

# Human motor control

Gregor Schöner

# Movement generation in animals

- movement generation adapted to and directed at a sensed environment is the core of animal experience... and a key evolutionary factor
- => animals are amazing autonomous movement machines..
- => the brain is strongly organized around movement generation... (the basis of a tradition of thought called “embodied cognition”)

# Human movement

- humans are particularly skilled at movement directed at objects
  - manipulation, compliant acting on objects
- humans are particularly flexible, versatile in their movement generation
  - while some other animals excel at particular specialized motor acts

# A landscape of human movement

- looking: eye and head movements (gaze)
- orienting the body in space, upright stance
- legged locomotion
- navigation
- steering
- reach, grasp, manipulate
- sequences of motor acts
- speech articulatory movement



# Qualities of human movement

- involuntary (reflexive)
- automatic/habitual (requires little attention)
- voluntary/intentional

# Qualities of human movement

- whole body movements in space
- movements of hand/arm or other extremities while anchored in space

# Qualities of human movement

- rhythmic

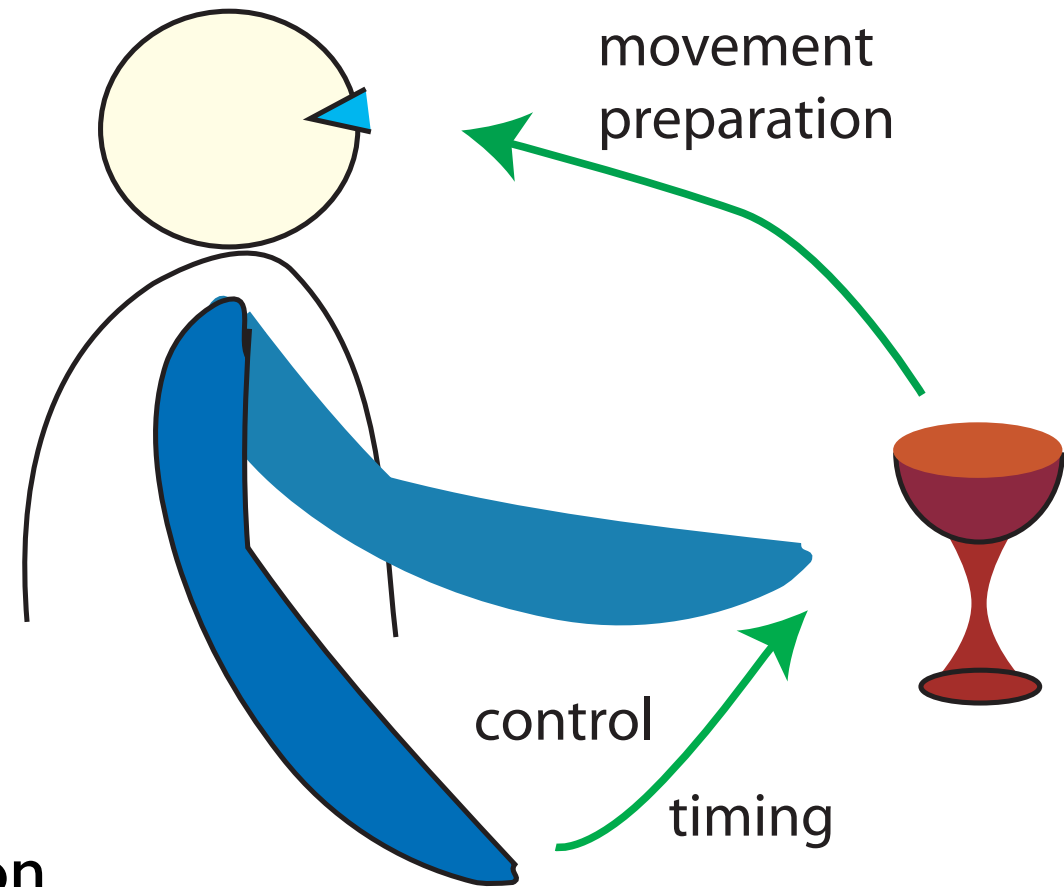
- discrete (in time)

# Textbooks

- David Rosenbaum: Human motor control, Academic Press, 2009 (2nd edition)
- Richard A Schmidt, Timothy D Lee: Motor Control and Learning, Human Kinematics, 2011 (5th edition)
- James Tresilian: Sensorimotor Control & Learning. Palgrave MacMillan, 2012

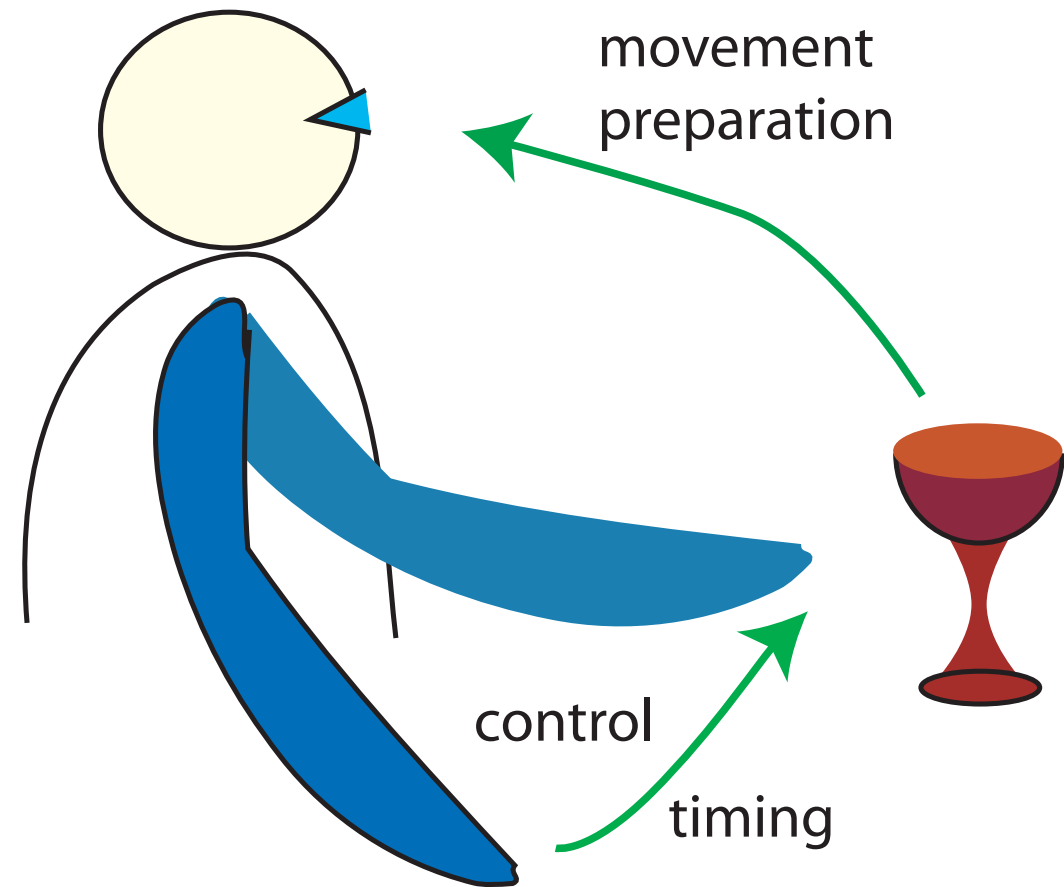
# What is entailed in generating an object-oriented movement?

- scene and object perception
- movement preparation
- movement initiation and termination
- movement timing and coordination
- motor control
- degree of freedom problem
- => spans perception, cognition and control

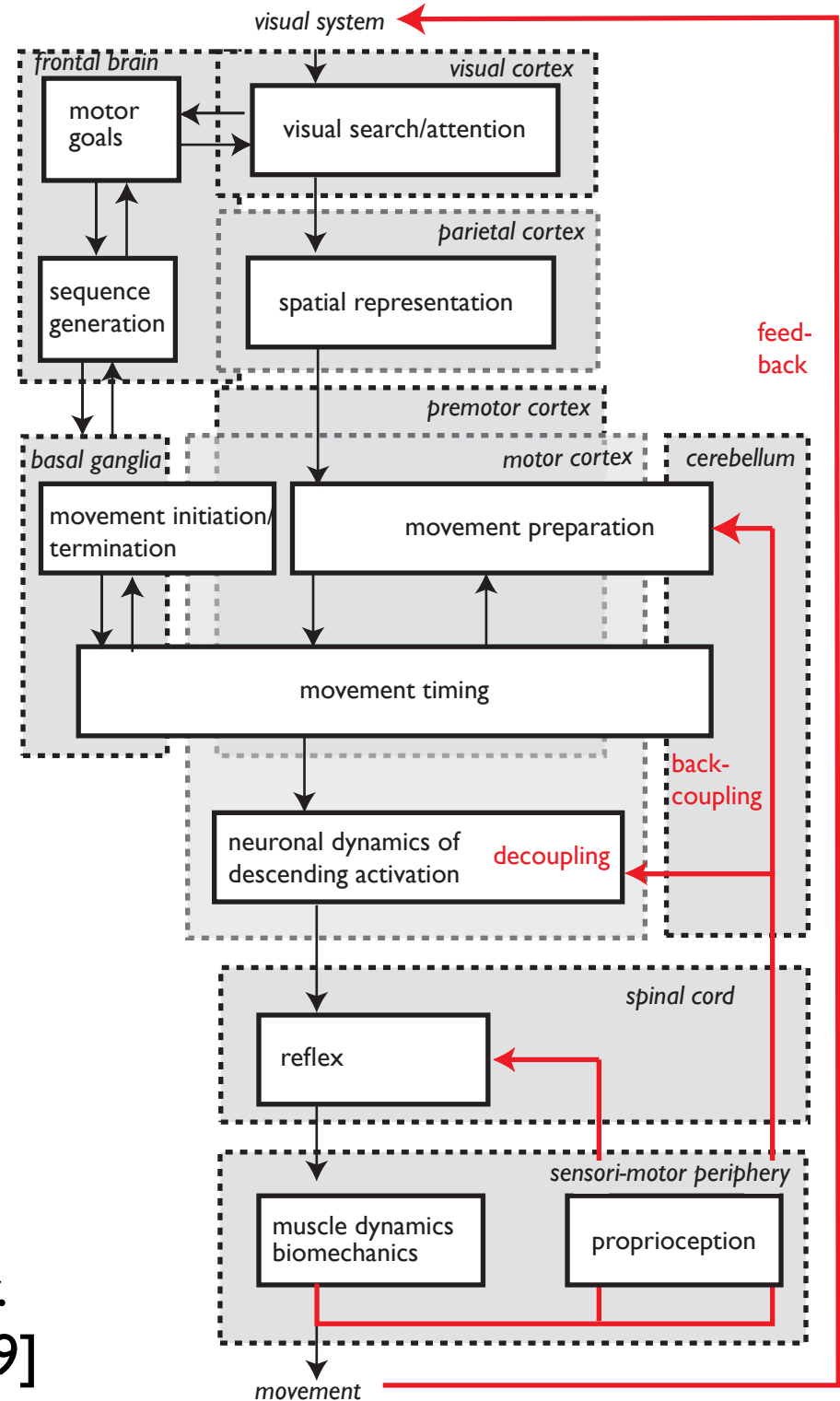


# What is entailed in generating an object-oriented movement?

- tightly interconnected processes
- which this is why movement is so hard to study
- critical to understand integration

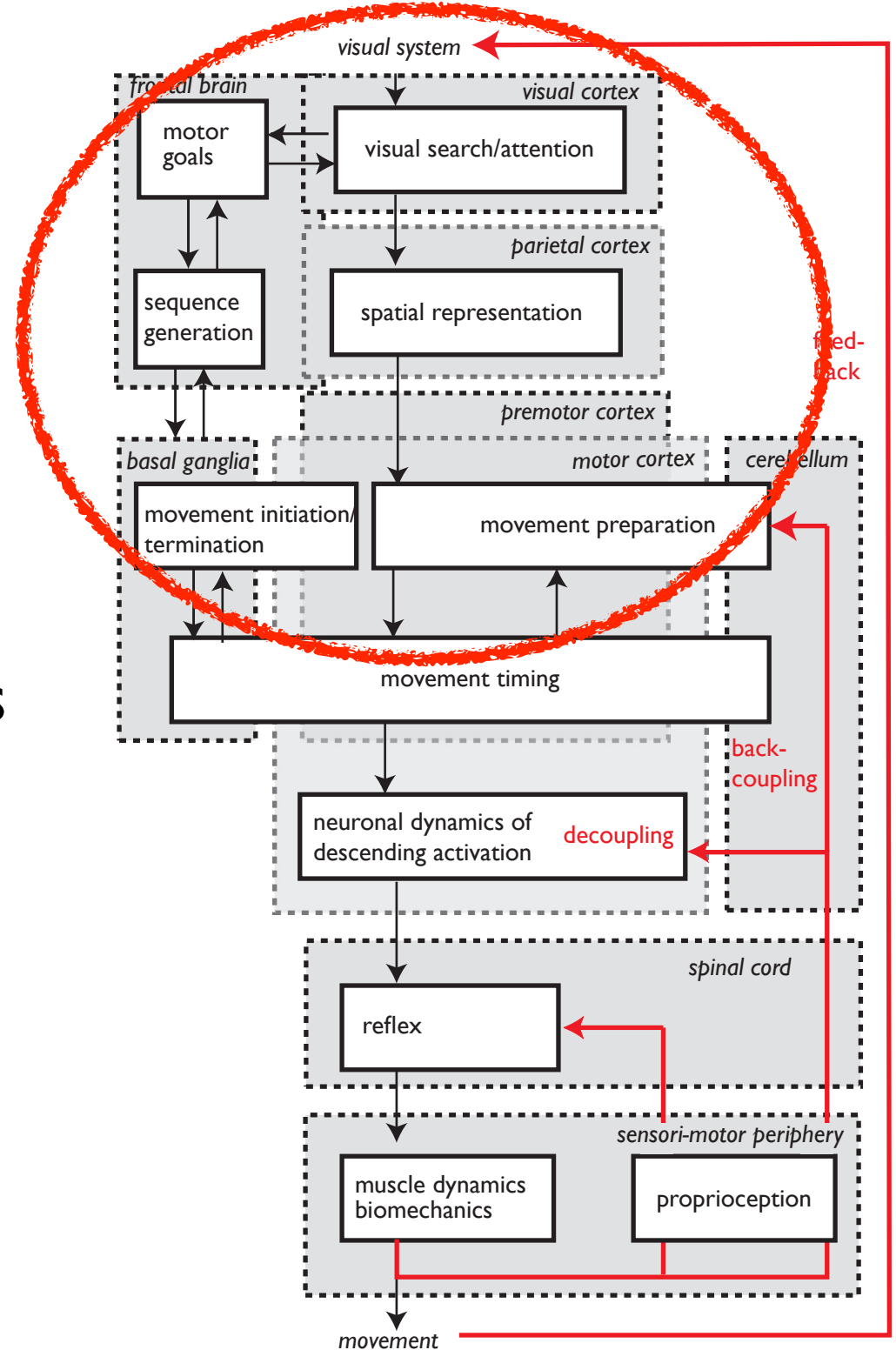


# A neural architecture of reaching



[adapted from: Martin, Scholz, Schöner.  
*Neural Computation* 21, 1371–1414 (2009)]

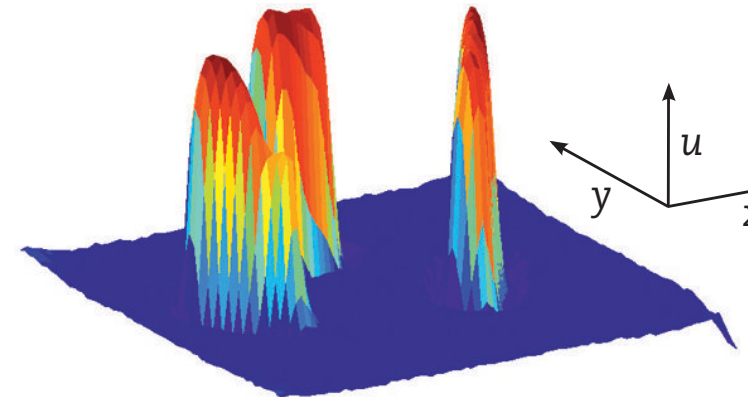
■ the perception and cognition on which object-oriented action is based.... topic of my course in the WS





# Scene perception

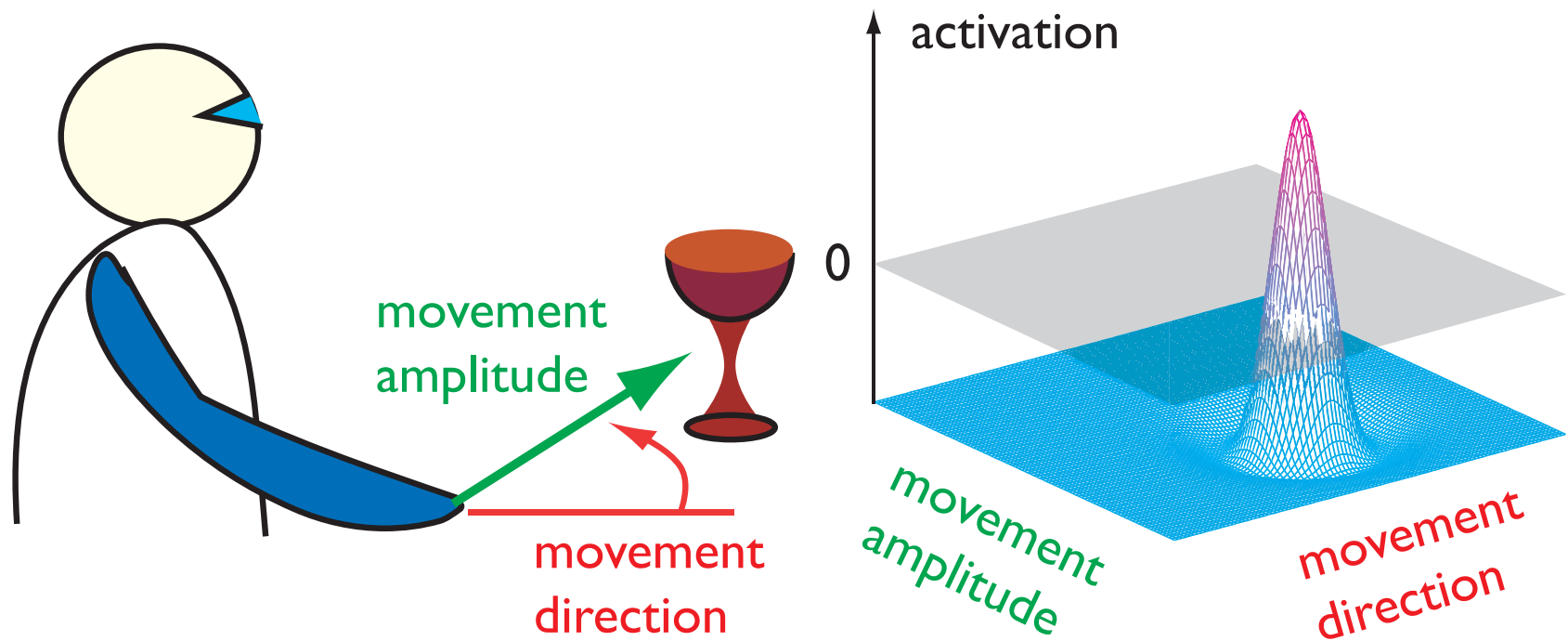
- neural fields... dynamic field theory



[Zibner, Faubel: In DFT Primer (2016)]

