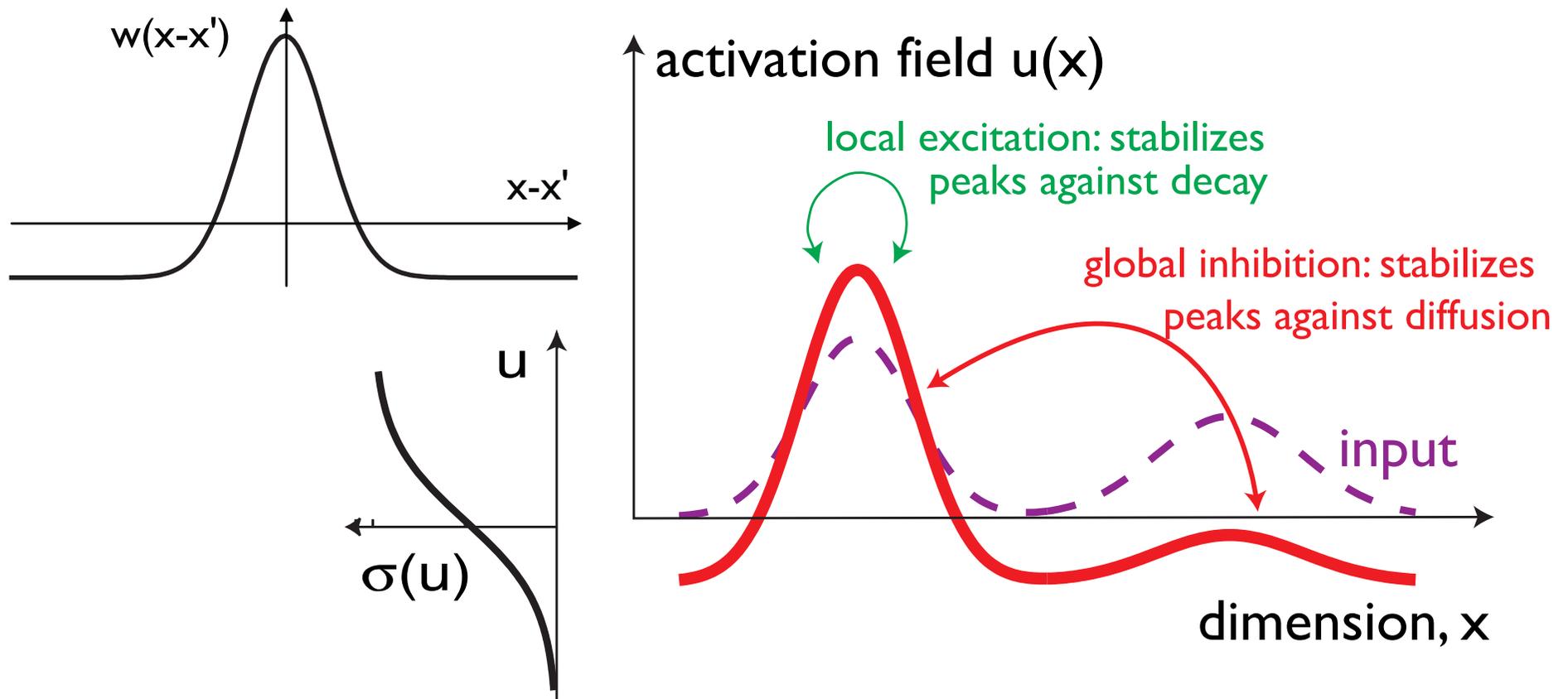


Dynamic Field Theory

Gregor Schöner

Neural dynamics of fields

- Peaks as stable states from intra-field interaction
- = local excitation/global inhibition



mathematical formalization

Amari equation

$$\tau \dot{u}(x, t) = -u(x, t) + h + S(x, t) + \int w(x - x') \sigma(u(x', t)) dx'$$

