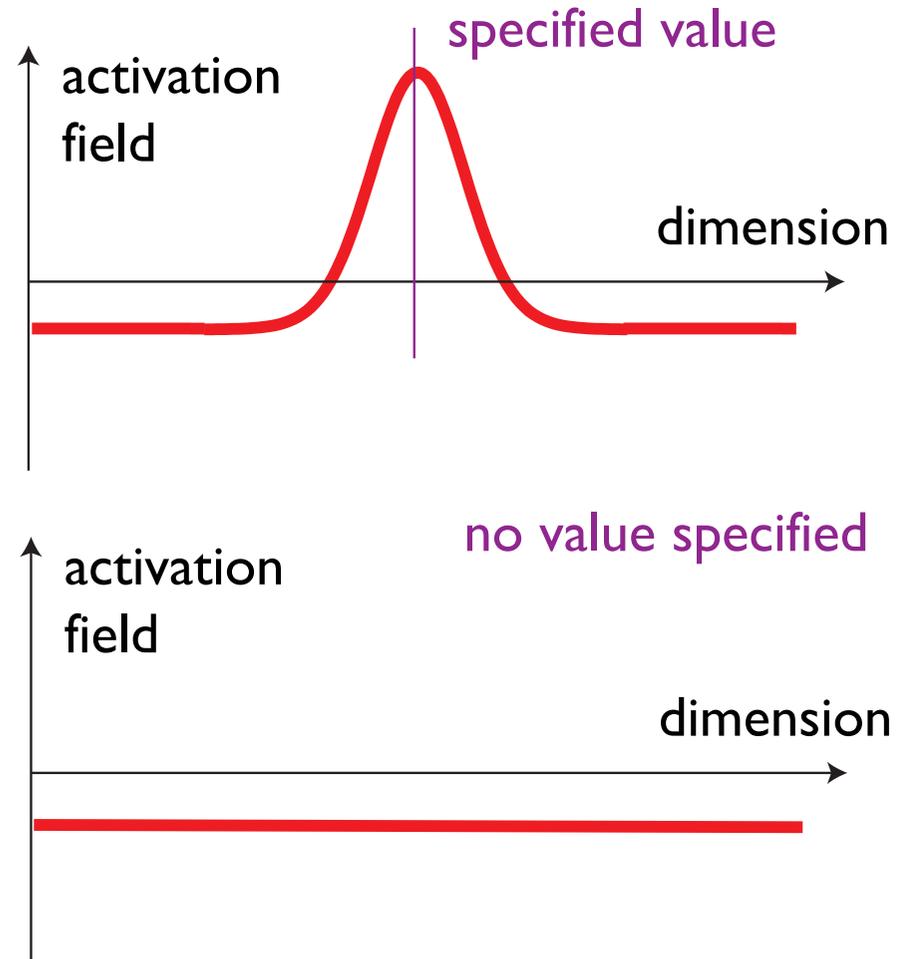
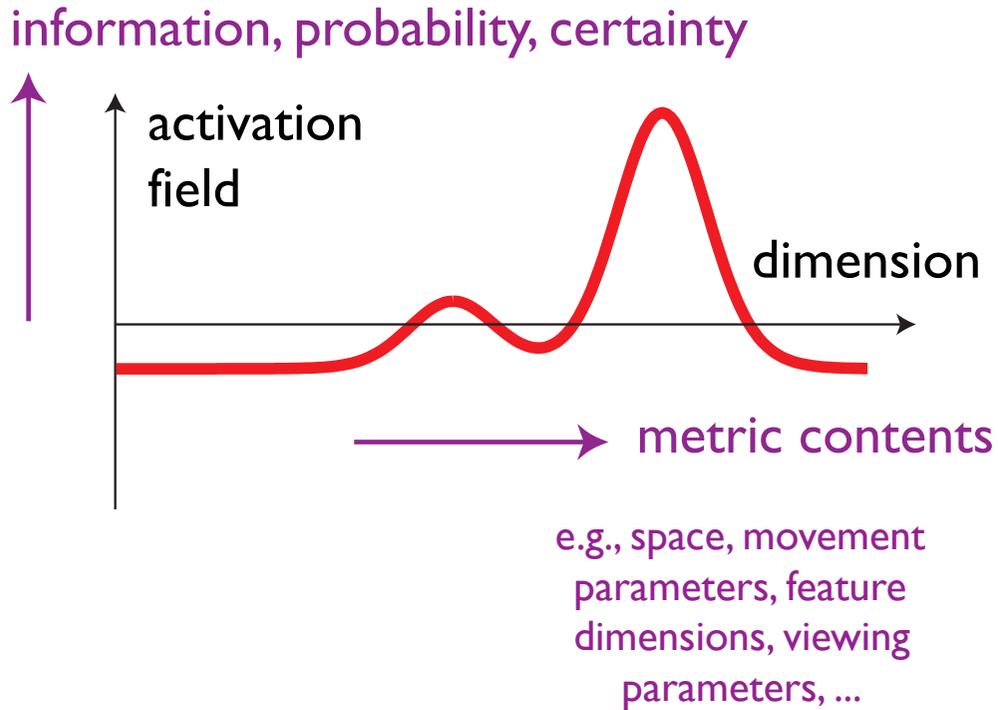