# Movement preparation

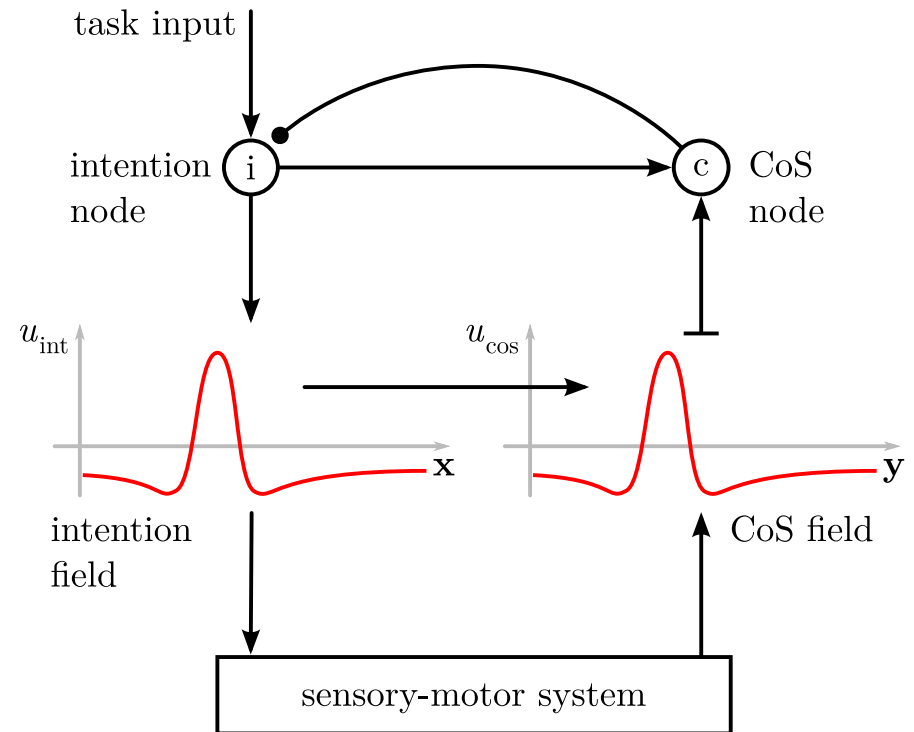
- coordinate transform into initial position of hand



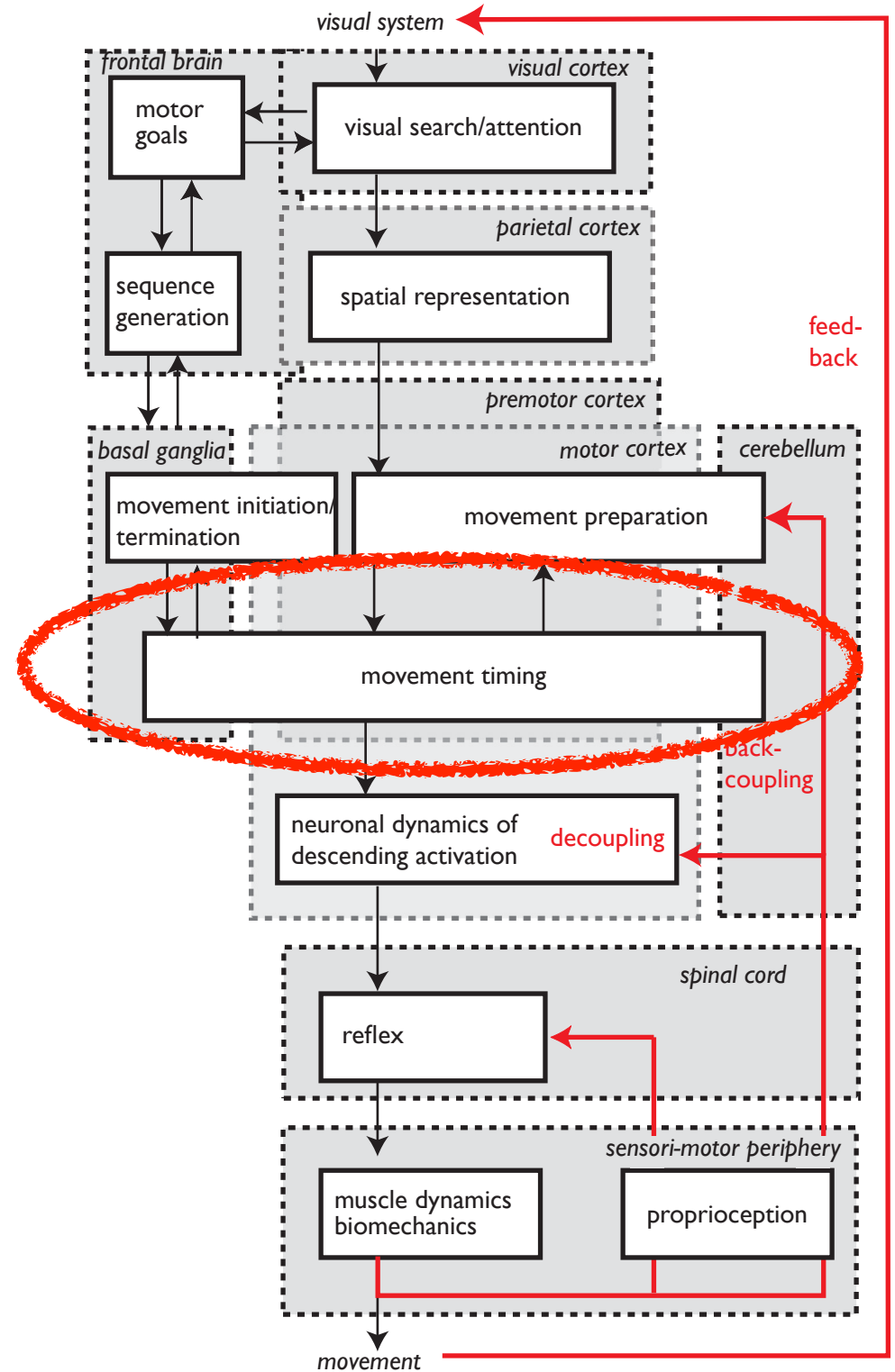
[Erlhagen Schöner, Psych Rev 2002]

# Sequence generation

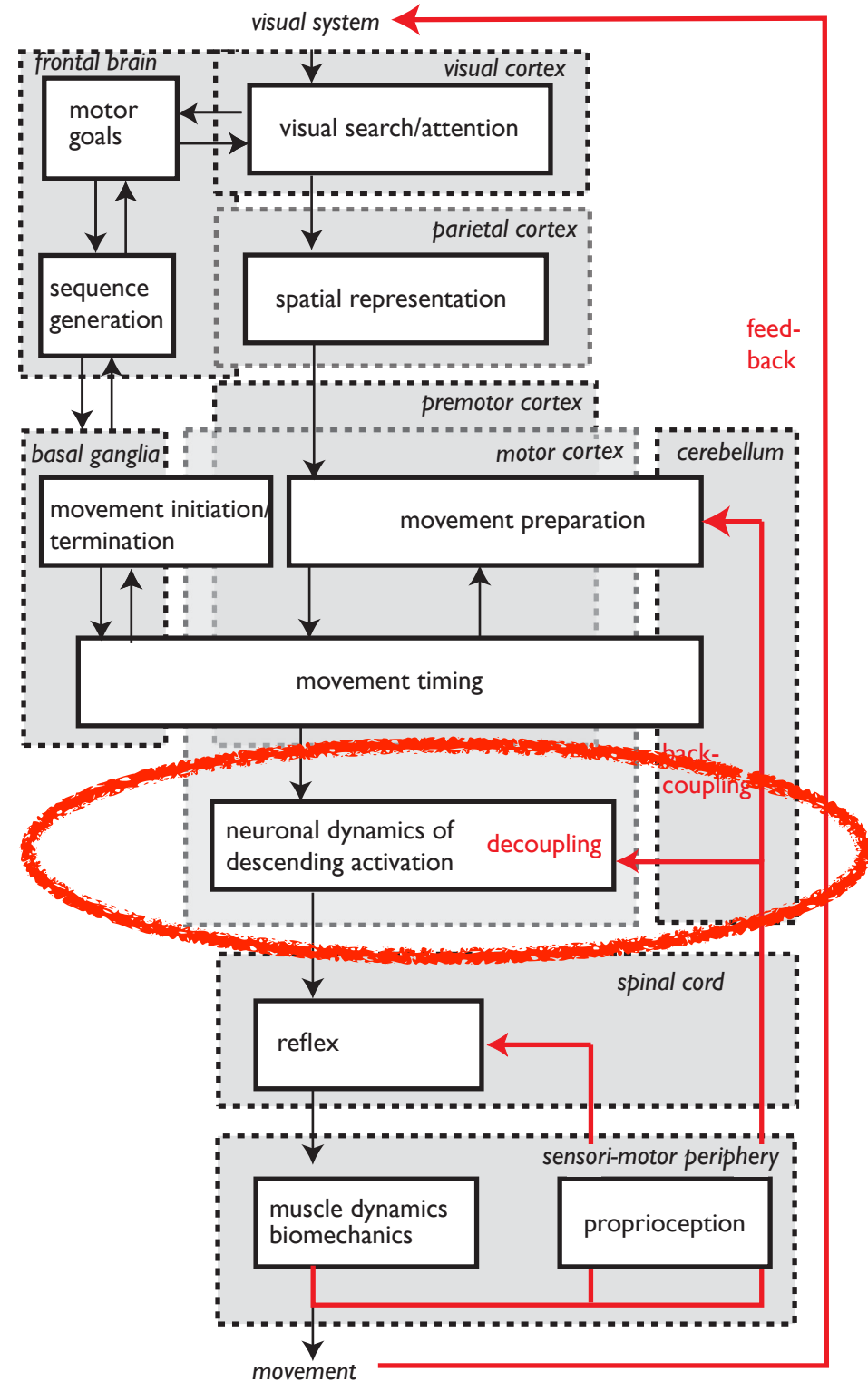
- every action is represented as a stable activation state in an “intentional field”
- that predicts its “condition of satisfaction”
- instabilities drive the transition from one intention to another



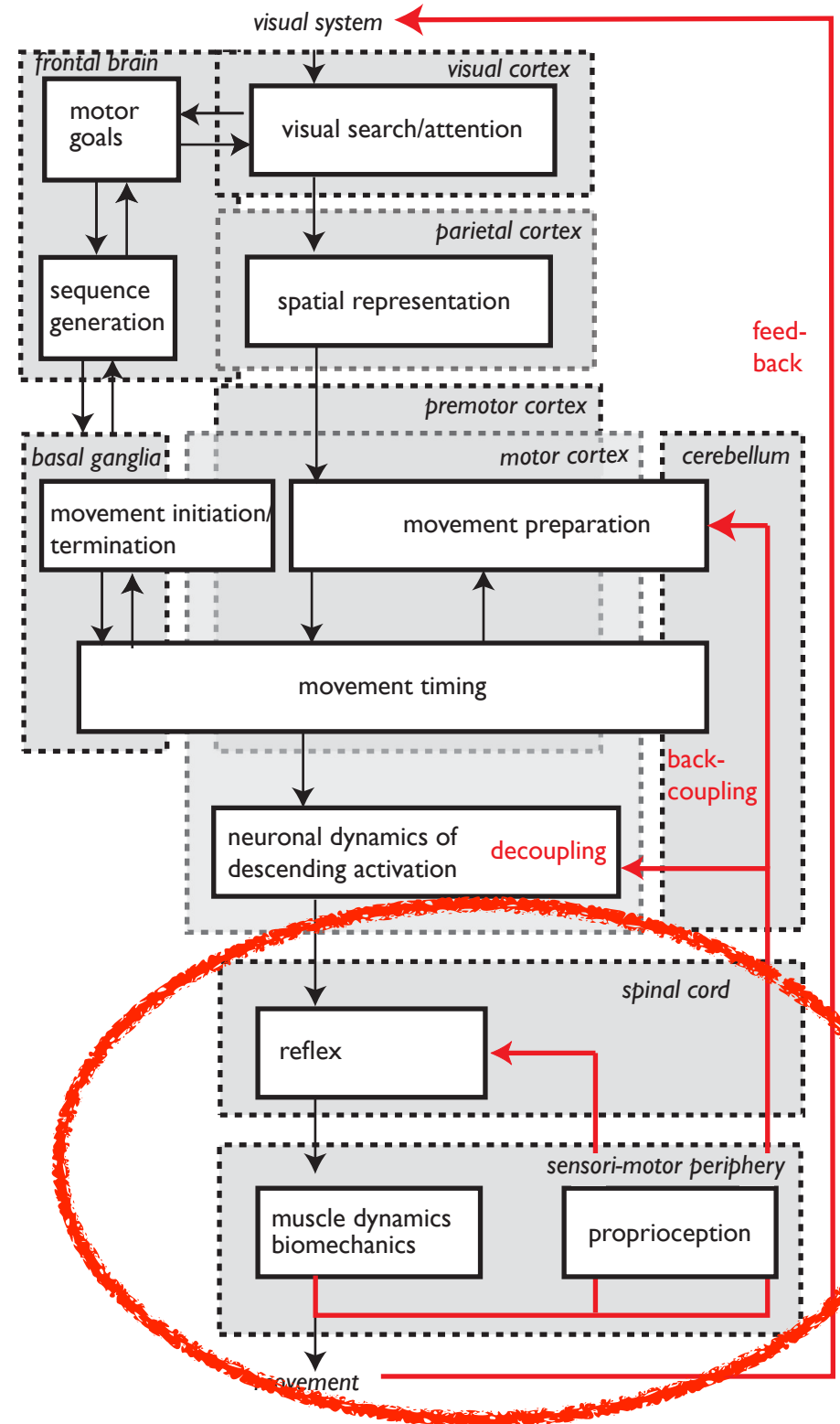
■ timing and coordination:  
Lecture 7/Exercise 6



■ degree of freedom  
problem: Lecture 6/  
Exercise 5

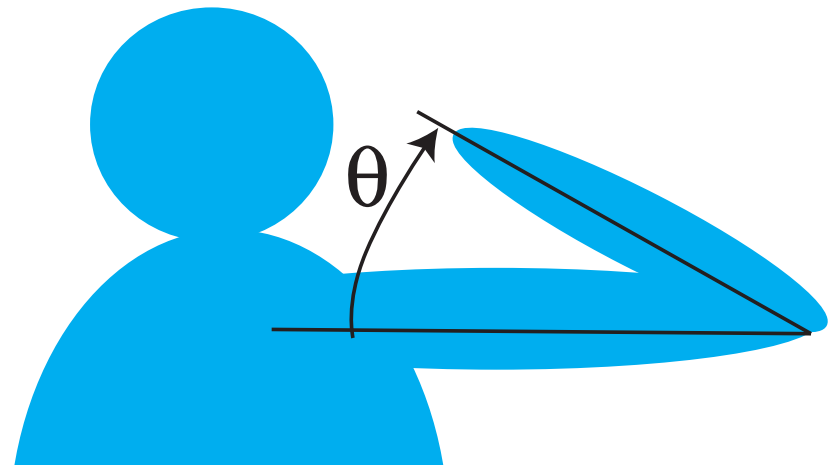


■ human motor control:  
how forces are  
generated and regulated



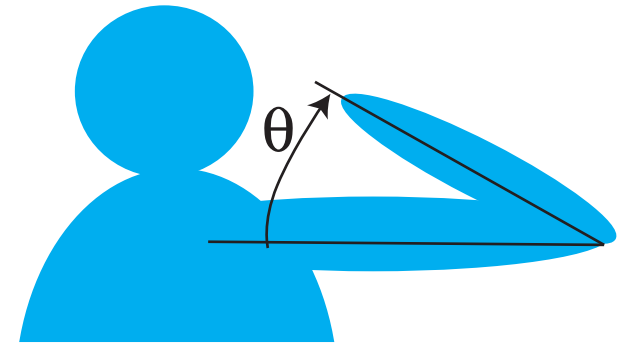
# Human motor control

- consider a single DoF, the elbow angle..
- in a fixed posture



# Posture is controlled

- the elbow does not behave like a passive mechanical system with a free joint at the elbow:  $J\ddot{\theta} = 0$ 
  - where  $J$  is inertial moment of forearm (if upper arm is held fixed)
- Instead, the elbow resists, when pushed => there is active control = stabilization of the joint

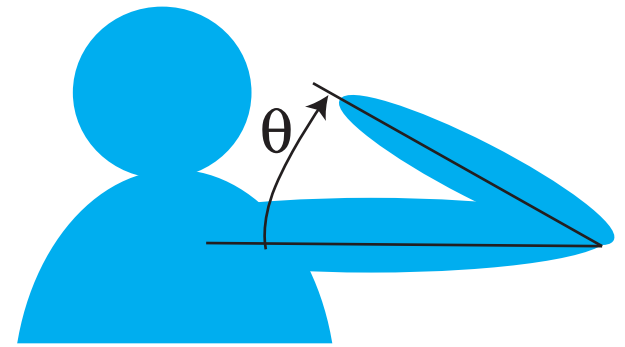


=>experiment



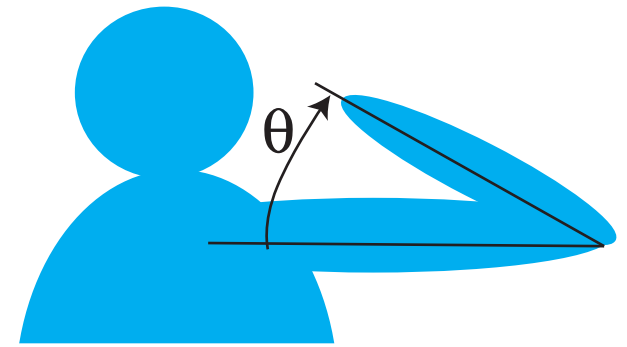
# Posture is controlled

- human effectors are not very stiff.... unlike robotic actuators
- stiffness expressed in Eigenfrequency  $\Rightarrow$  time scale  $\sim$  of the same order of magnitude as movement time
- $\Rightarrow$  human movement is highly compliant...



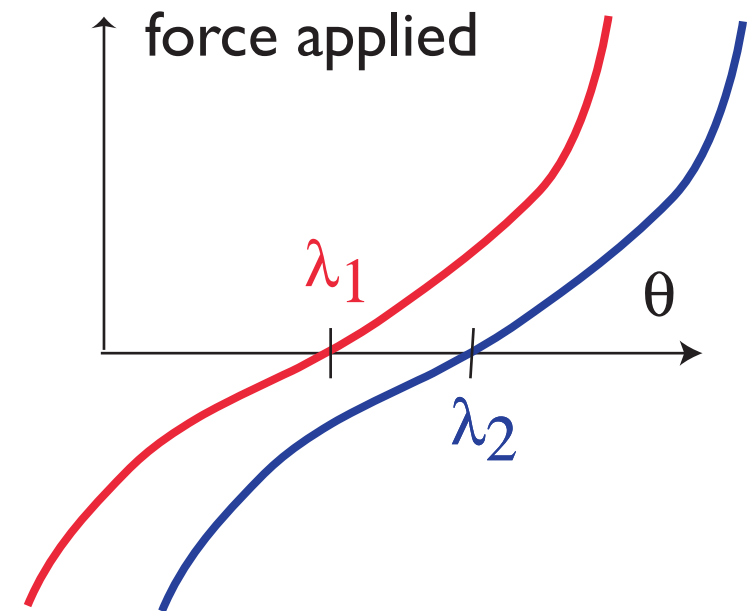
# The problem of human motor control

■ => leads to major problems in human motor control: how to make a soft spring move fast to precisely reach a target and softly stop there...