where

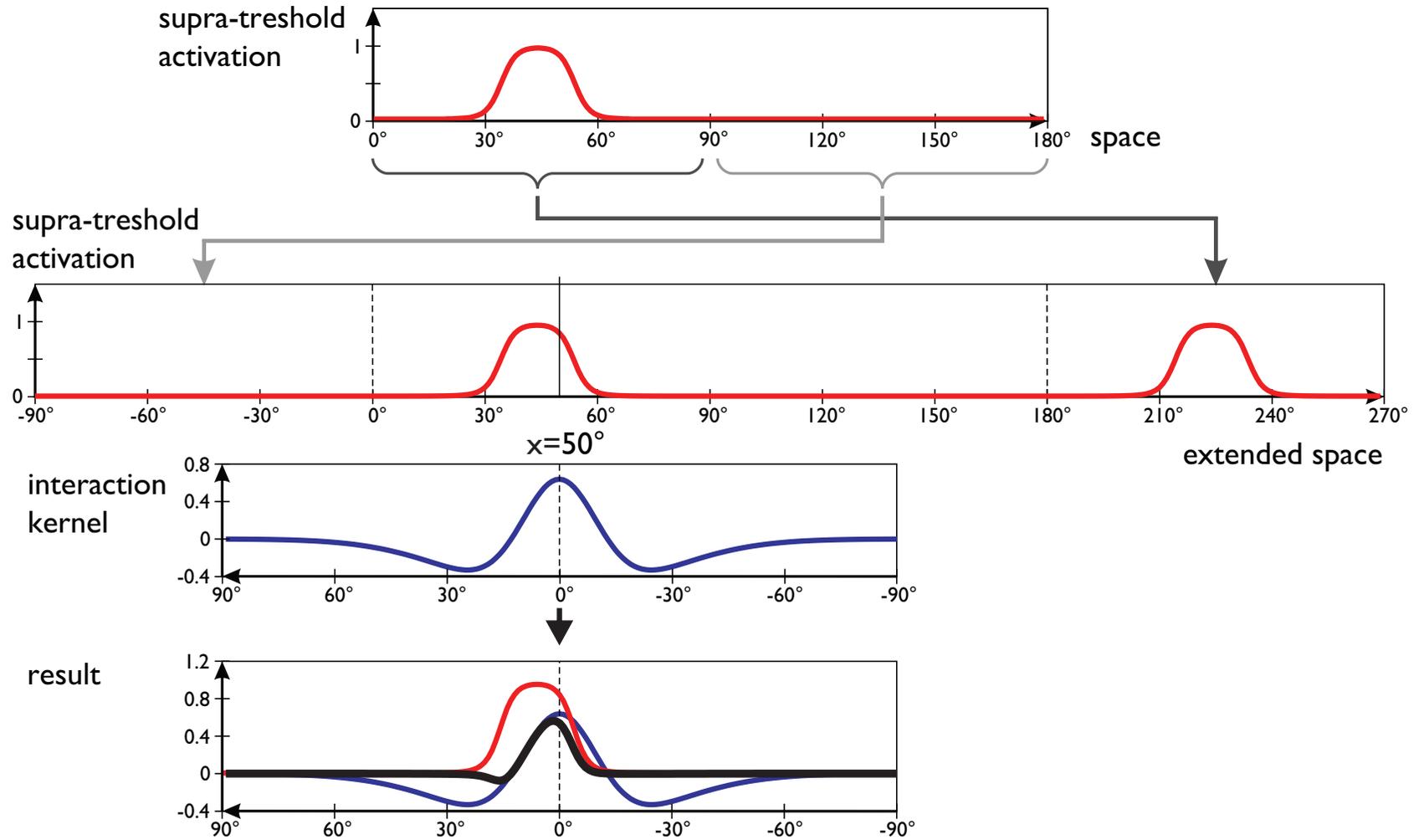
- time scale is τ
- resting level is $h < 0$
- input is $S(x, t)$
- interaction kernel is