# Dynamic Field Theory: Part 2: dynamics of activation fields

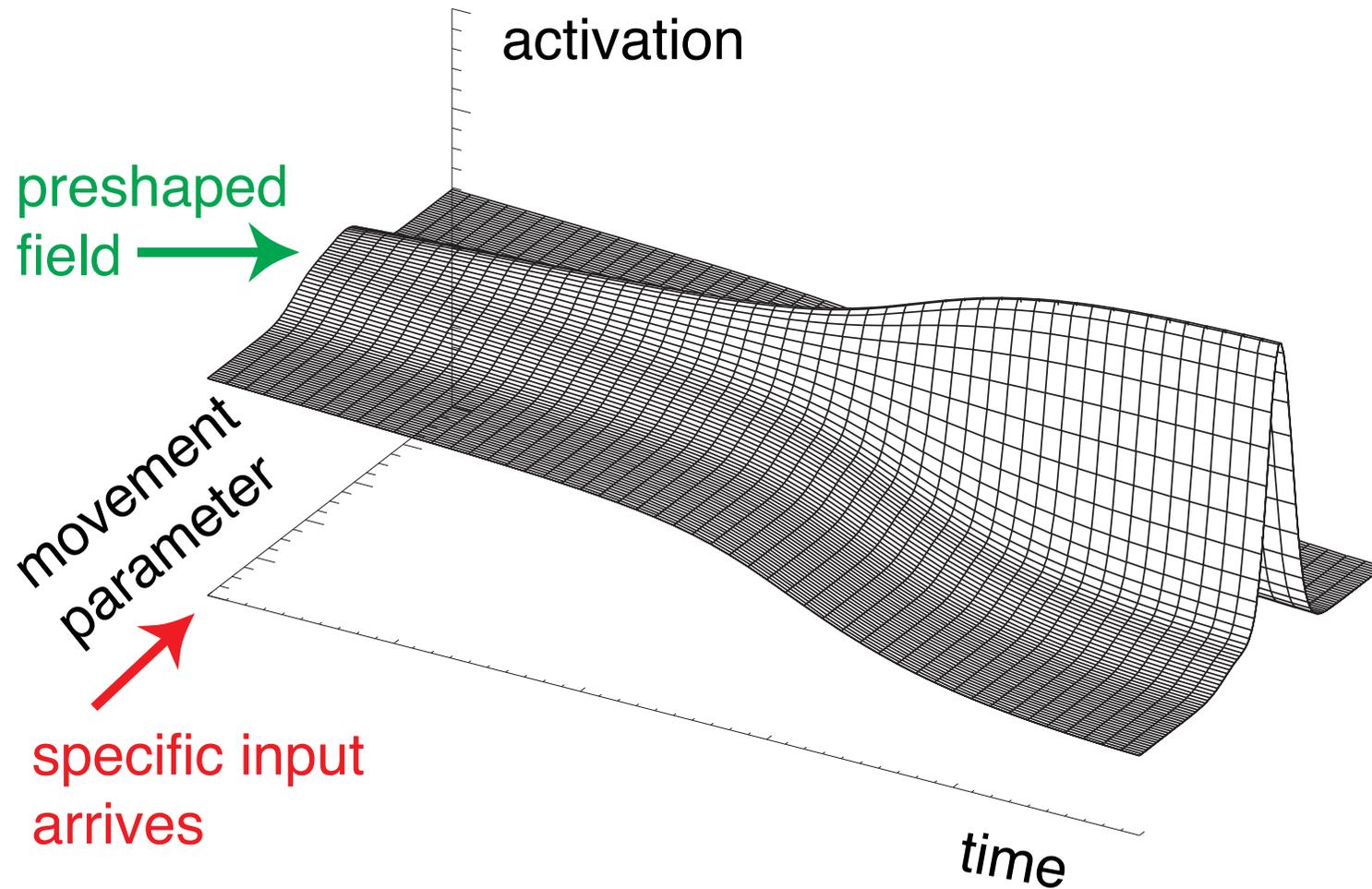