# The “mass spring” model

- a simplified macroscopic description
  - of the mechanics of the muscles
  - and the reflex control of the muscles
- the invariant characteristic



# The mass-spring model

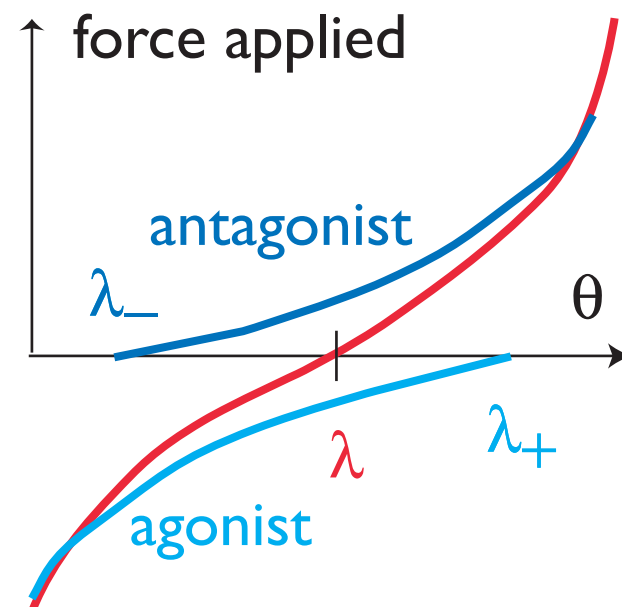
- elastic component: proportional to position
- viscous component: resistance depends on joint velocity

$$J\ddot{\theta} = \boxed{-k(\theta - \lambda) - \mu\dot{\theta}}$$

↑  
active torques generated by the muscle

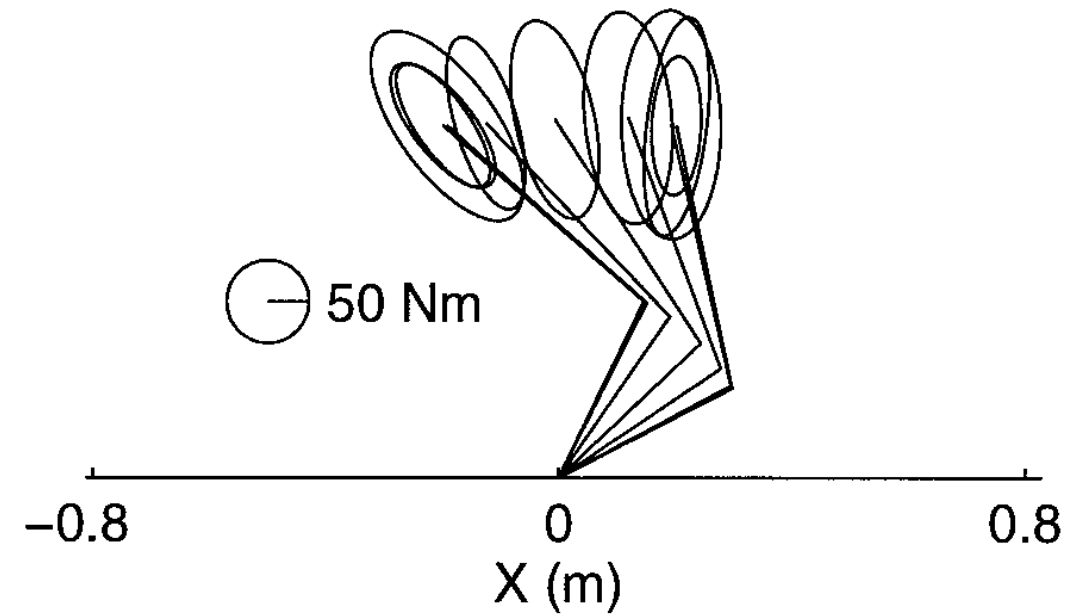
# Agonist-antagonist action

- muscles only pull, so the invariant characteristic comes from pairs of muscle groups
- one lambda per muscle
- co-contraction varies stiffness



# Stiffness

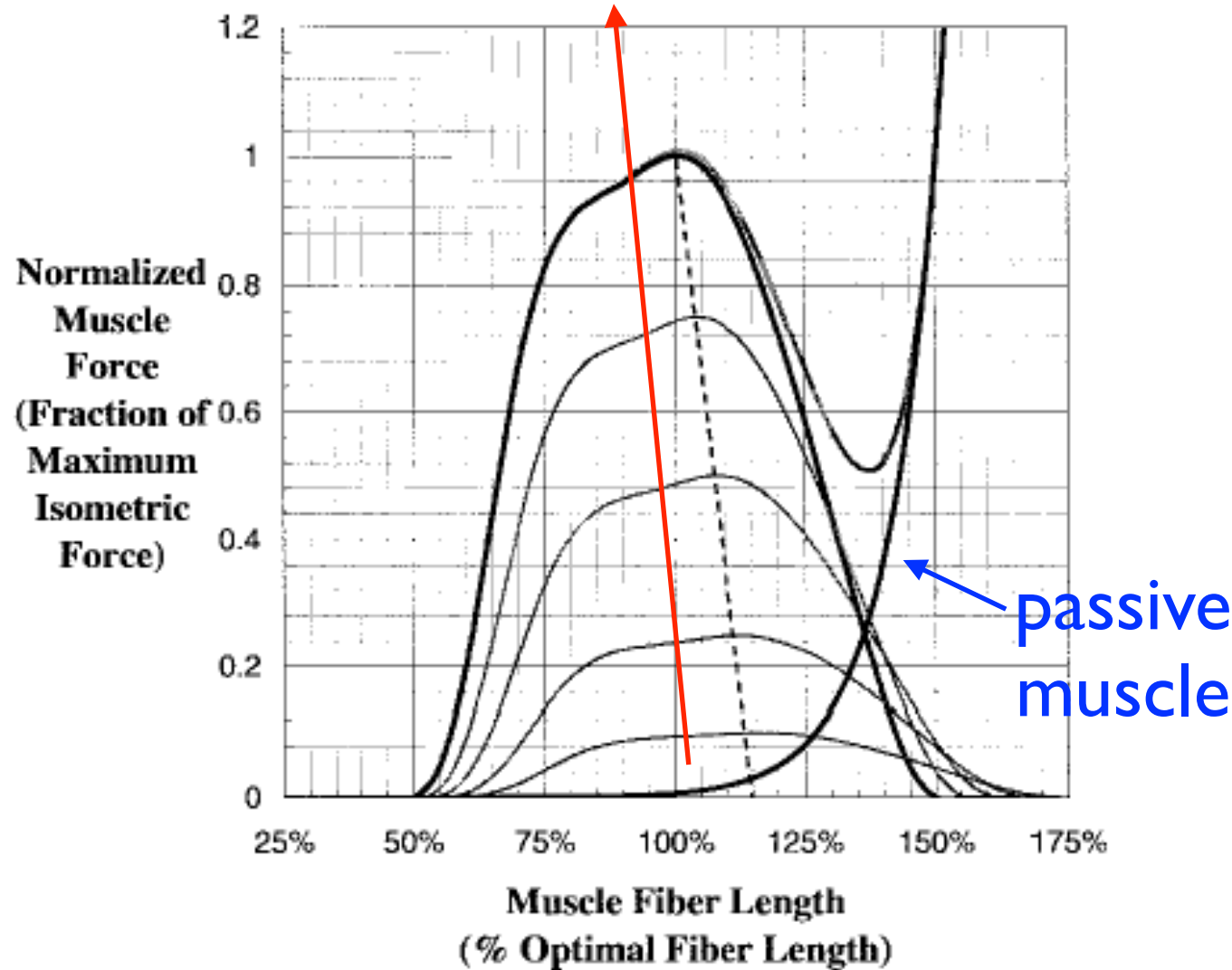
- the stiffness,  $k$ , can be measured from perturbations
- the viscosity “ $\mu$ ” is more difficult to determine



$$J\ddot{\theta} = -k(\theta - \lambda) - \mu\dot{\theta}$$

# Muscle dynamics

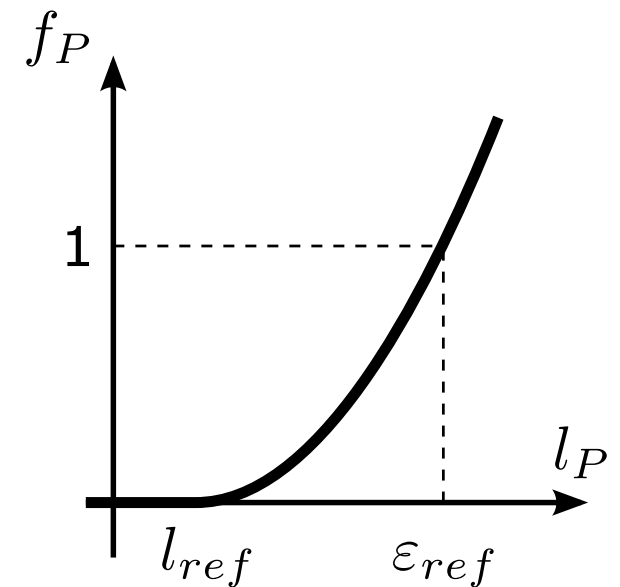
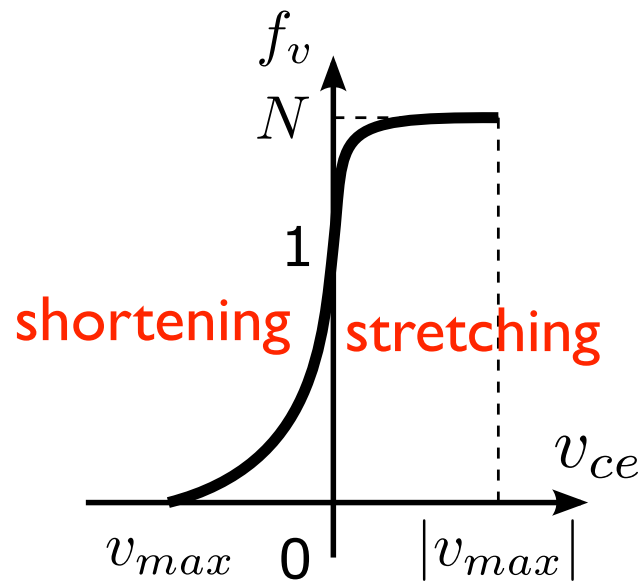
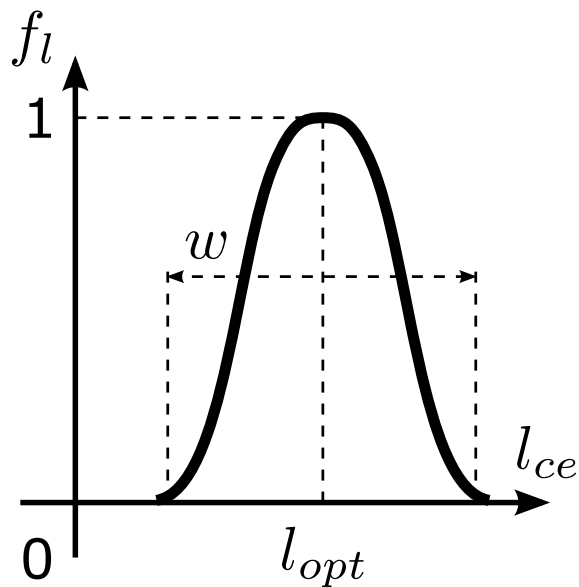
increasing level of  
muscle activation



[Buchanan et al. 2014]

# Muscle dynamics

- force generated depends on speed of lengthening / shortening
- less force for shortening
- more for stretching

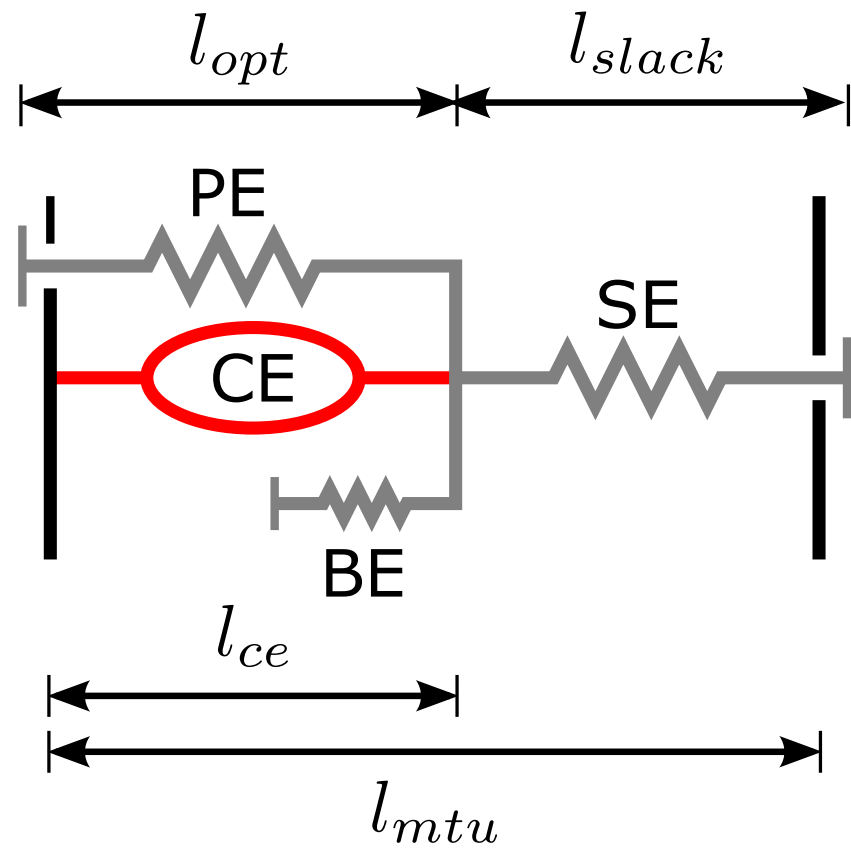


[Song 2017]



# Muscle dynamics

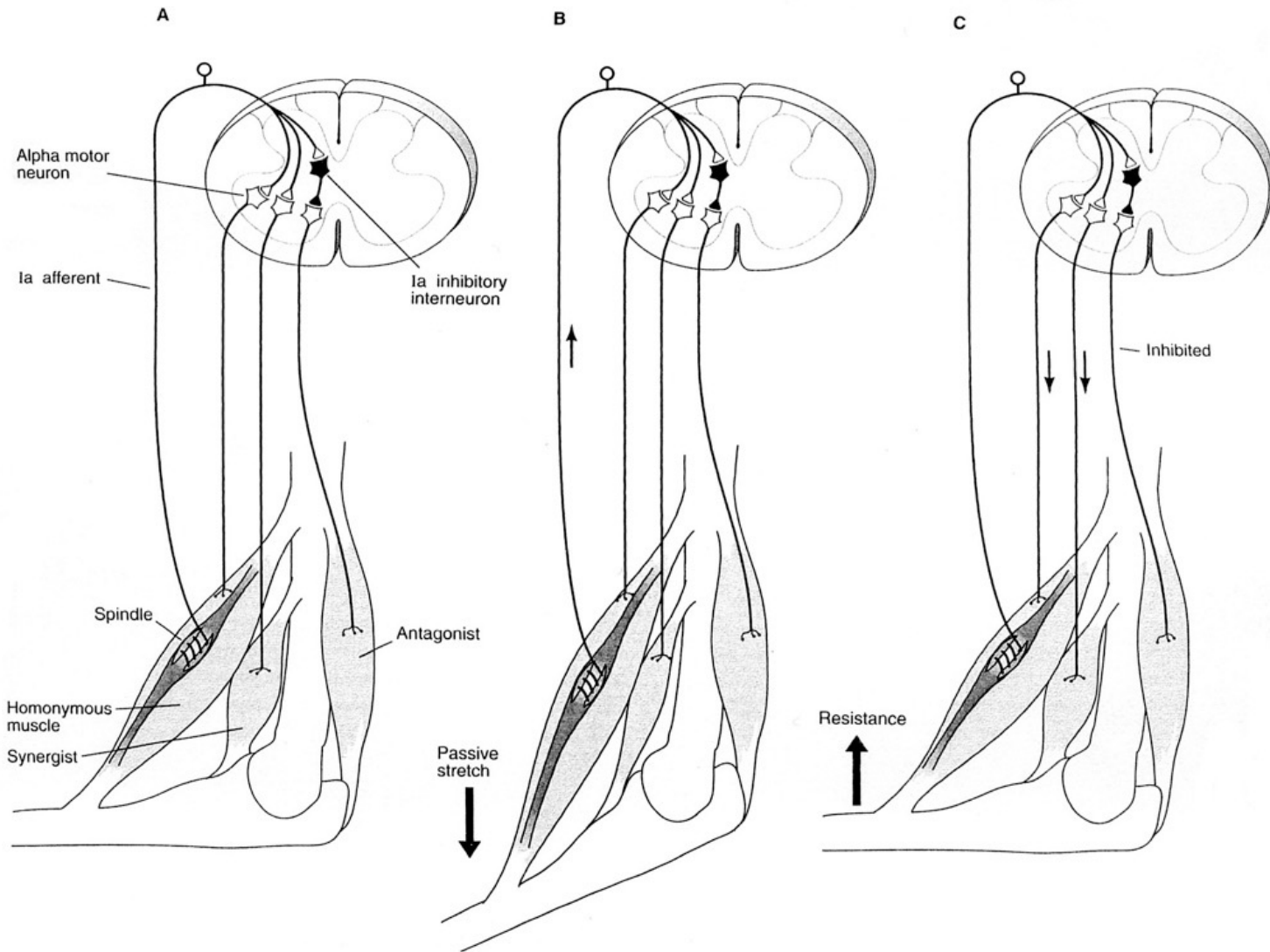
## ■ Hill type models



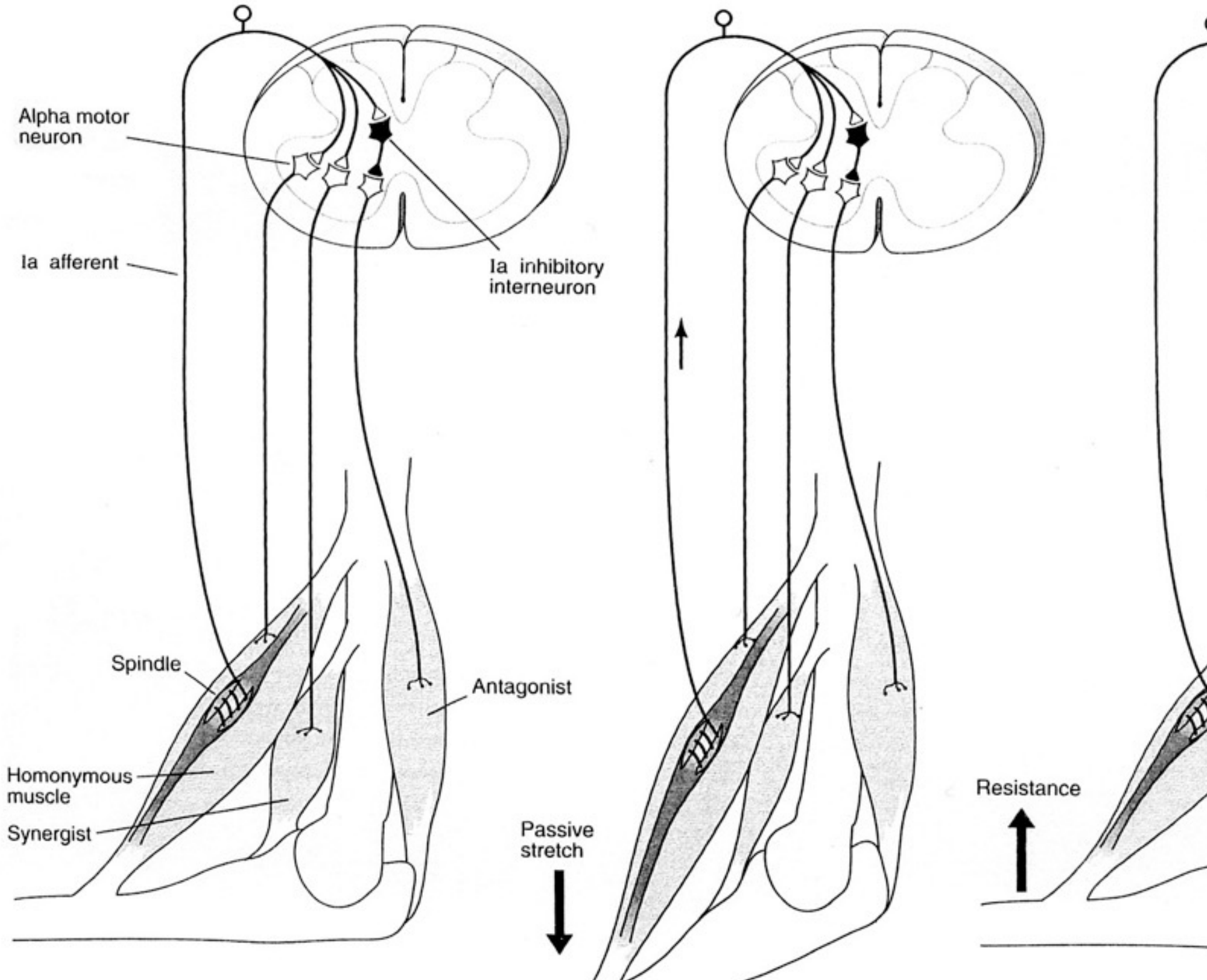
[Song 2017]

# Neural basis of invariant characteristic: stretch reflex

- alpha-gamma reflex loop generates the stretch reflex



[Kandel, Schartz, Jessell, Fig. 37-11]