$$w(x - x') = w_i + w_e \exp \left[-\frac{(x - x')^2}{2\sigma_i^2} \right]$$

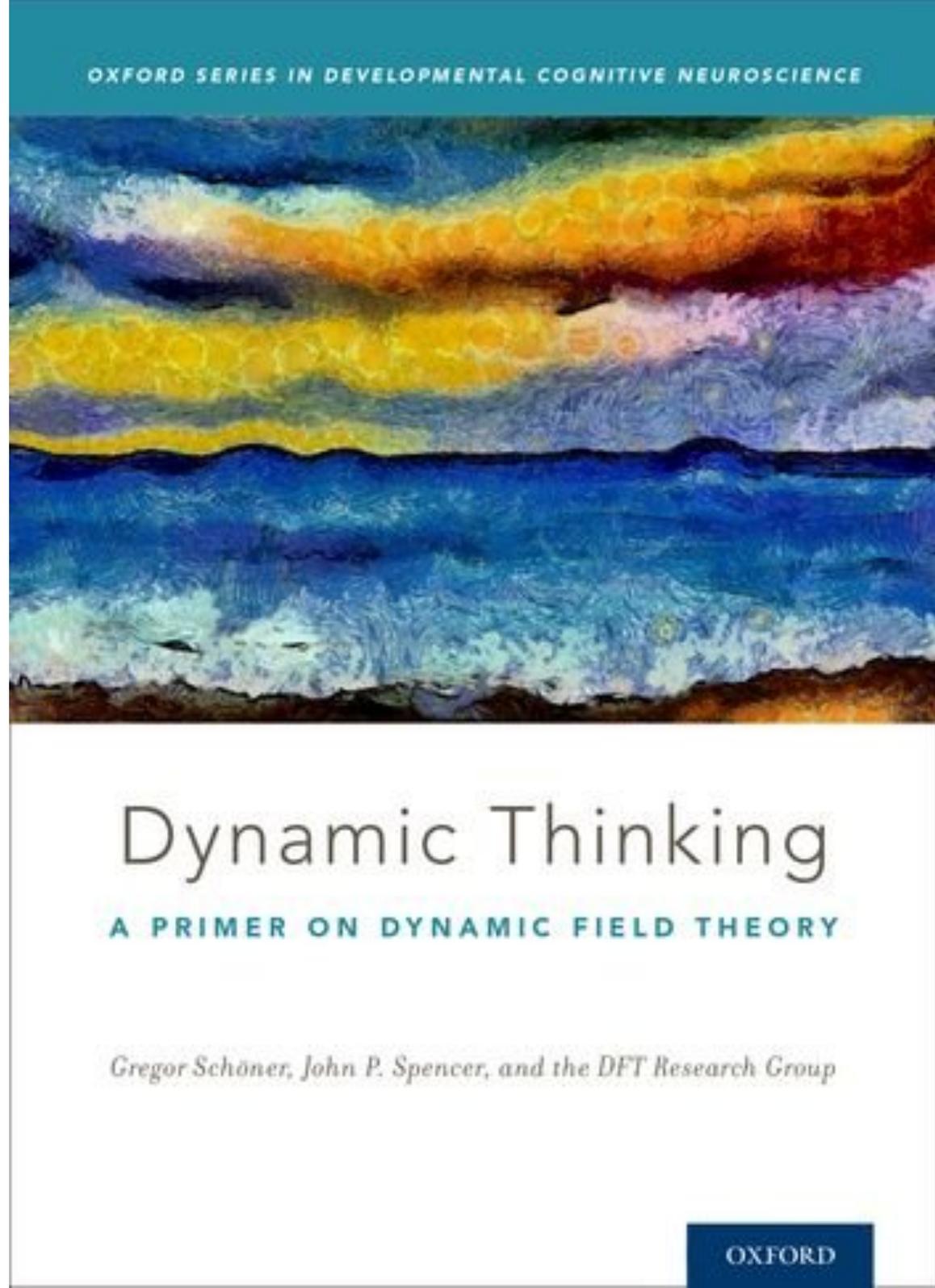
- sigmoidal nonlinearity is

$$\sigma(u) = \frac{1}{1 + \exp[-\beta(u - u_0)]}$$

Interaction: convolution



 dynamicfieldtheory.org



=> simulation

Attractors and their instabilities

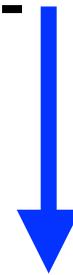
■ input driven solution (sub-threshold)

■ self-stabilized solution (peak, supra-threshold)