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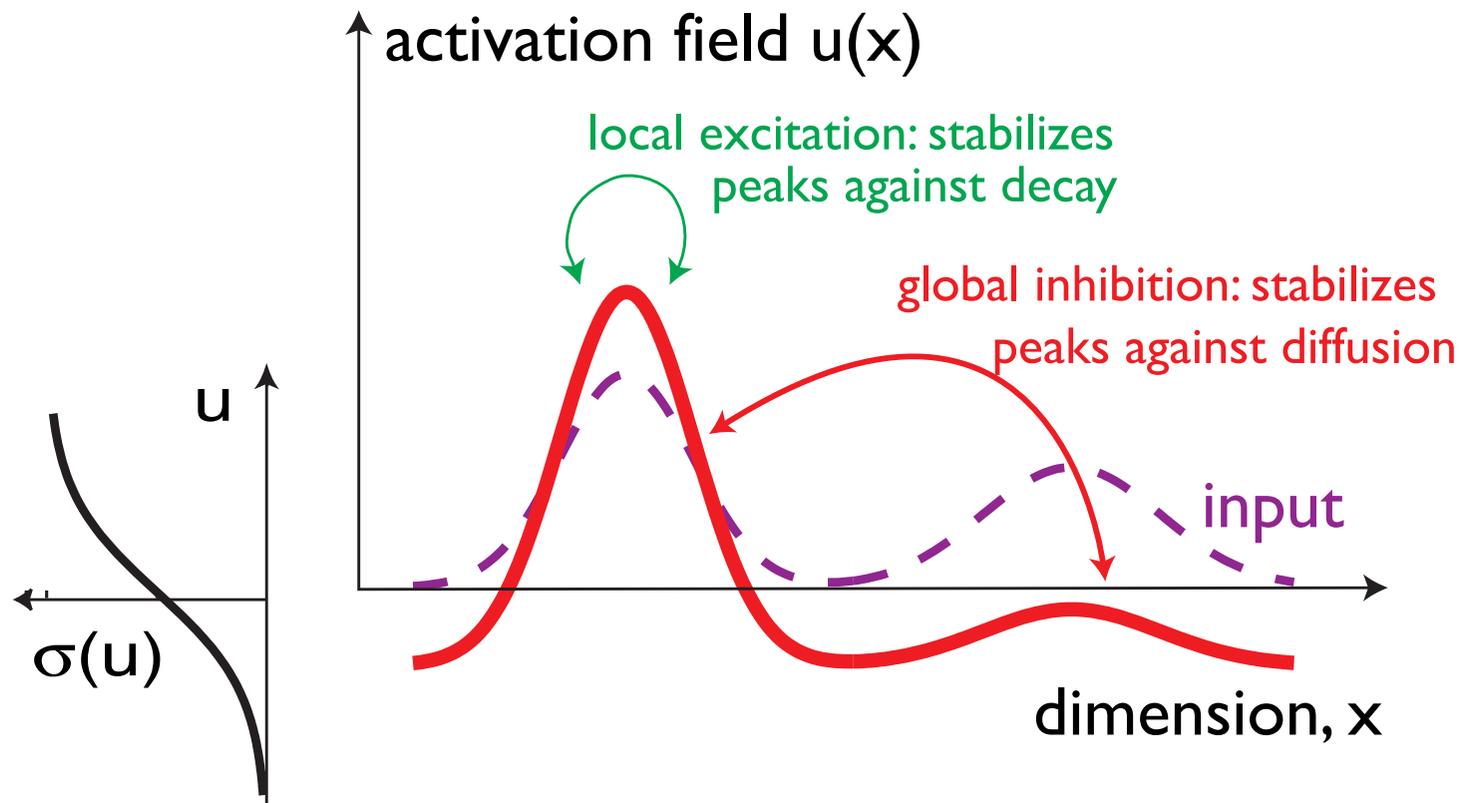
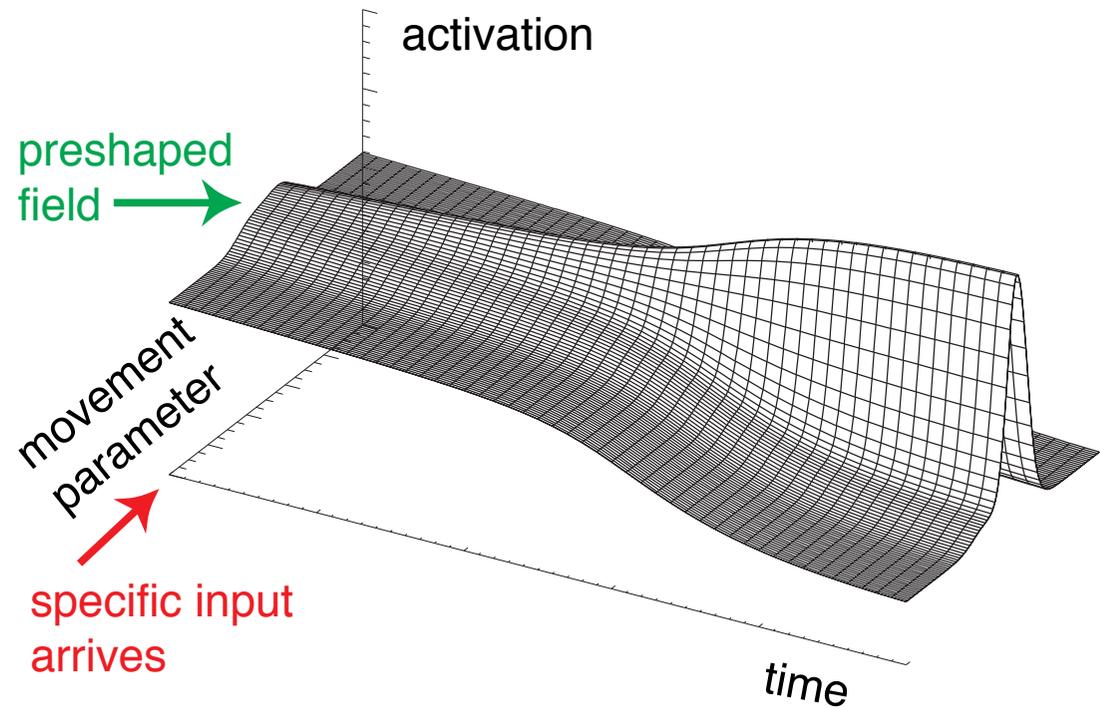
# activation fields