Alpha motor neuron

Ia afferent

Ia inhibitory interneuron

Spindle

Antagonist

Homonymous muscle

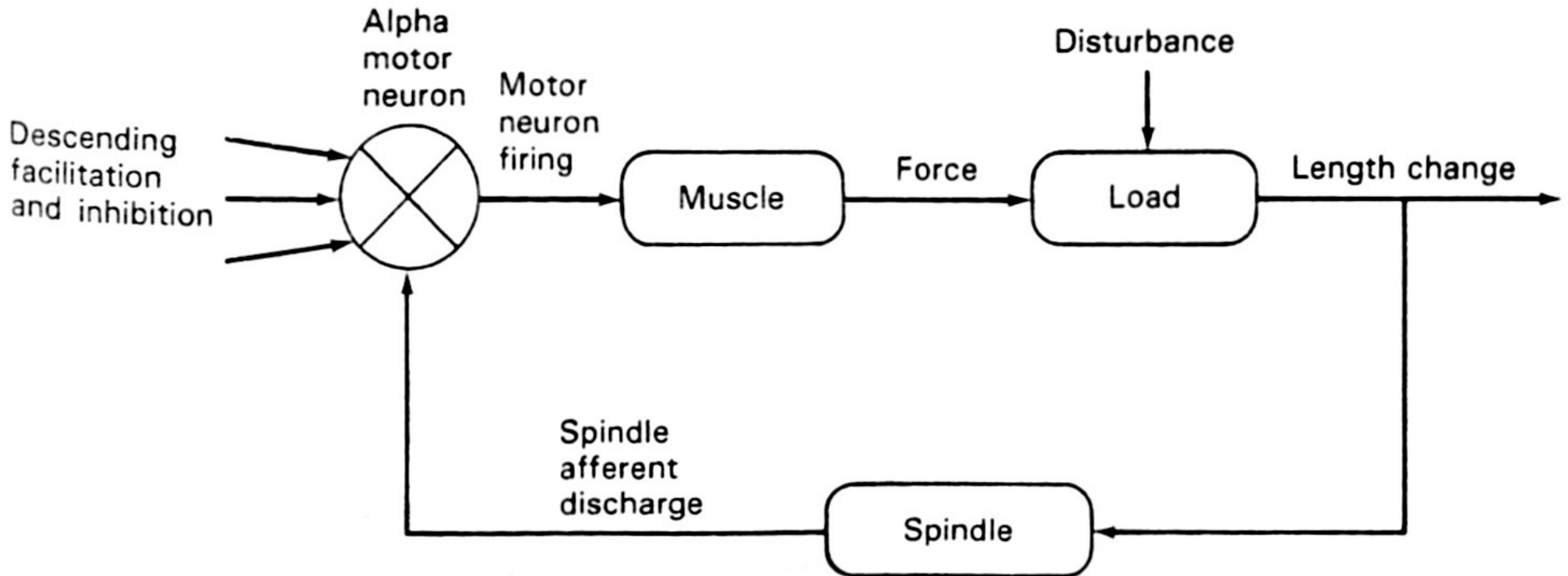
Synergist

Passive stretch

Resistance

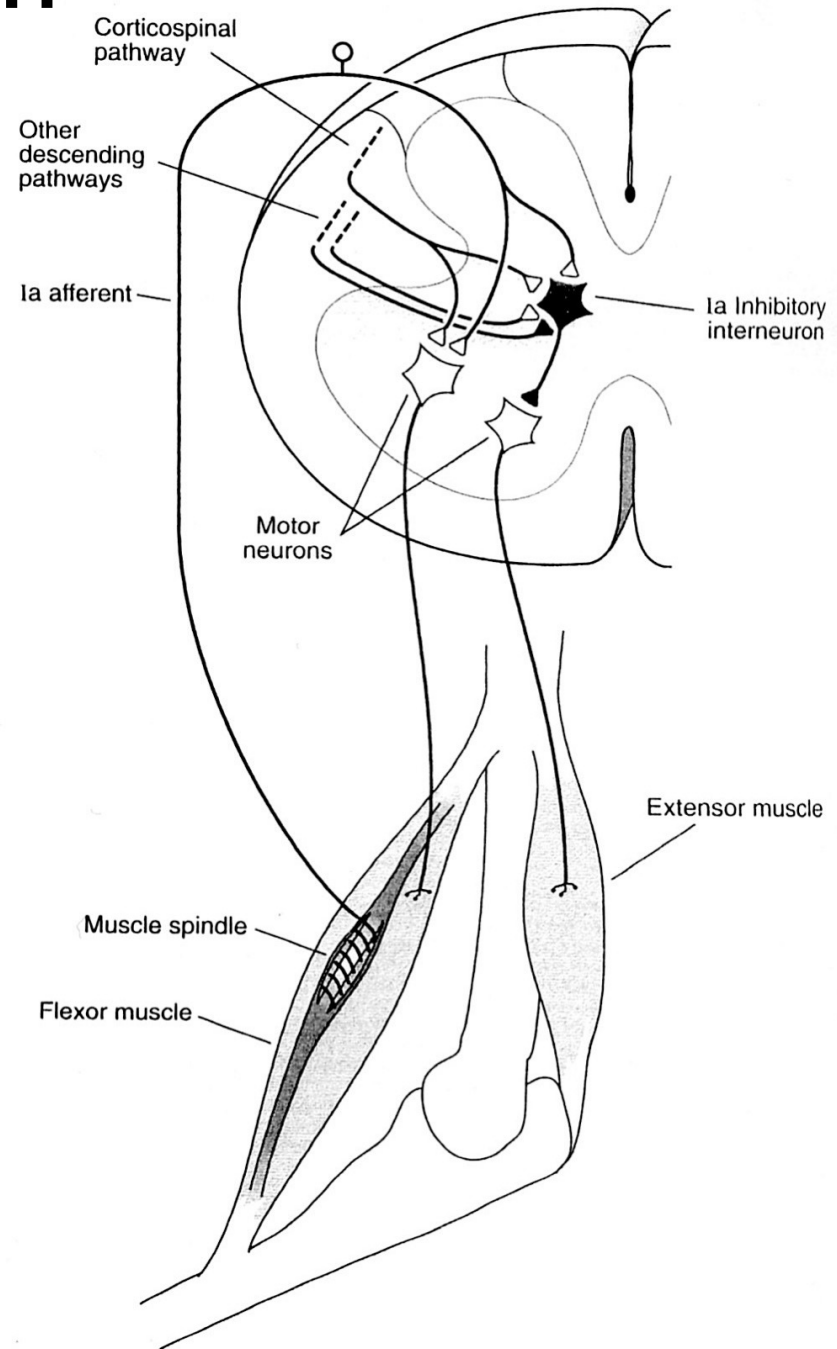
# spinal cord: reflex loops

- the stretch reflex acts as a negative feedback loop



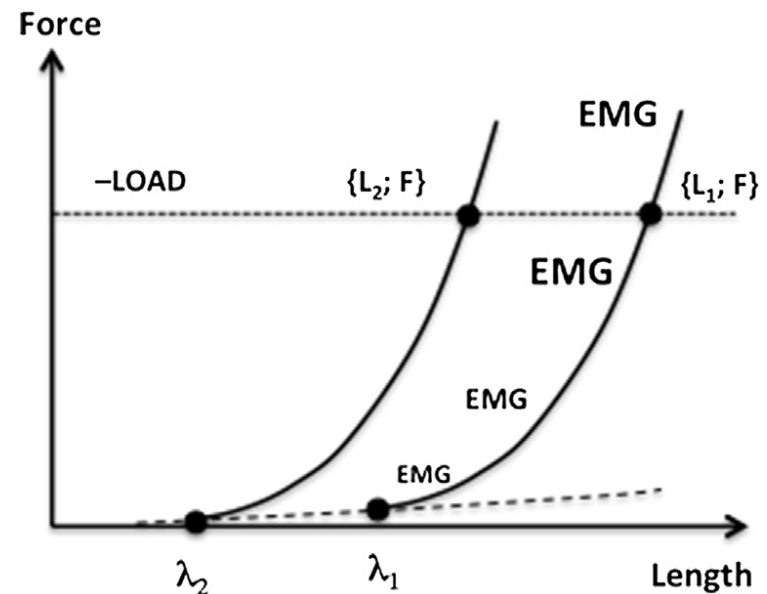
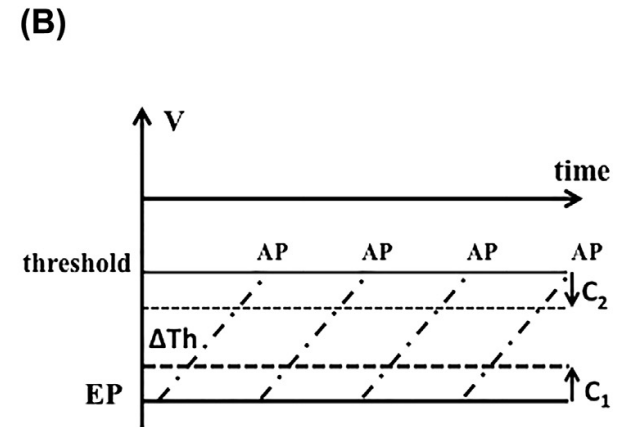
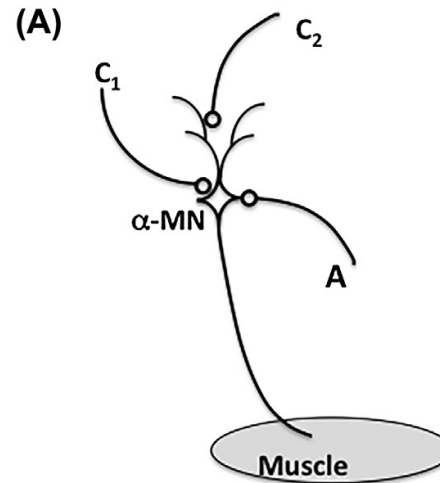
# spinal cord: coordination

- Ia inhibitory interneuron mediates reciprocal innervation in stretch reflex, leading to automatic relaxation of antagonist on activation of agonist



# Reflex model

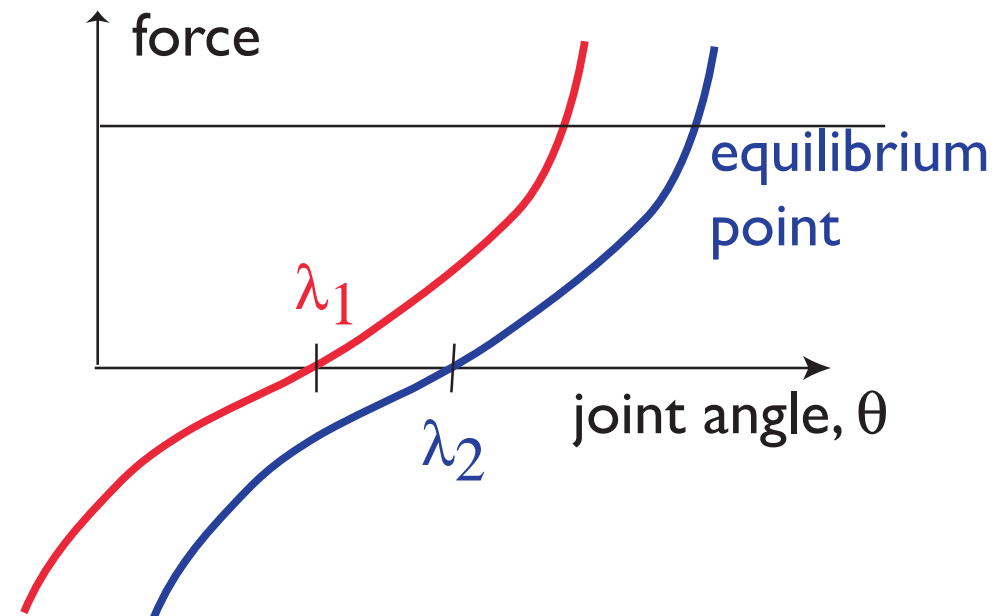
- monotonic relationship force-length
- reflex threshold can be varied by descending activation signals



[Latash, Zatsiorsky, 2016]

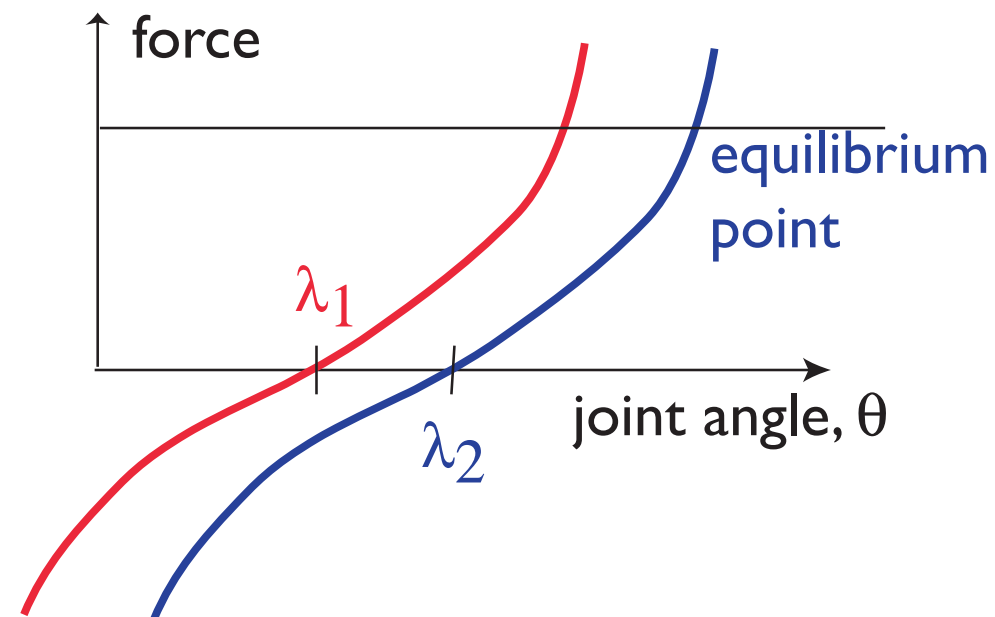
# Movement entails change of posture

- the threshold lengths of the muscles must be shifted during movement so that after the movement, the postural state exists around a new combination of muscle lengths ( $\Leftrightarrow$  joint configuration)



# Movement entails change of posture

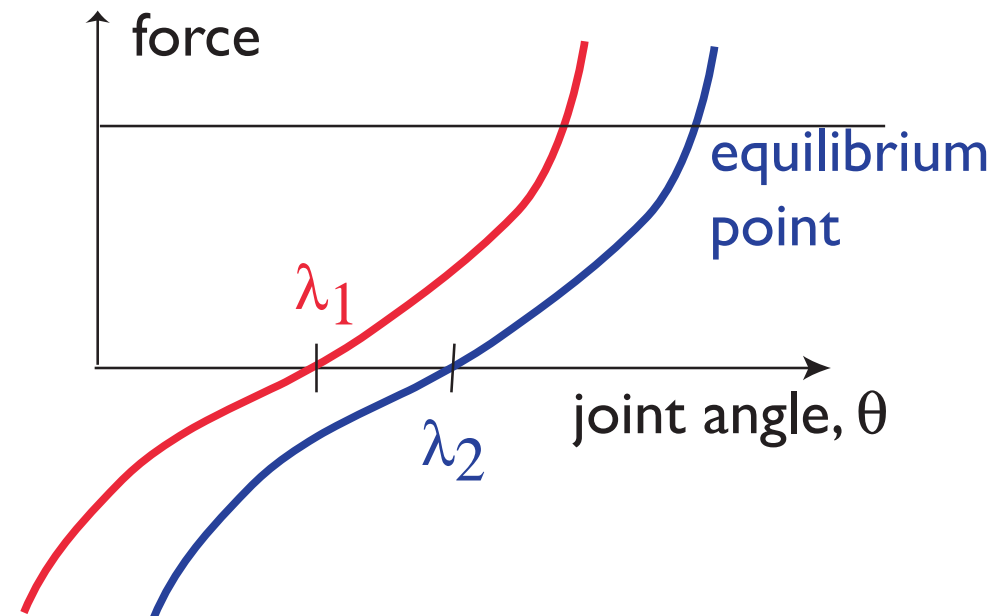
- many models account for movement in terms of muscle activation/desired torques....
- => the shift of the EP is the single most overlooked fact in control models of movement generation





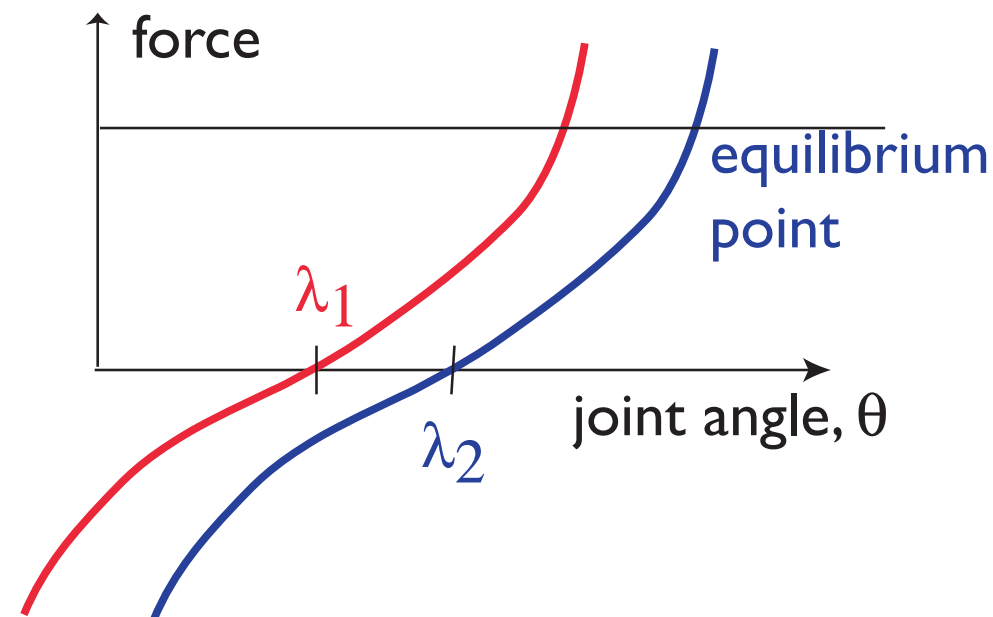
# Does the “motor command” specify force/torque?