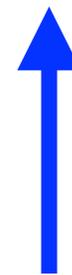
■ selection / selection instability

■ working memory / memory instability

■ boost-driven detection instability



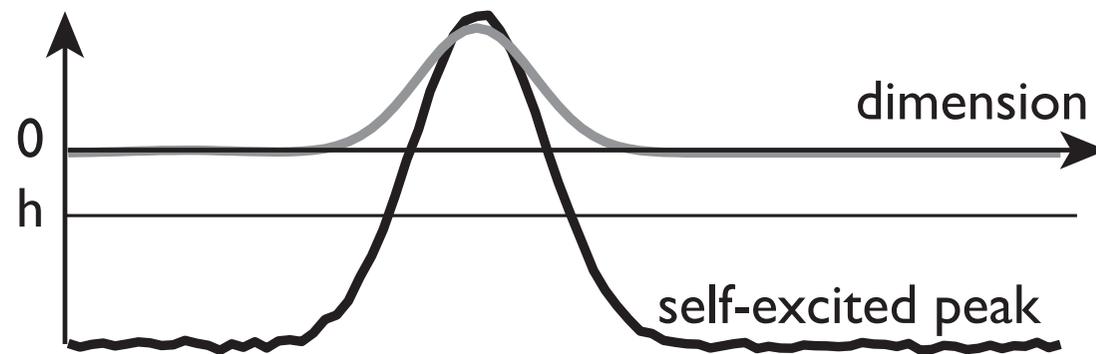
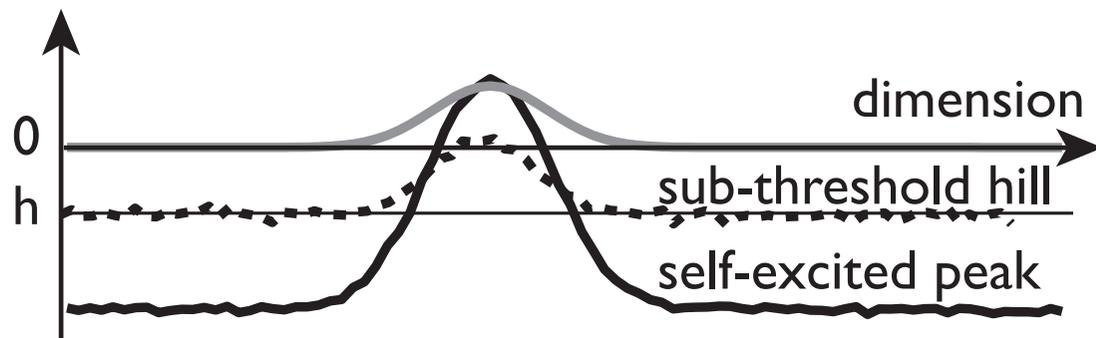
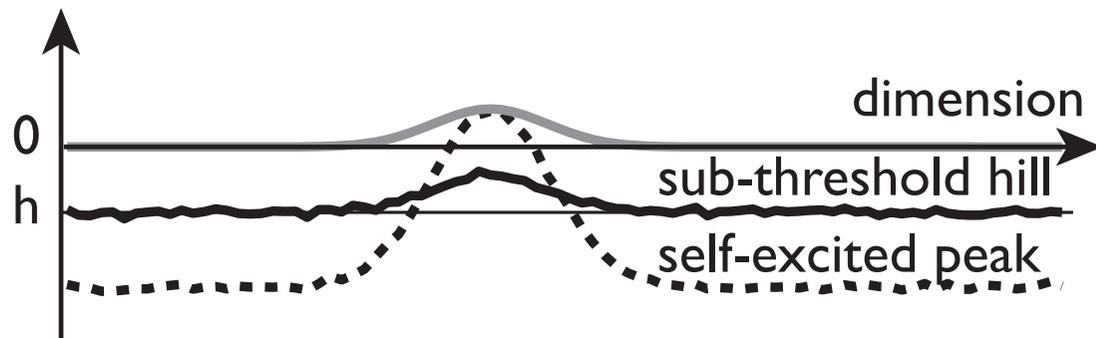
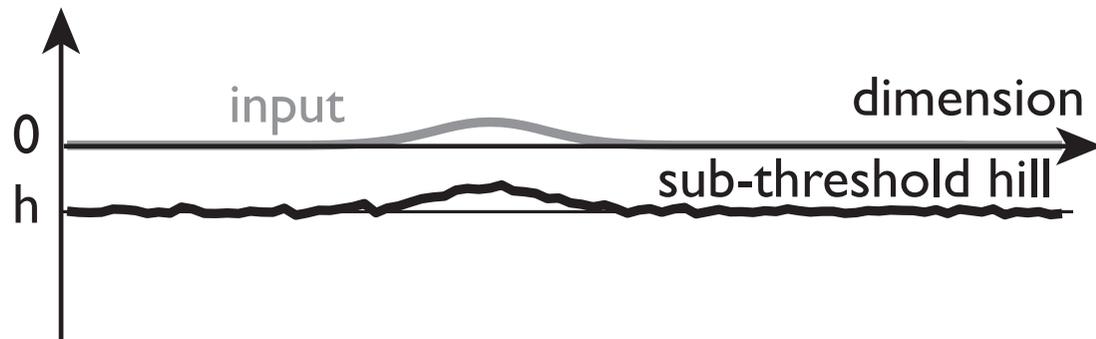
detection instability