# evolution of activation fields in time: neuronal dynamics



the dynamics such  
activation fields is  
structured so that  
localized peaks  
emerge as attractor  
solutions



# mathematical formalization

Amari equation

$$\tau \dot{u}(x, t) = -u(x, t) + h + S(x, t) + \int w(x - x') \sigma(u(x', t)) dx'$$

where

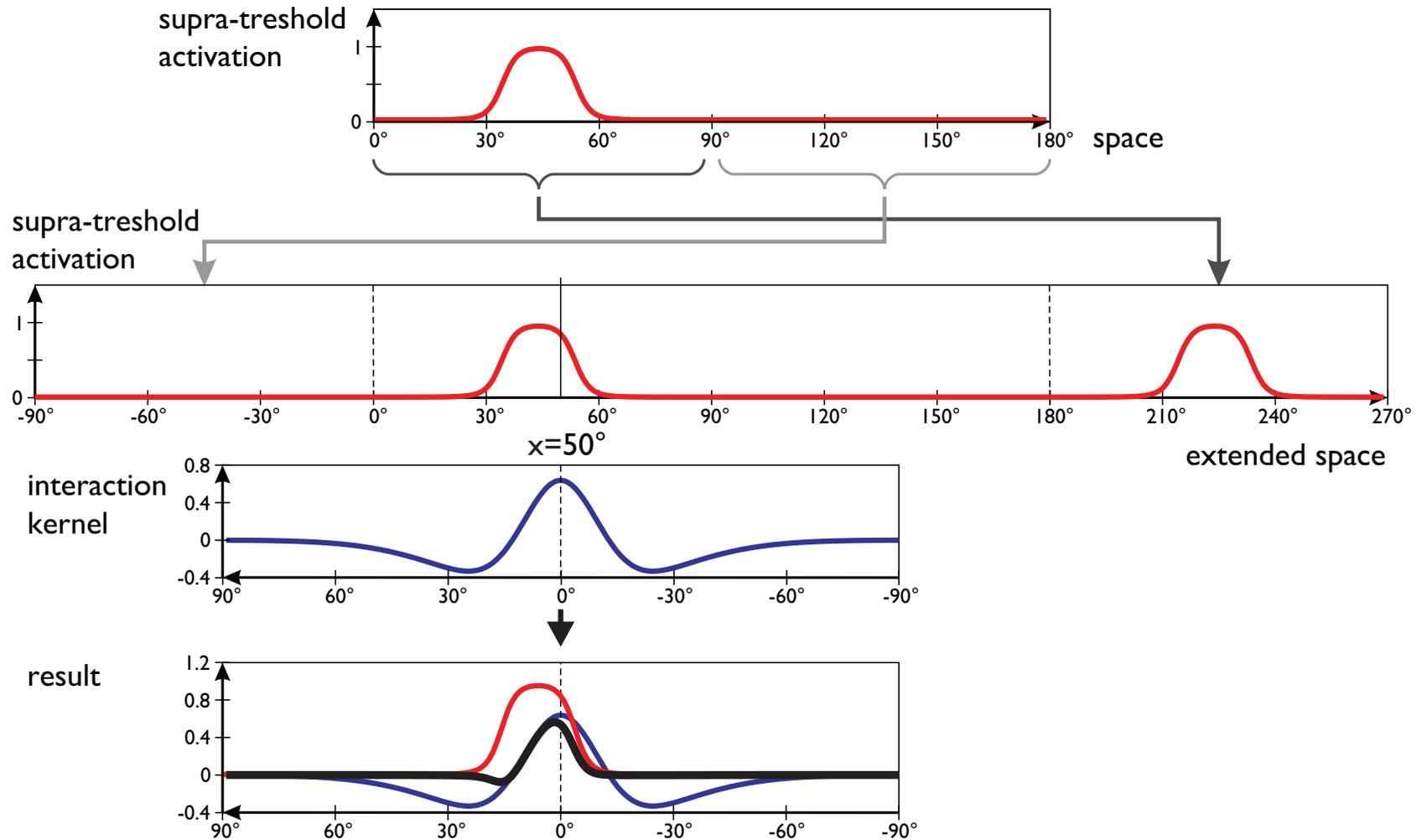
- time scale is  $\tau$
- resting level is  $h < 0$
- input is  $S(x, t)$
- interaction kernel is