- Not necessarily ..
- because the same descendent neural command generates different levels of force depending on the initial length of the muscle

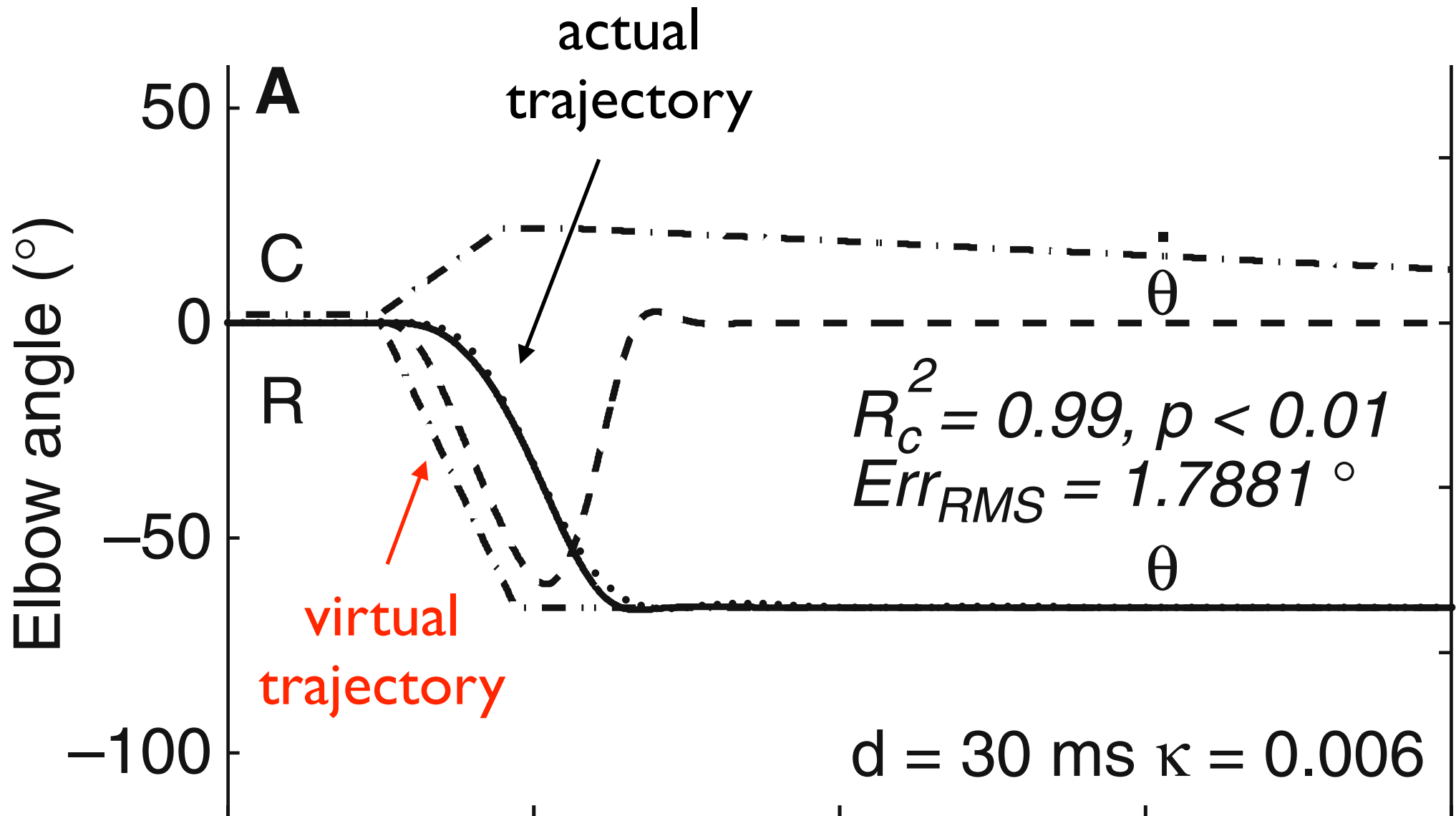


# Virtual trajectory

- Shifting the threshold lengths is necessary, but is it also sufficient?
- first answer: yes... simple ramp-like trajectories of the combined threshold lengths of the antagonistic muscles (“r” command  $\sim$  virtual trajectory) may model movement



# Pilon, Feldman, 2006



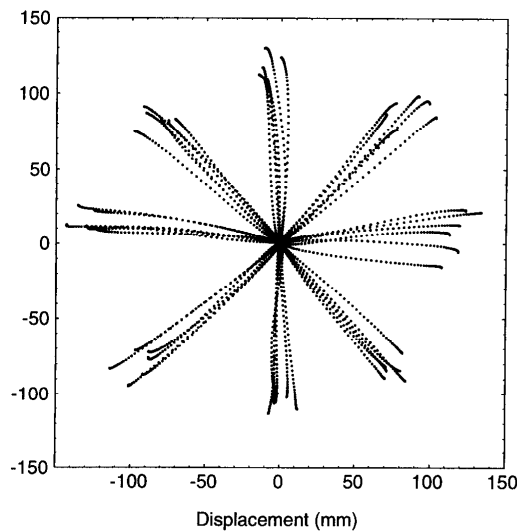
# Shifting the equilibrium point is necessary, but is it also sufficient?

- such simple ramp-like trajectories of the “r” command (“virtual trajectories”) may be sufficient when movements
  - are sufficiently slow
  - interaction torques/mechanical conditions unchallenging
- but is this generally true?
- (answer: no)

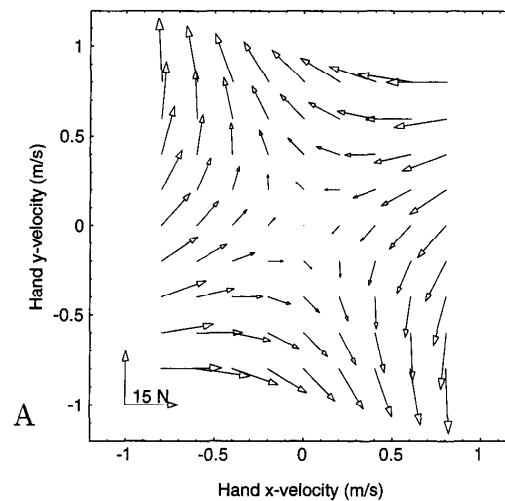
# Limit case: velocity dependent force field

- after adapting to a velocity dependent force field the hand reproduces the “natural” path, but must generate compensatory forces on the way

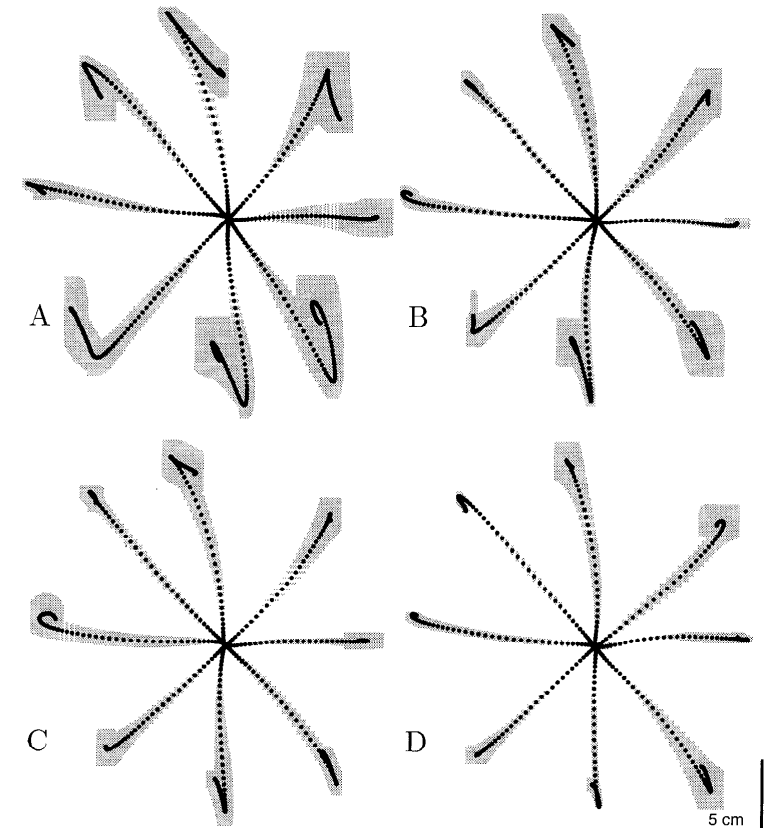
[Shadmehr, Mussa-Ivaldi, 1994]



center-out movements  
before force-field  
adaptation



velocity dependent  
force-field = zero at rest

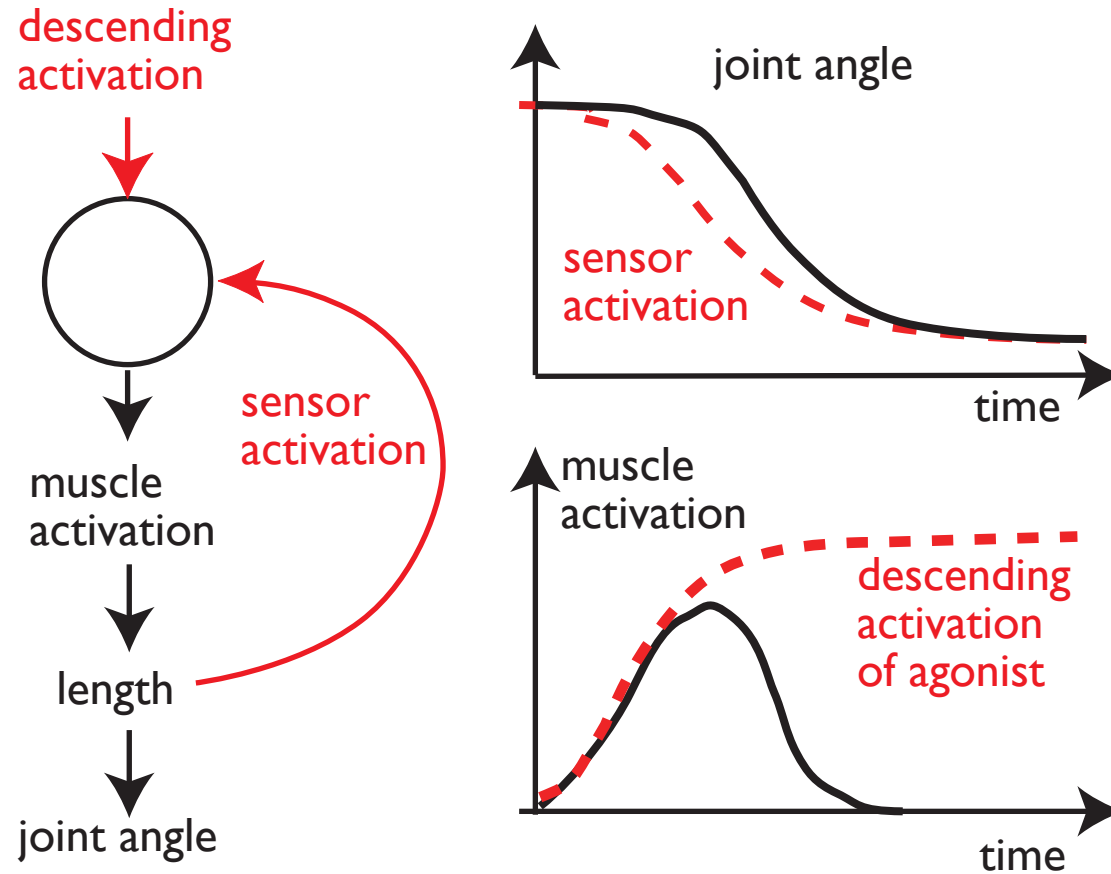


center-out movements  
at four stages during  
force-field adaptation

# Shifting the equilibrium point is necessary, but is it also sufficient?

- => r-command must still shift from initial to final posture, but must also generate the forces to compensate for the force field during the movement
- that probably takes the form of non-monotonic, “complex” time courses...
- are such temporally complex (e.g., non-monotonic) r-commands necessary during unperturbed movement

# Estimating the descending signal (~virtual trajectory)



# (I) Estimate the descending activation by inverting a neuro-muscular model

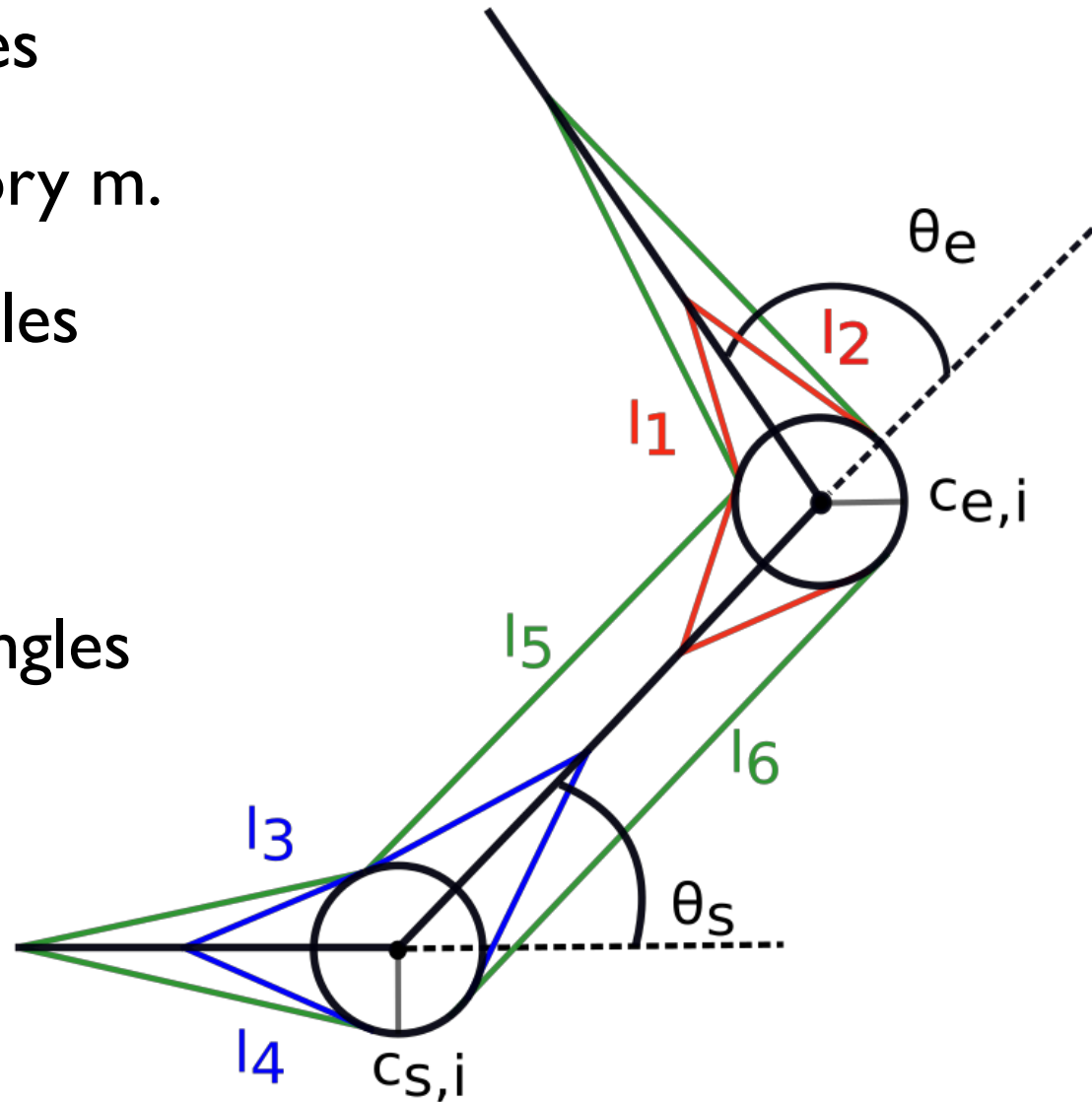
- simplified version Hill type mode:[Gribble, Ostry et al., 98] .. 4 muscles

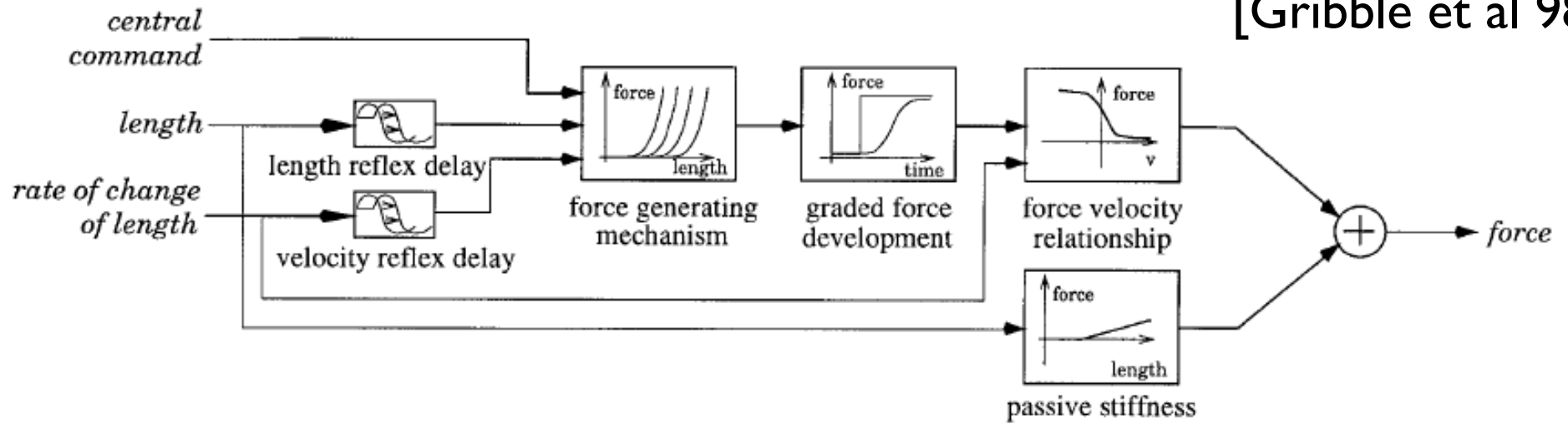


# Kinematics

- two joint limb with 4 muscles
- = 2 pairs of mono-articulatory m.
- neglect: bi-articulatory muscles
- muscle length link to joint angles

$$l_i = c_i + c'_{i,s} \theta_s + c'_{i,e} \theta_e$$





muscle activation from descending command

$$A_i = [u_i + l_i + \mu \dot{l}_i]^+ \quad [x]^+ = \begin{cases} x, & \text{if } x > 0 \\ 0, & \text{if } x \leq 0 \end{cases}$$

forces from muscle activation

$$F_i = M_i [(f_1 + f_2 \cdot \arctan(f_3 + f_4 \cdot \dot{l}_i))] + k(l_i - c_i).$$

$$\tau^2 \ddot{M} + 2\tau \dot{M} + M = \tilde{M} \quad \tilde{M}_i = \rho_i \cdot (e^{sA_i} - 1).$$

torques from forces

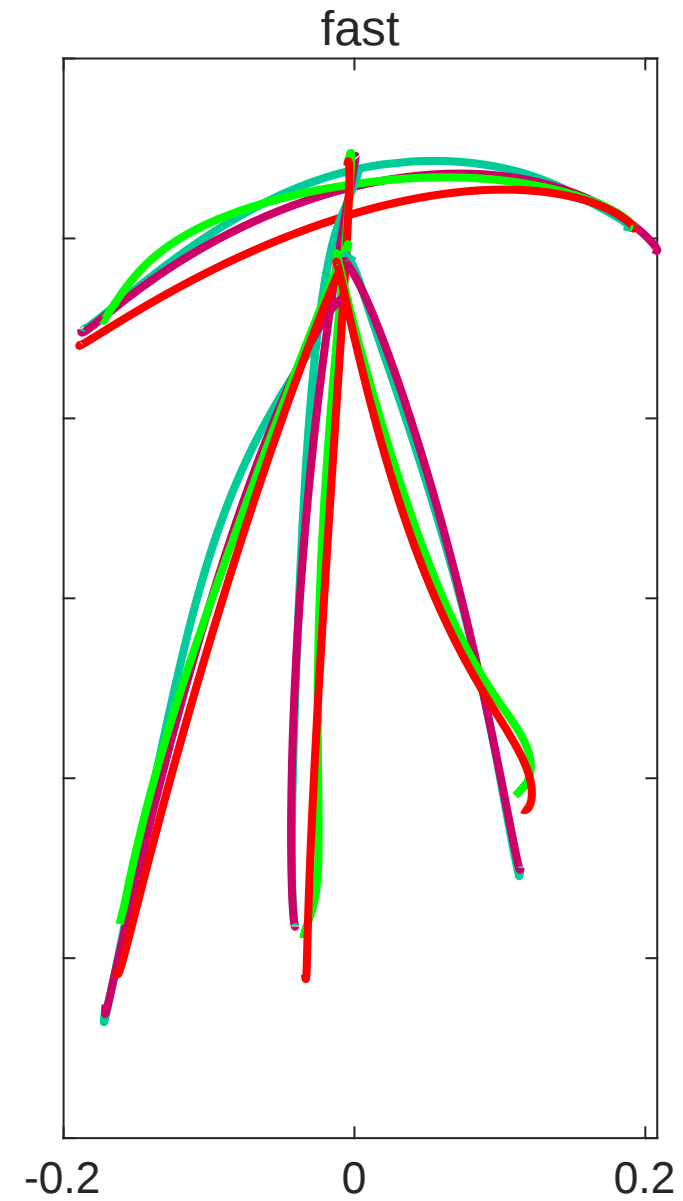
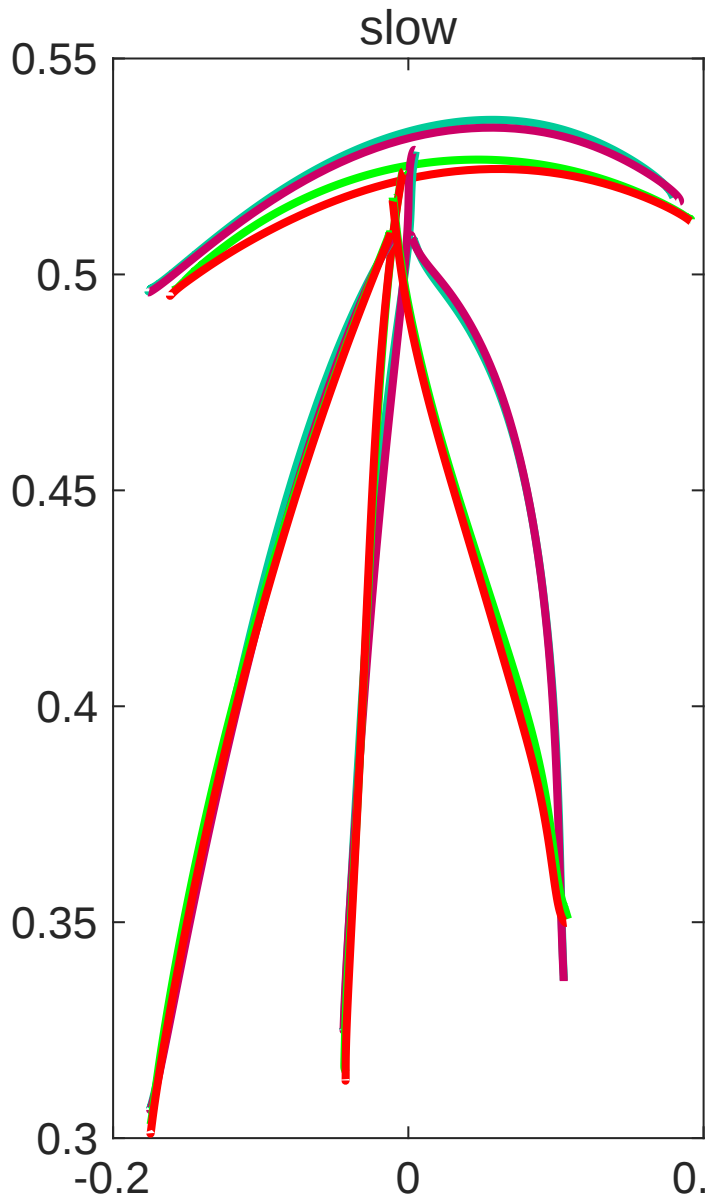
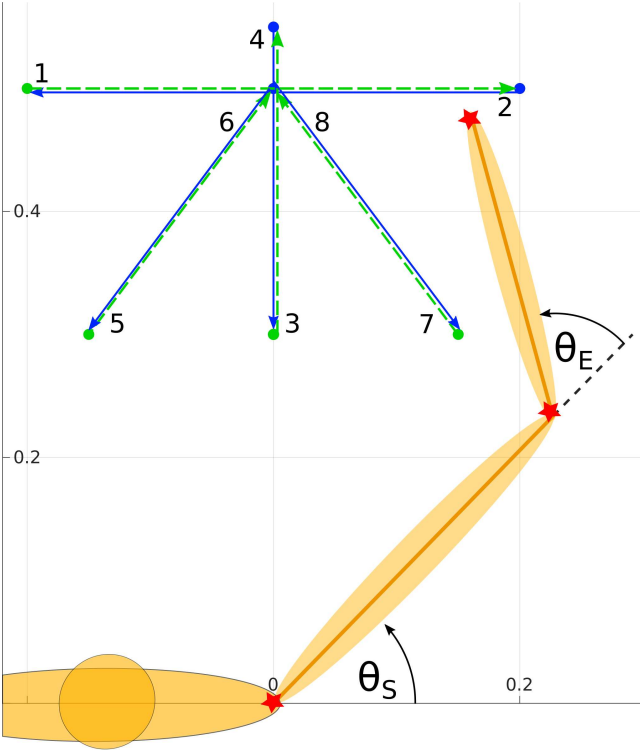
$$T_i = -H_i * F_i$$