reverse detection instability

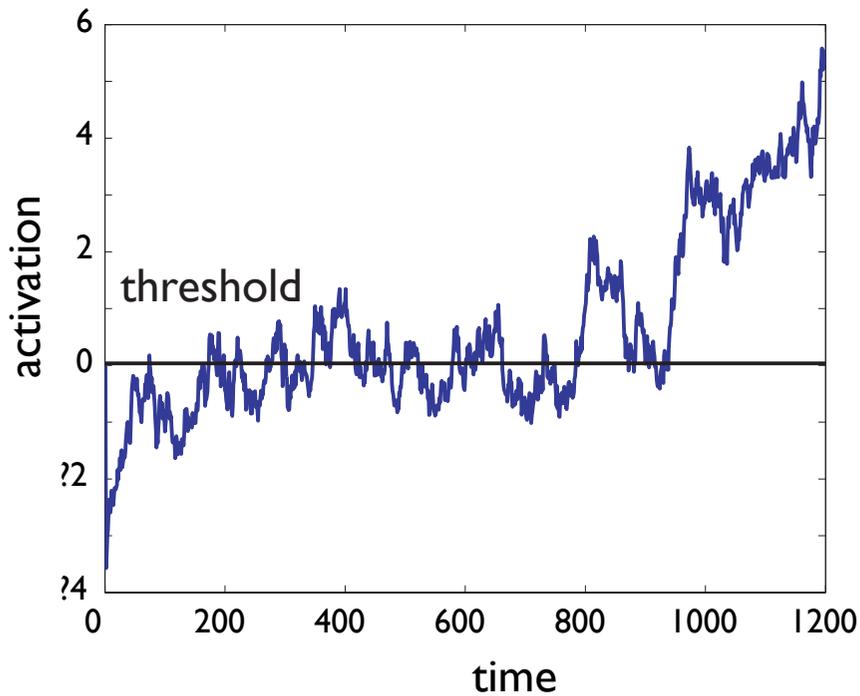
Noise is critical near instabilities

Detection instability

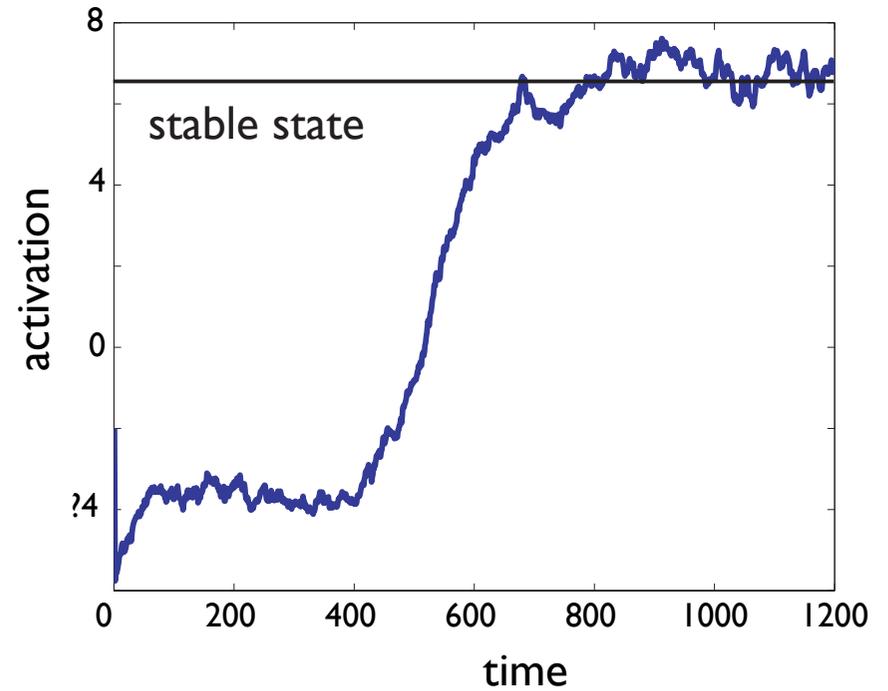


The detection instability stabilizes decisions

threshold piercing



detection instability

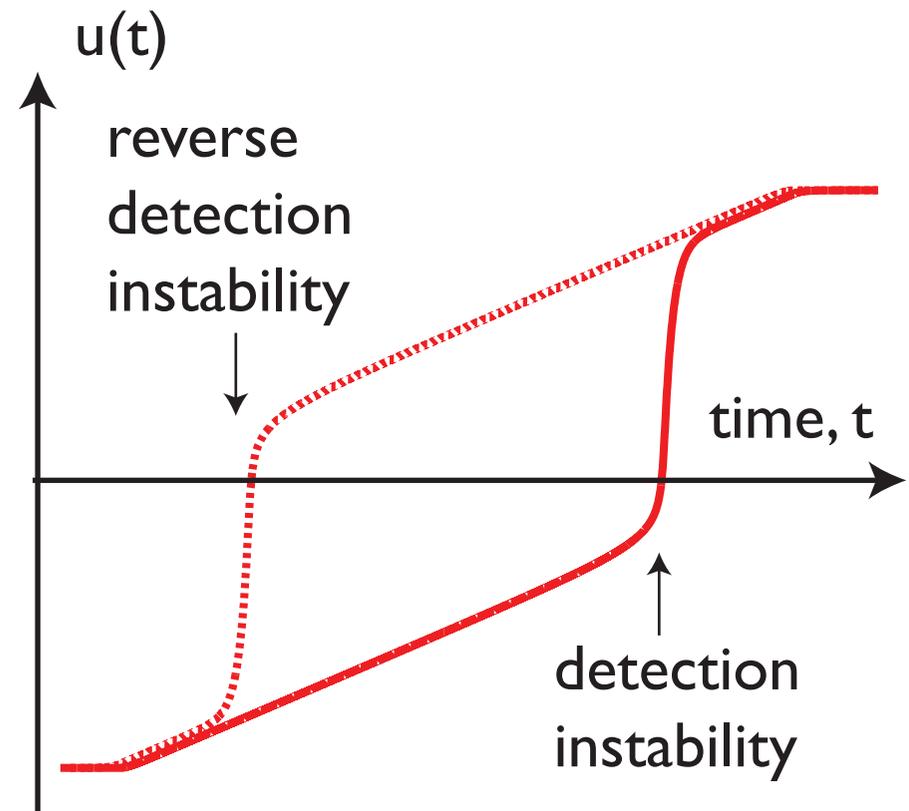


The detection instability stabilizes detection decisions

- self-stabilized peaks are macroscopic neuronal states, capable of impacting on down-stream neuronal systems
- (unlike the microscopic neuronal activation that just exceeds a threshold)

The detection instability leads to the emergence of events

- the detection instability explains how a time-continuous neuronal dynamics may create macroscopic events at discrete moments in time