$$w(x - x') = w_i + w_e \exp \left[ -\frac{(x - x')^2}{2\sigma_i^2} \right]$$

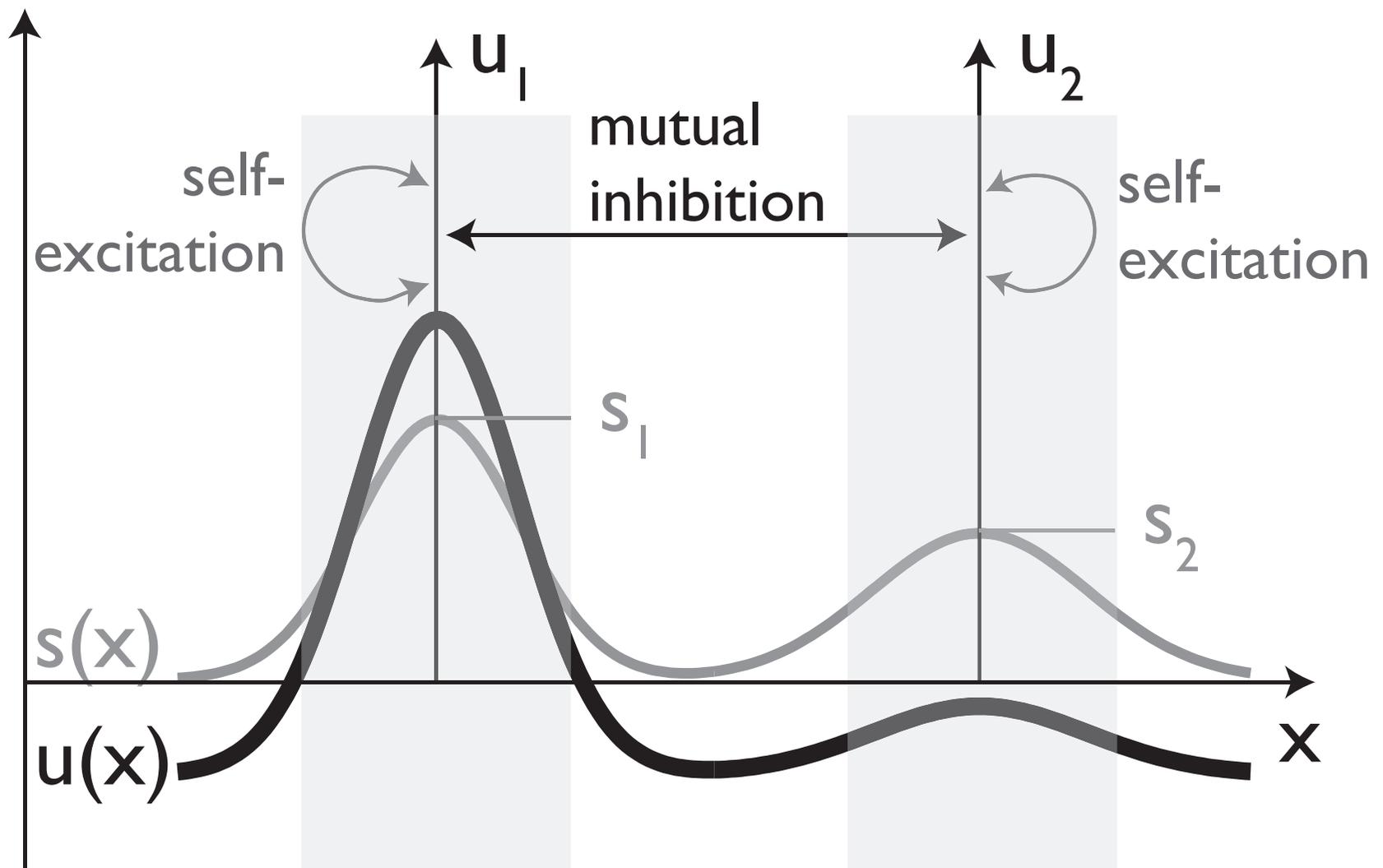
- sigmoidal nonlinearity is

$$\sigma(u) = \frac{1}{1 + \exp[-\beta(u - u_0)]}$$

# Interaction: convolution



# Relationship to the dynamics of discrete activation variables



=> simulations

# solutions and instabilities

- input driven solution (sub-threshold) vs. self-stabilized solution (peak, supra-threshold)
- detection instability
- reverse detection instability
- selection
- selection instability
- memory instability
- detection instability from boost