motion from torques

$$\ddot{\theta} = I^{-1}(T - T_{ext} - C\dot{\theta})$$

# Comparing data to movements predicted from estimated descending activation

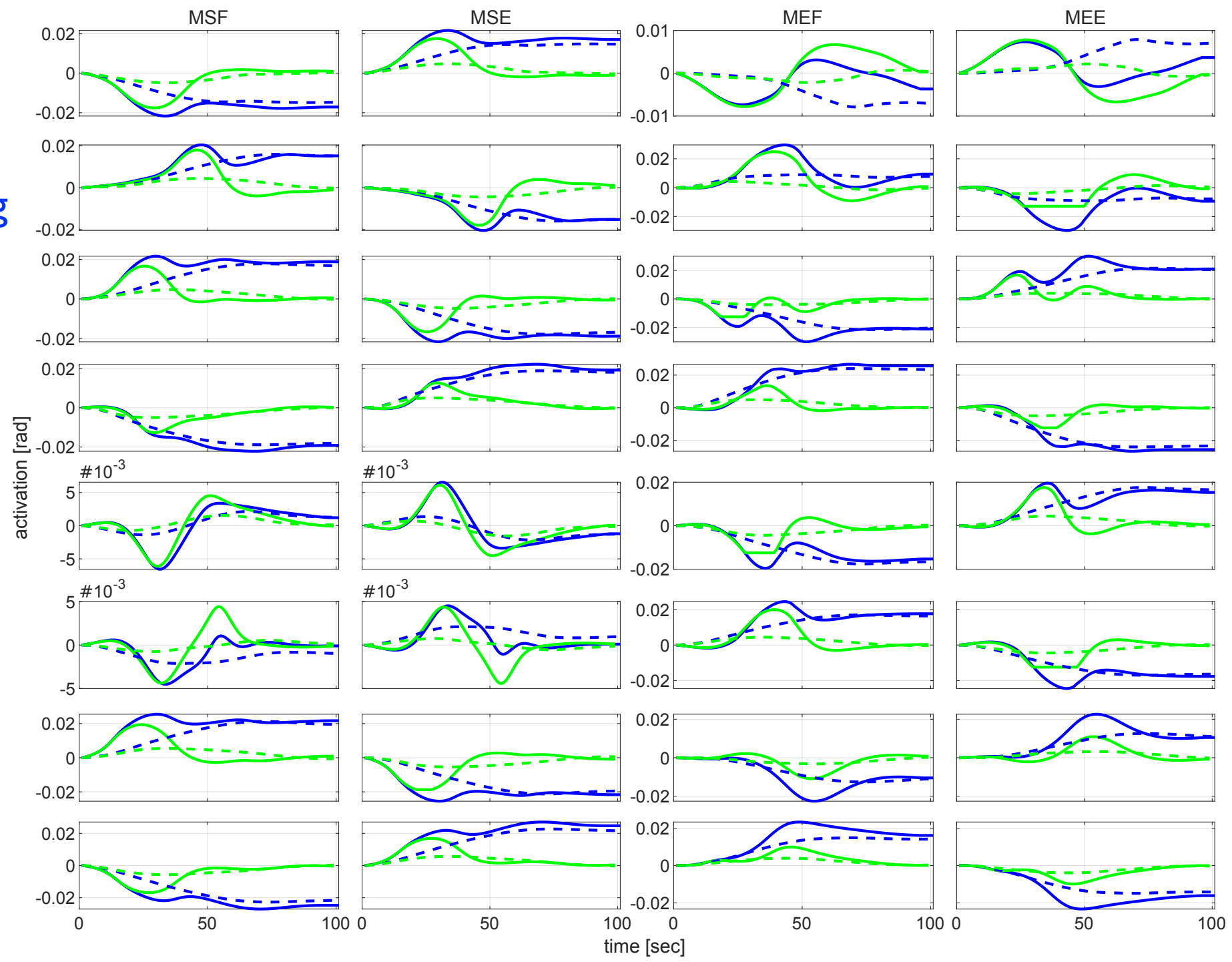
data: red/magenta  
(for the two directions)  
model: green/cyan



X-coordinate [m]

green:  
muscle  
activation

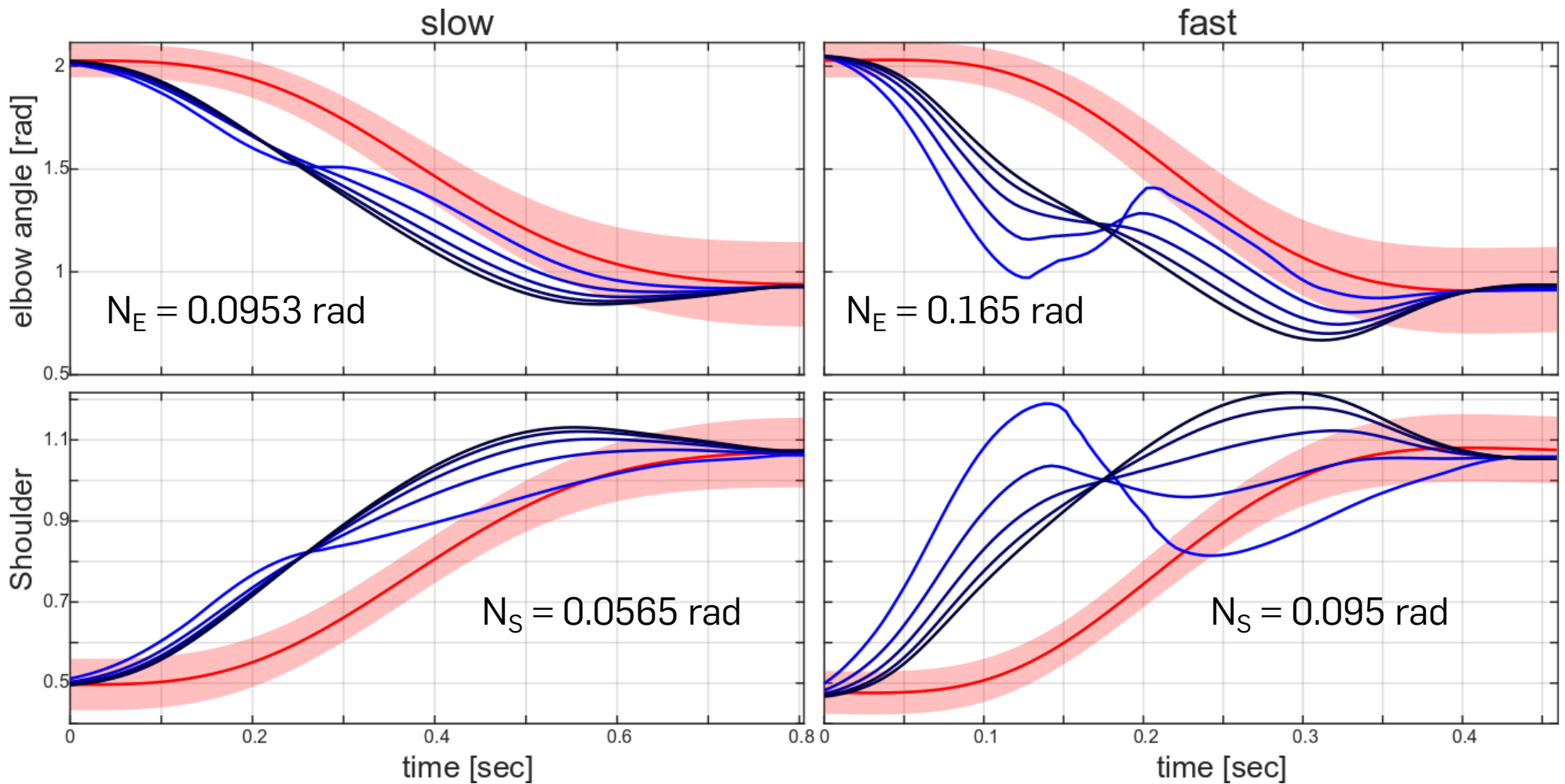
blue:  
descending  
activation



solid: fast  
dashed:  
slow

# time course of descending activation

■ ... as a virtual trajectory



## (2) Estimate minimal descending activation

- “minimal” change of descending activation

$$\min_{\vec{u}} \Psi(\vec{u}) = \int_0^T \dot{\vec{u}}(t)^2 dt$$

- to bring about the movement

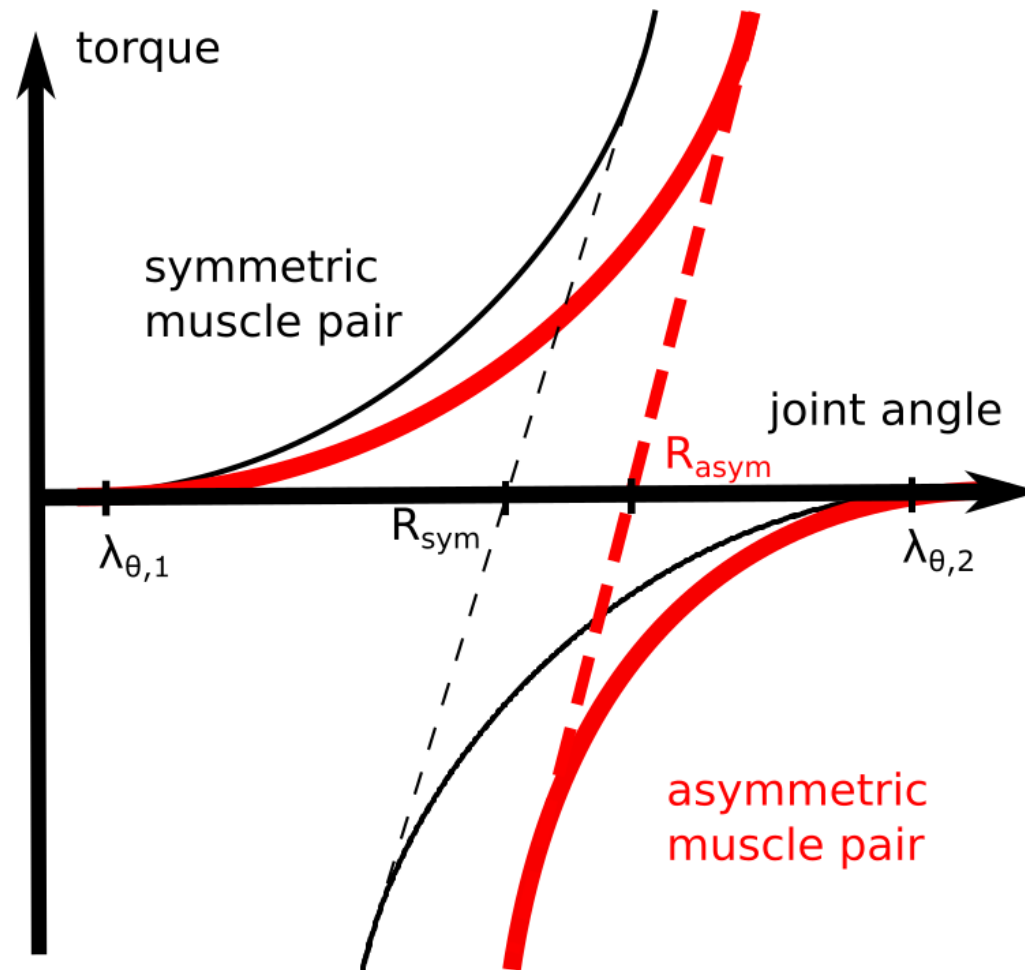
$$\vec{\theta}(t_0) - \vec{\theta}_{\text{start}} = 0, \quad \dot{\vec{\theta}}(t_0) = 0, \quad \ddot{\vec{\theta}}(t_0) = 0,$$

$$\vec{\theta}(t_f) - \vec{\theta}_{\text{final}} = 0, \quad \dot{\vec{\theta}}(t_f) = 0, \quad \ddot{\vec{\theta}}(t_f) = 0.$$

$$\vec{\theta}(t) < \vec{\theta}_{\text{max}}, \quad \lambda_{\text{min}} \leq \vec{\lambda}(t) \leq \lambda_{\text{max}} \quad t \in [t_0, t_f].$$

$$\dot{\vec{\theta}}(t) < \dot{\vec{\theta}}_{\text{max}}.$$

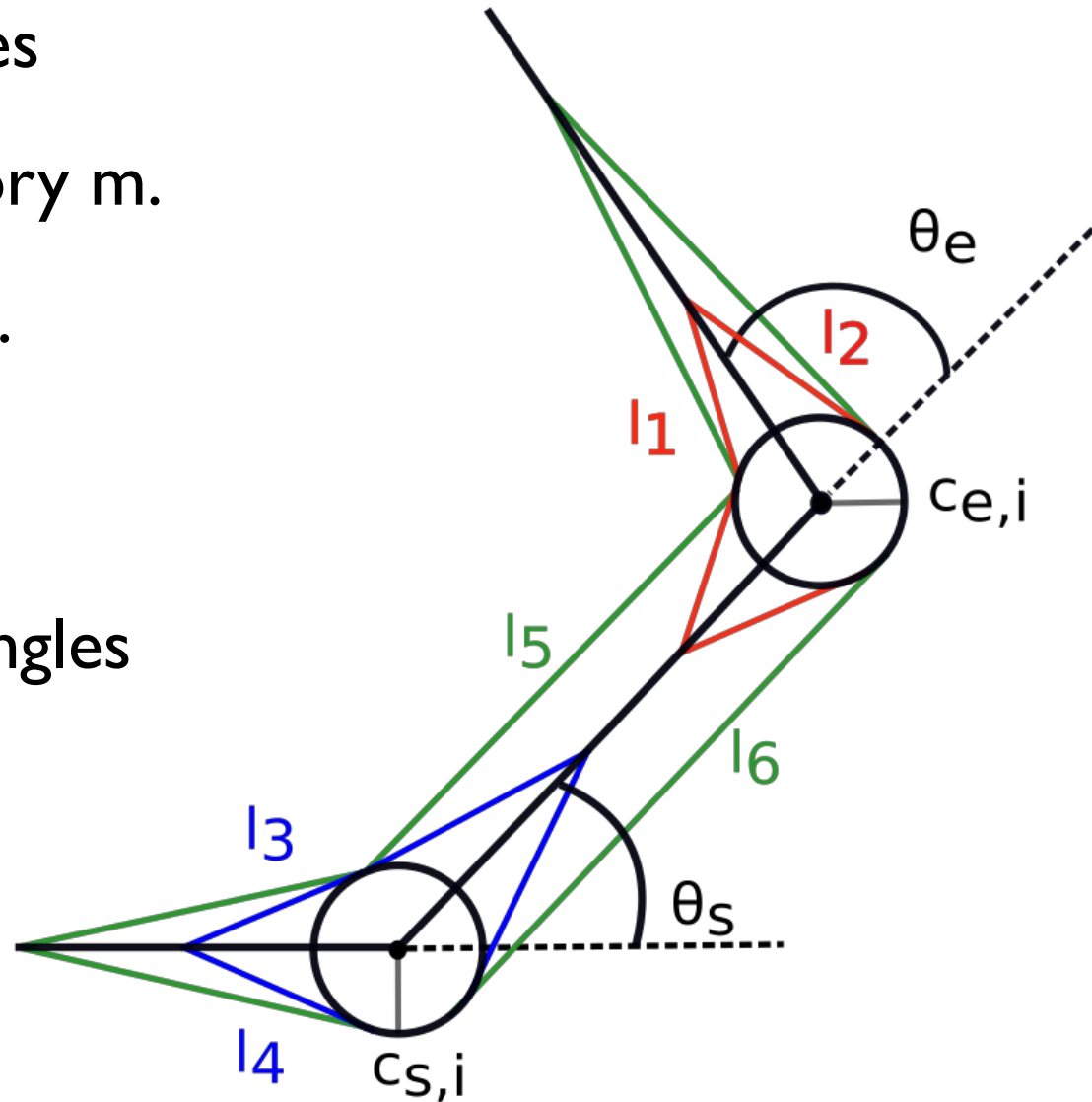
# Why “lambda” rather than “r”?