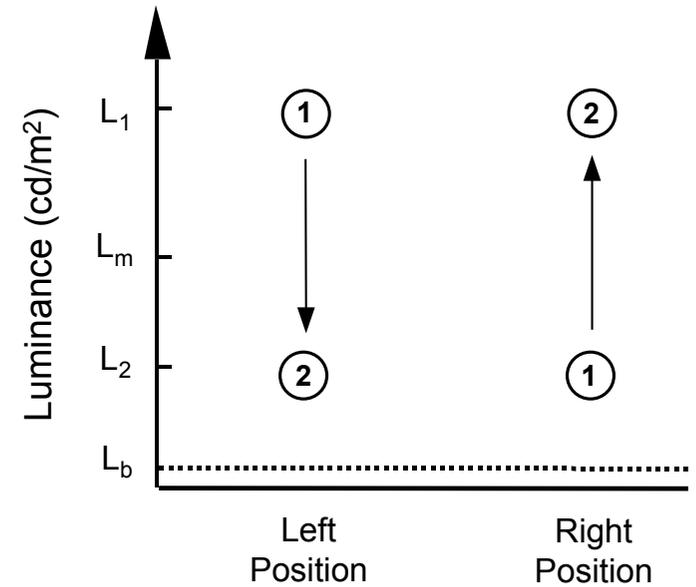
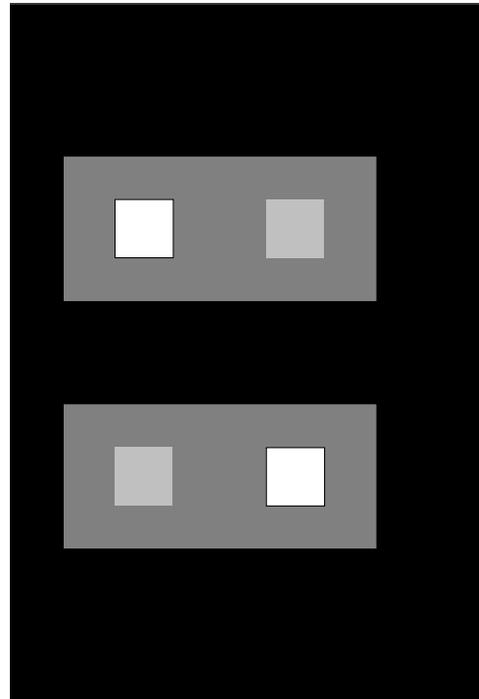


behavioral signatures of detection decisions

- detection in psychophysical paradigms is rife with hysteresis
- but: minimize response bias

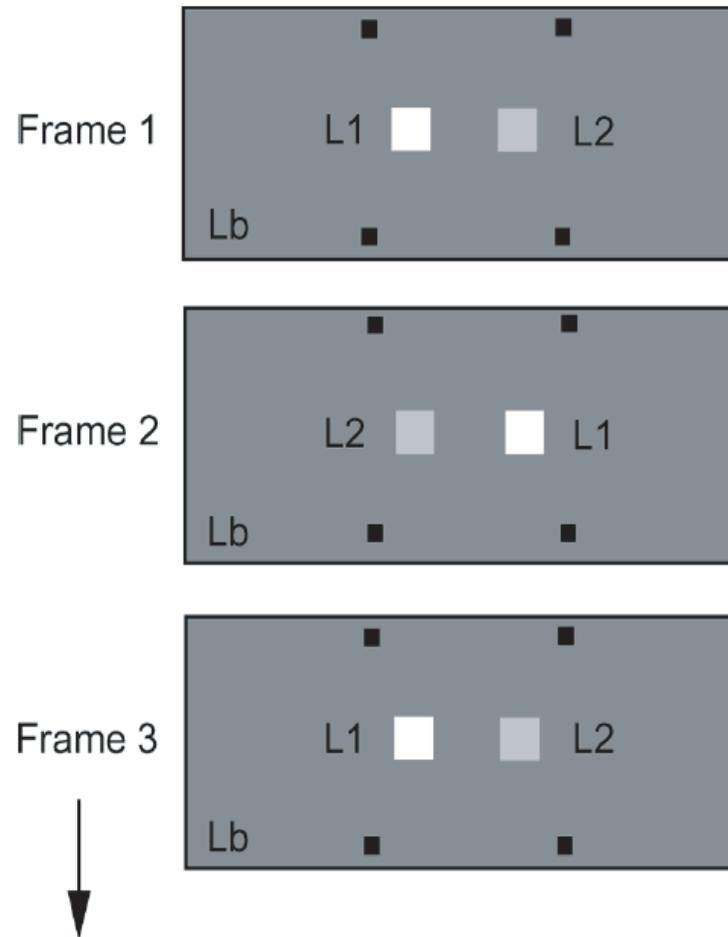
Detection instability

■ in the detection of Generalized Apparent Motion



Detection instability

 varying
BRLC



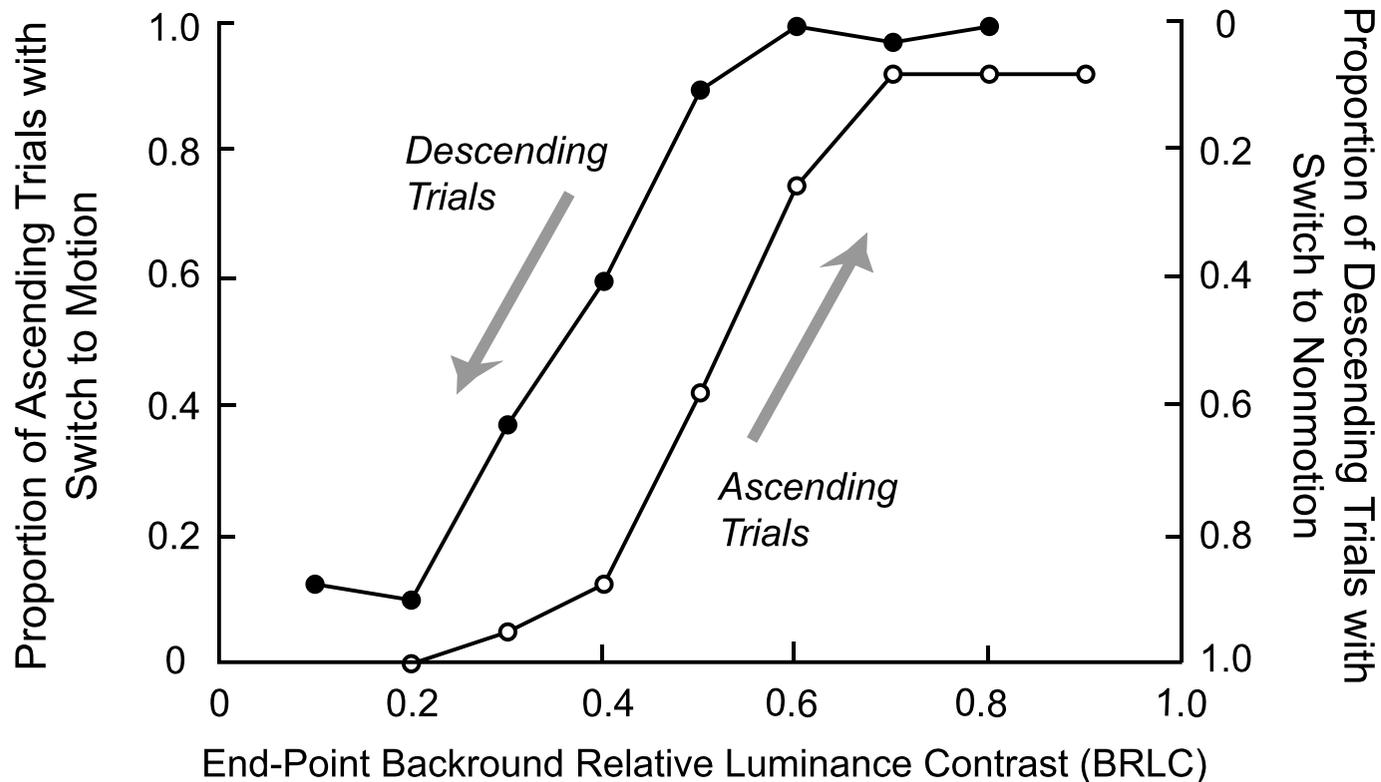
$$L_m = \frac{L_1 + L_2}{2}$$

$$\text{Background-Relative Luminance Change (BRLC)} = \frac{L_1 - L_2}{L_m - L_b}$$