# Kinematics

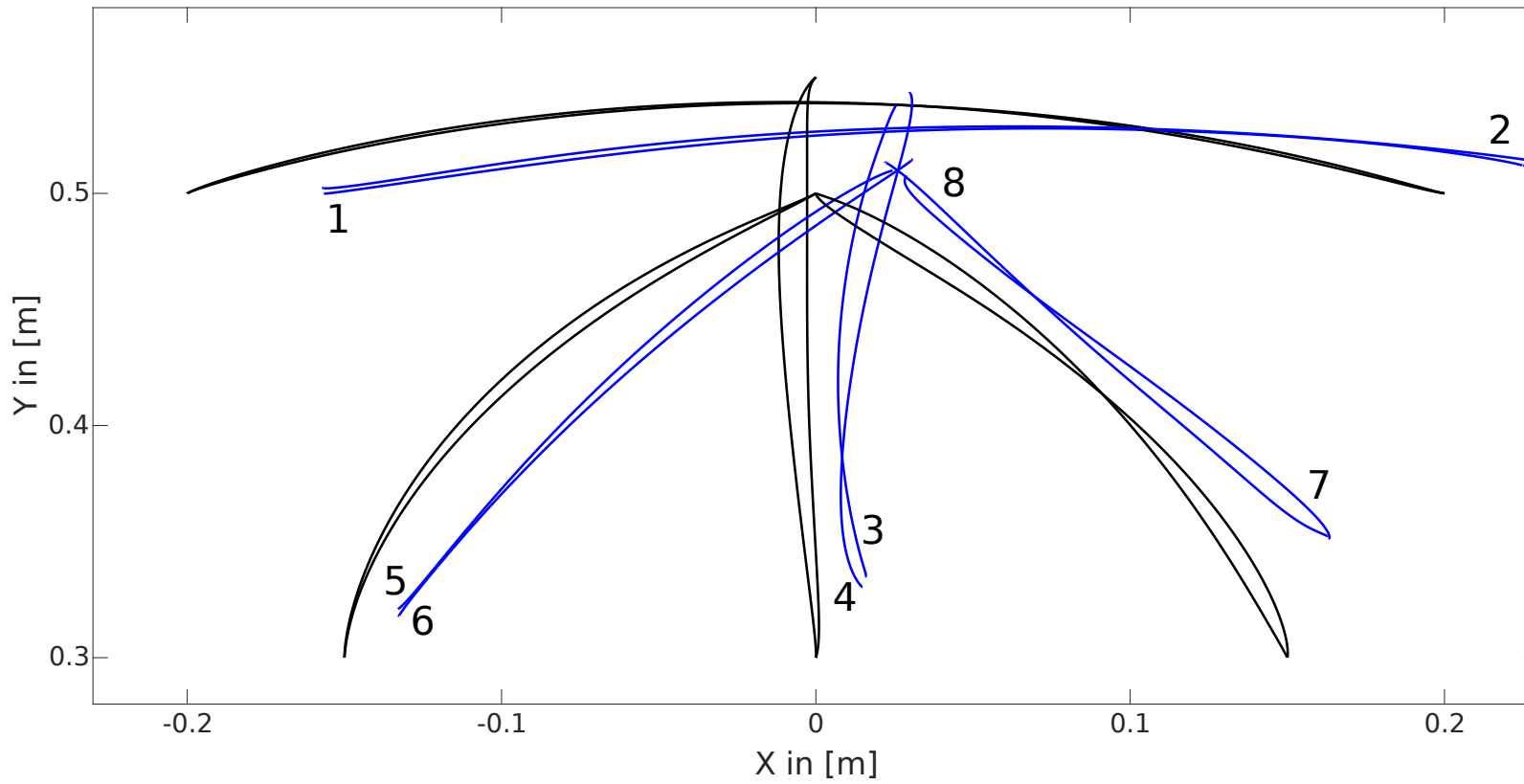
- two joint limb with 6 muscles
- = 2 pairs of mono-articulatory m.
- + 1 pair of bi-articulatory m.
- muscle length link to joint angles

$$l_i = c_i + c'_{i,s} \theta_s + c'_{i,e} \theta_e$$



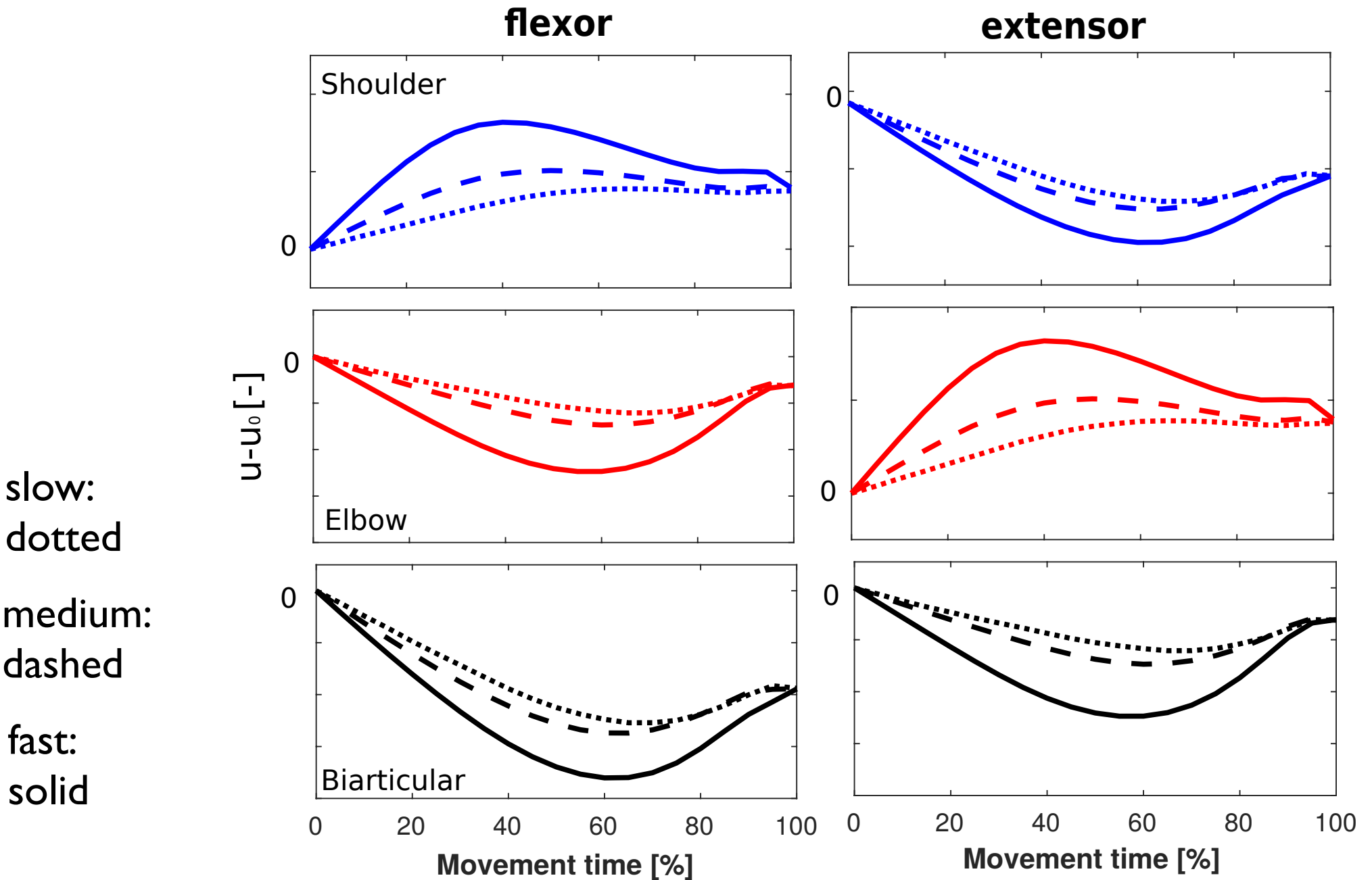


# Paths data vs. model

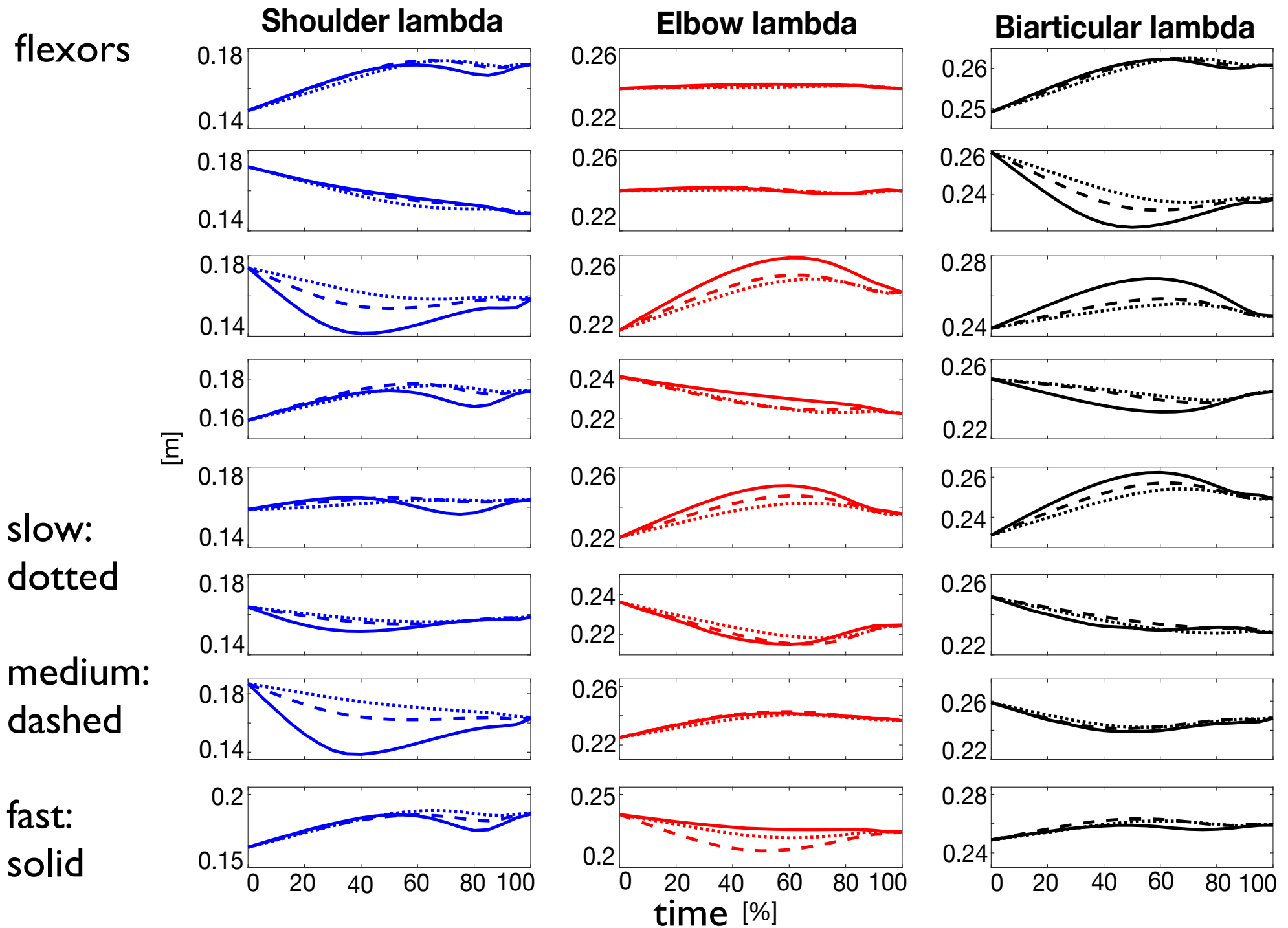


blue: experiment  
black: model

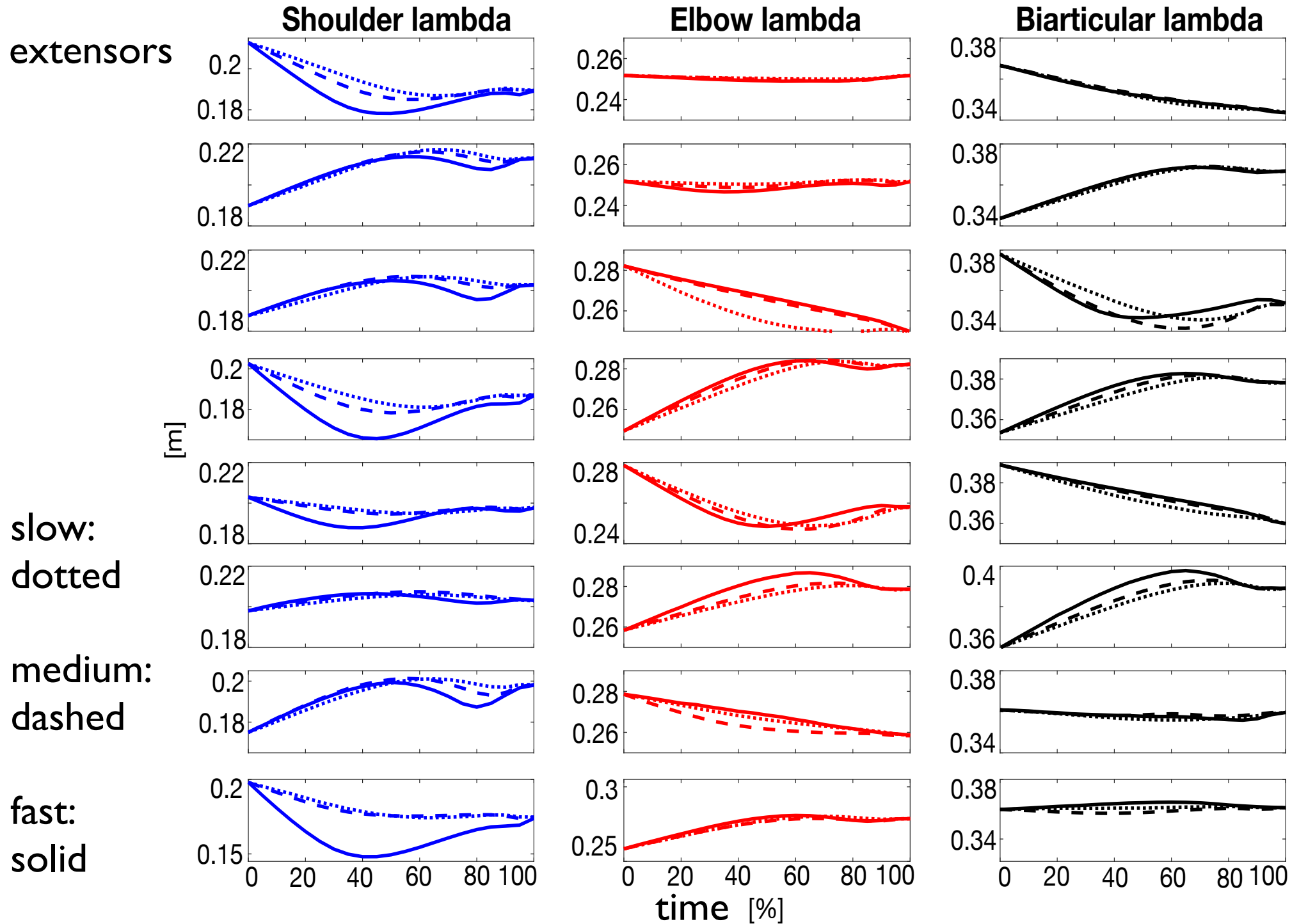
# Minimal descending activation



# Minimal lambda trajectories



# Minimal lambda trajectories

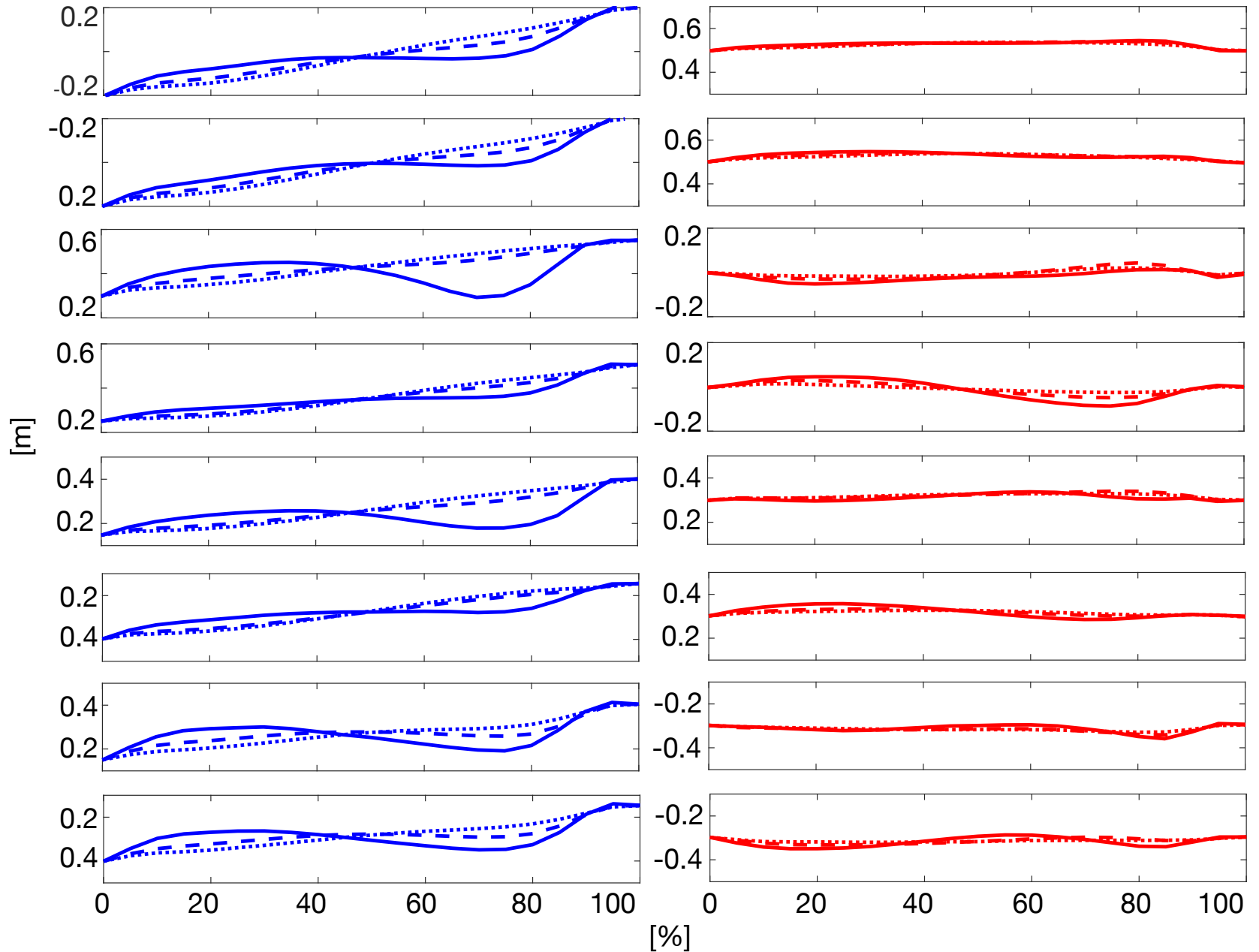


# Hodgson-Hogan attractor trajectories

in movement direction

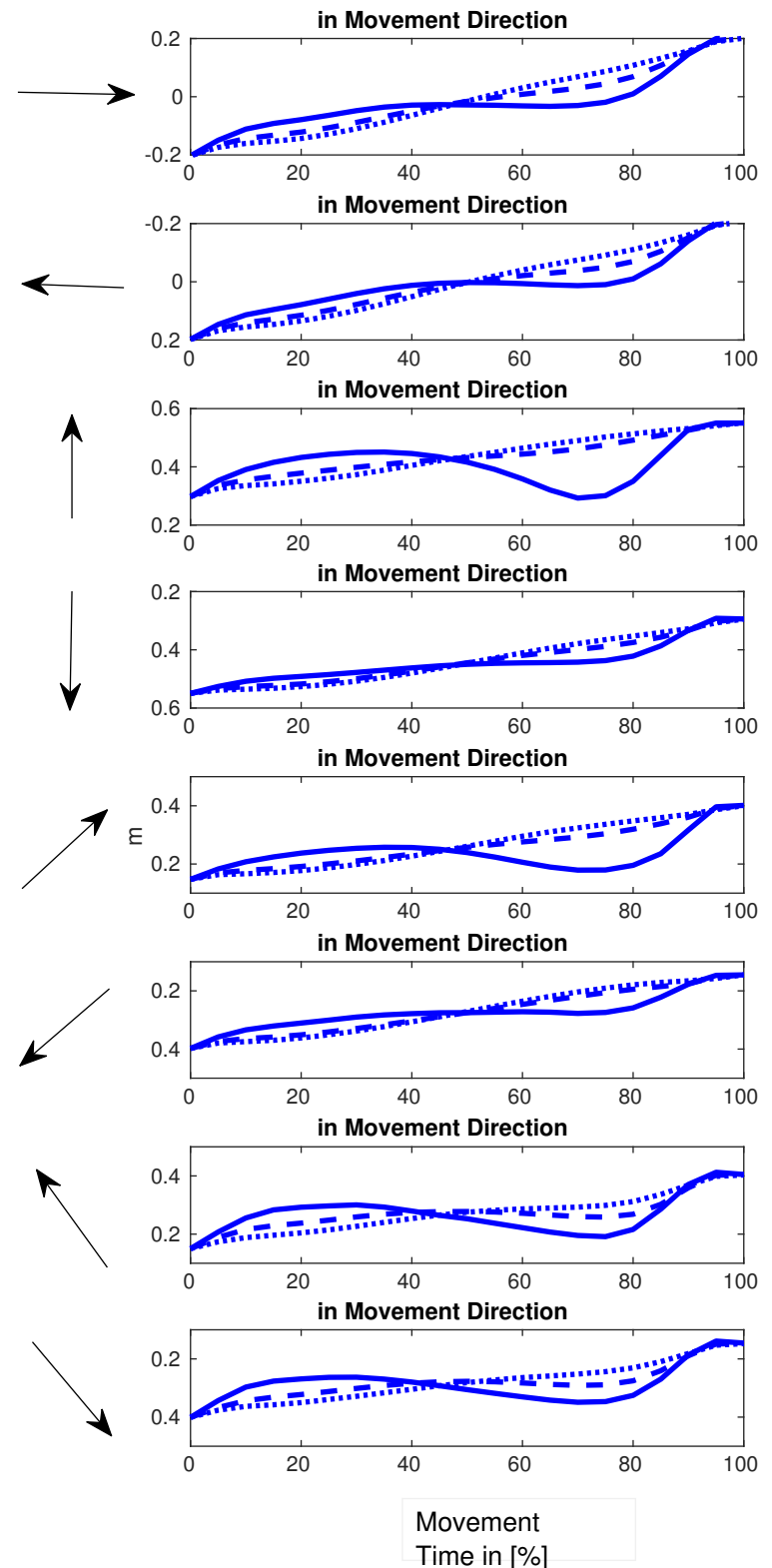
orthogonal to movement direction

in end-effector space!