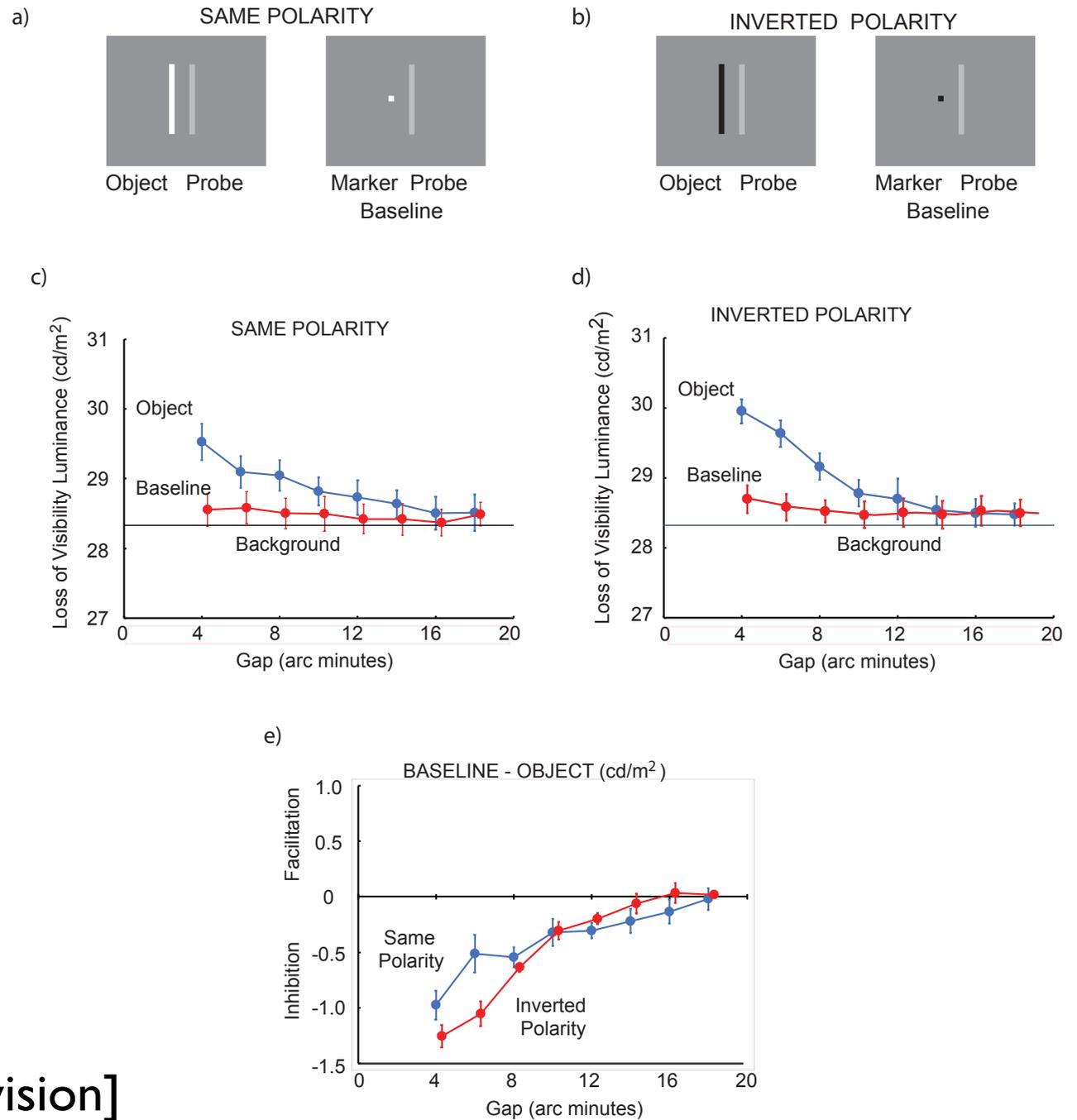
Detection instability

- hysteresis of motion detection as BRLC is varied
- (while response bias is minimized)

H. S. Hock, G. Schöner / Seeing and Perceiving 23 (2010) 173–195



Contrast detection

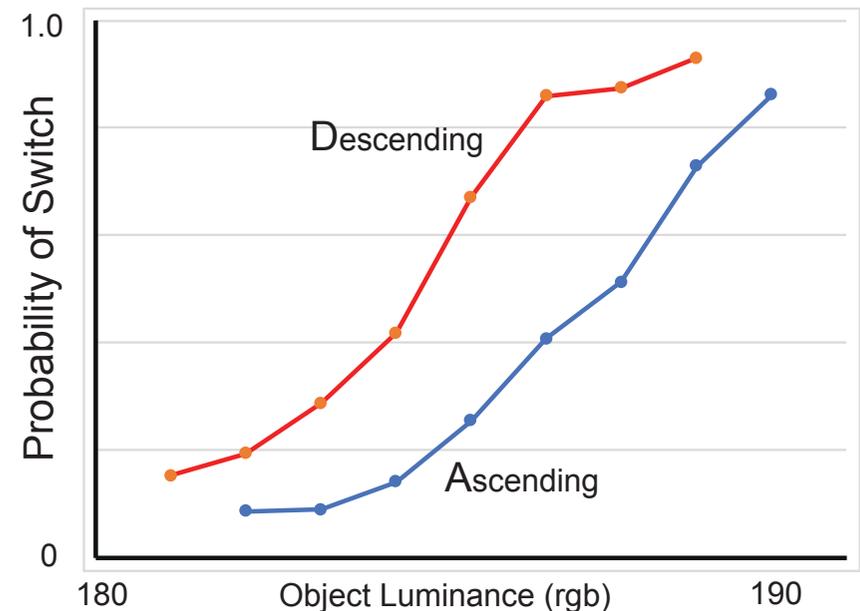


[Hock, Schöner, under revision]

Hysteresis in contrast detection

- ascending trials: increase luminance in steps, ending unpredictably... report contrast or not
- descending trials: decrease luminance in steps, ending unpredictably
- report change over initial percept (modified method of limits)
- object a 4 minutes distance suppresses probe detection at lowest luminance
- also helps to localize attention!
- between presentations, the object/probe pair jumps around on the screen unpredictably by < 1 deg

[Hock, Schöner, under revision]



Conclusion

- even the simplest of decisions=detection in the simplest settings (contrast) is state dependent...
- consistent with the notion of a detection instability at the basis of perception