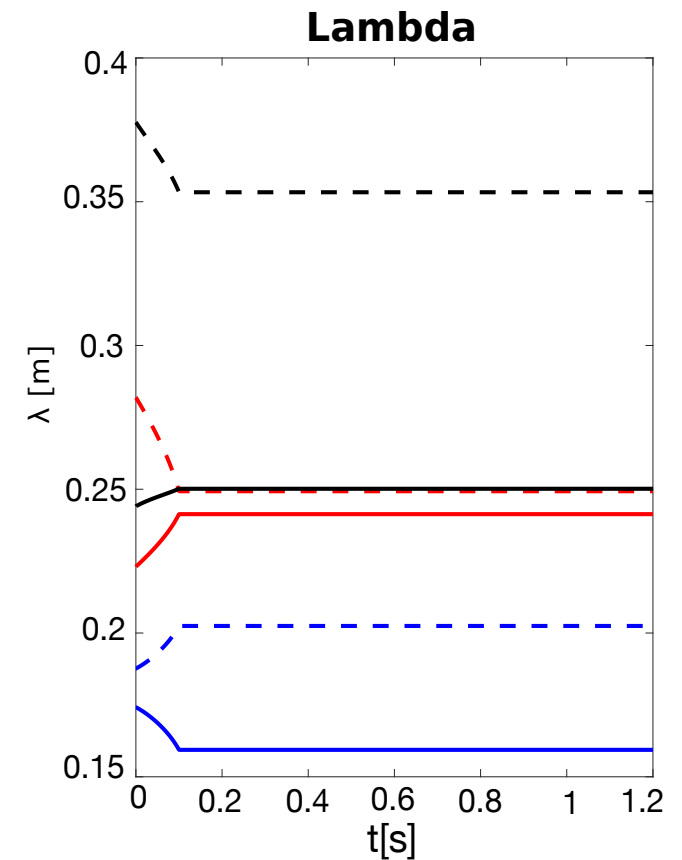
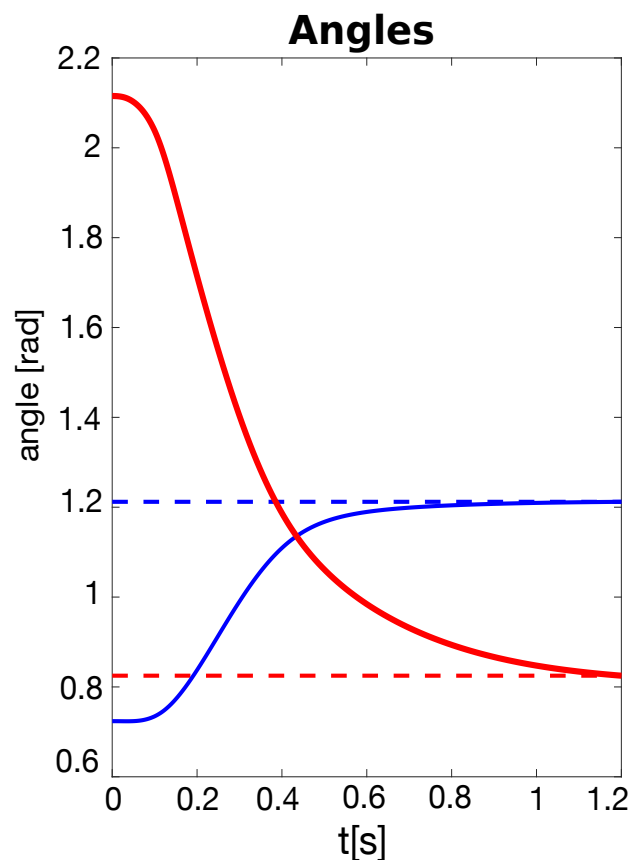
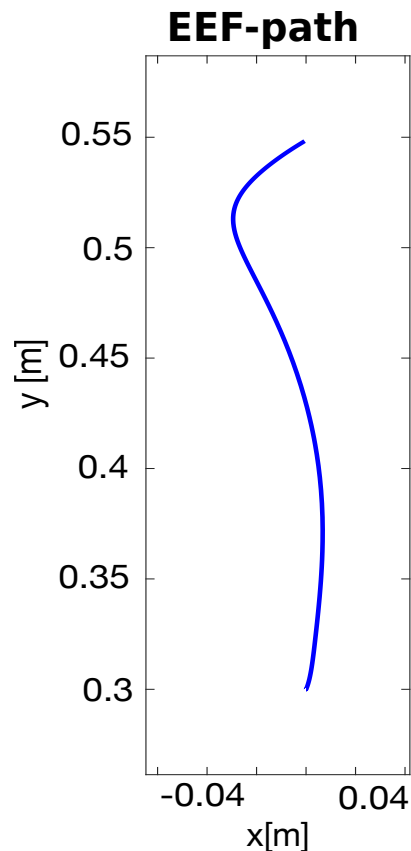
# attractor trajectory in hand-space

- at higher speeds (solid line), attractor trajectories are temporally structured “just right” for the hand to reach the target



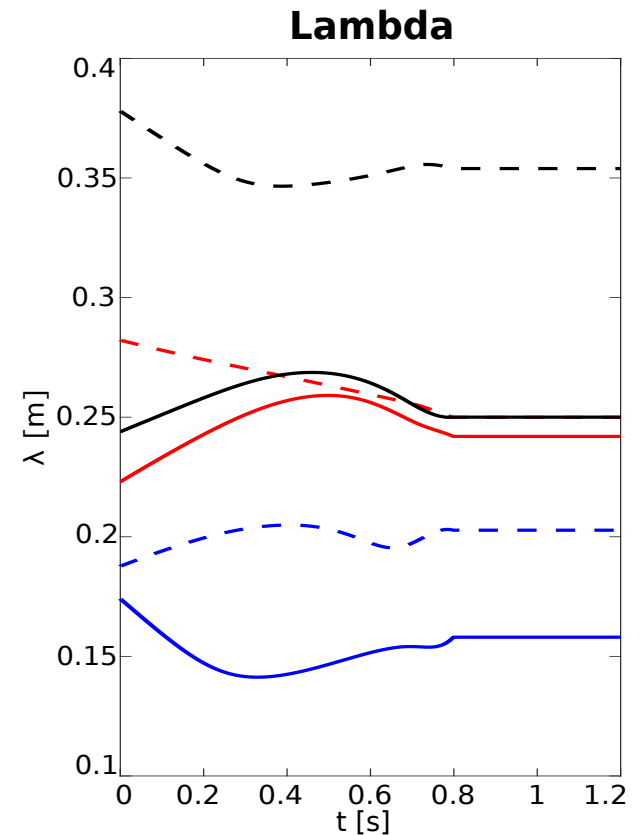
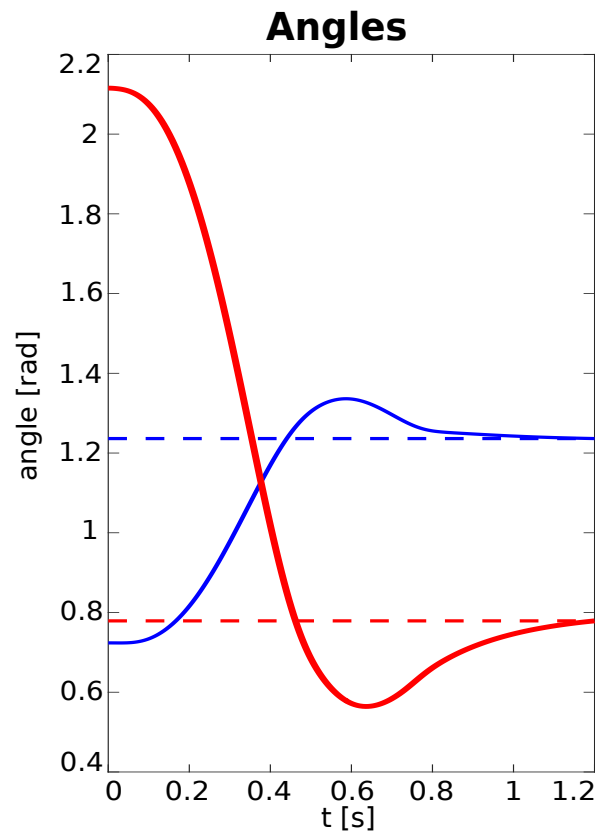
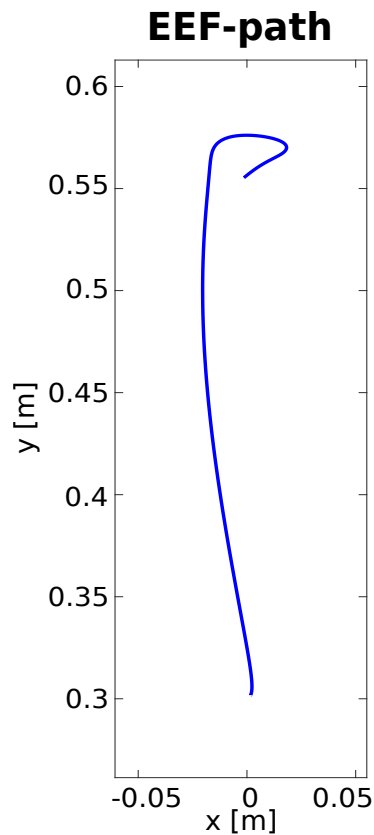
# Do the time courses of lambda matter?

- making a slow lambda (ramp in hand space) fast => doesn't make movement fast



# Do the time courses of lambda matter?

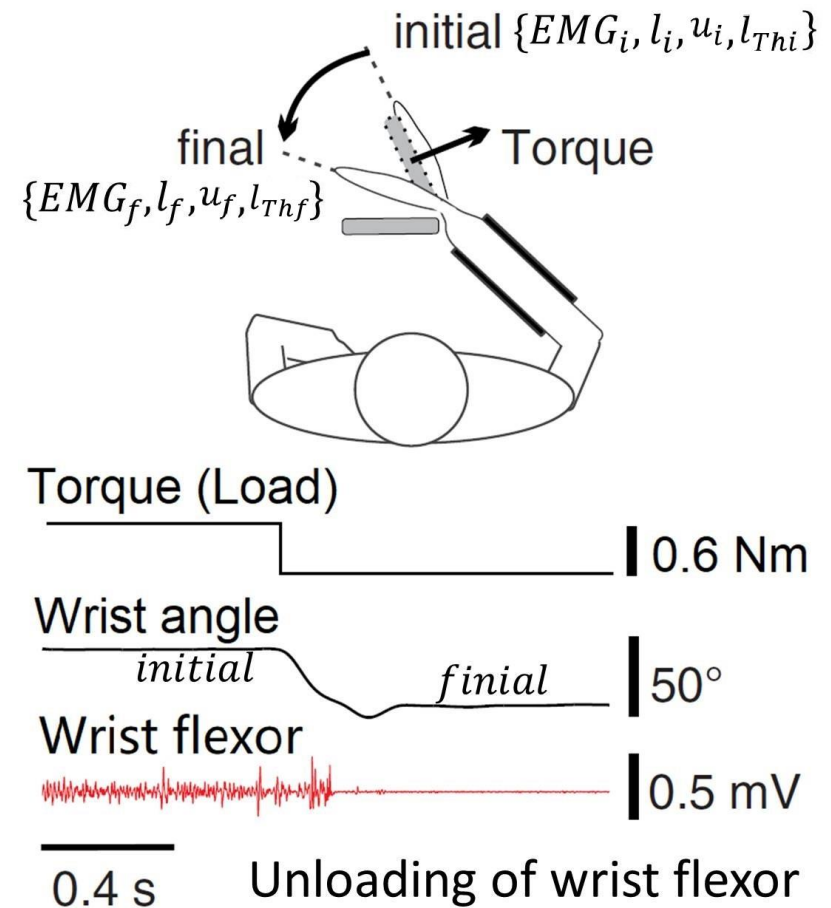
- making a fast lambda slow: doesn't make a good slow movement





# (3) Estimate descending activation from EMG

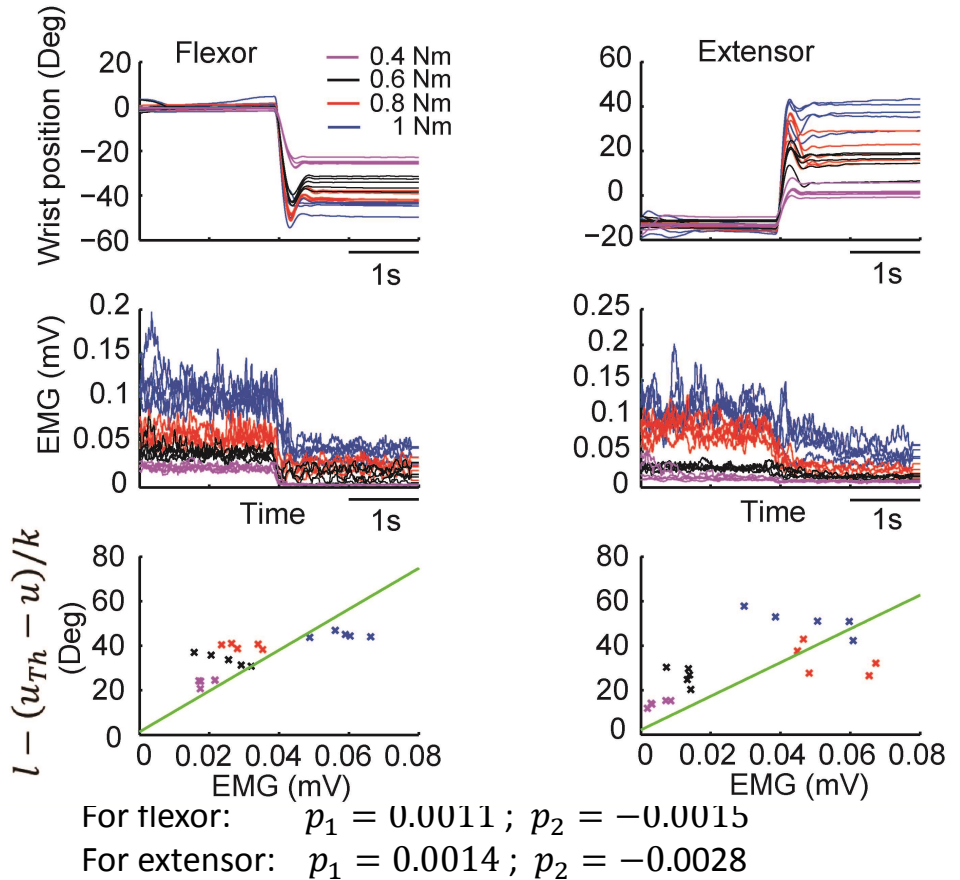
- unloading experiment to determine linear relationship between EMG and descending activation
- (by estimating threshold length in unloading)



[Zhang, Feldman, Schöner]

# (3) Estimate descending activation from EMG

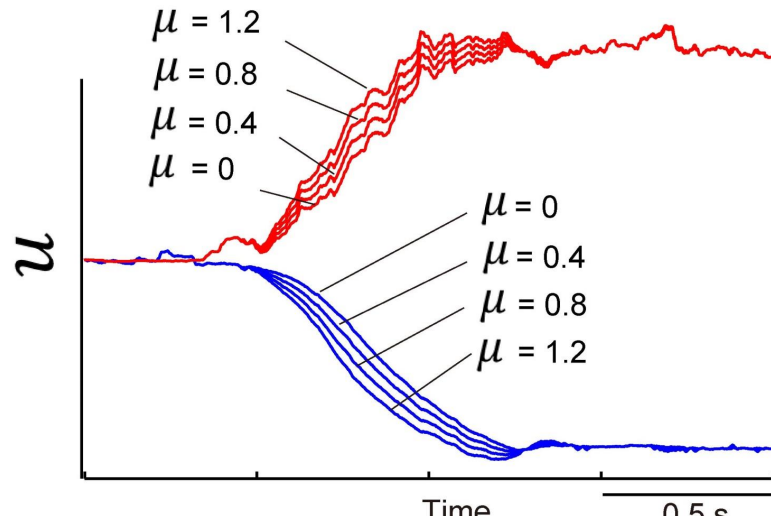
- unloading experiment to determine linear relationship between EMG and descending activation
- (by estimating threshold length in unloading)



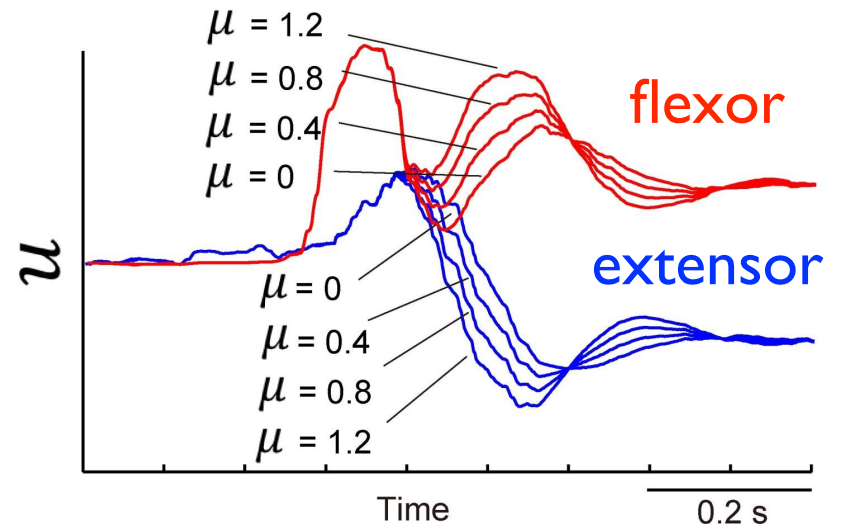
$$EMG = p_1 \times (l - l_{Th}) + p_2 = p_1 \times (l - (u_{Th} - u)/k) + p_2$$

[Zhang, Feldman, Schöner]

slow



fast



$$A = [k(l + \mu l) - (u_{Th} - u)]^+ = k[l + \mu l - l_{Th}]^+$$

# Why is this important ?

- quasi-postural picture

  - target is an attractor....

- optimal control picture

  - a precise time course of a motor command must be computed and generated to move to the target and reach zero velocity there

- => demands on the neural computations

- => demands on learning

# Conclusion: Human motor control

- Human movement uses “soft” muscles that have nonlinear muscle dynamics
- Postures are stabilized by reflexes, whose thresholds must be shifted during movement
- Those shifts by descending commands so solve the “optimal control” problem = the right time course so that the effector arrives at the target in the desired time with small velocity and a smooth temporal shape