

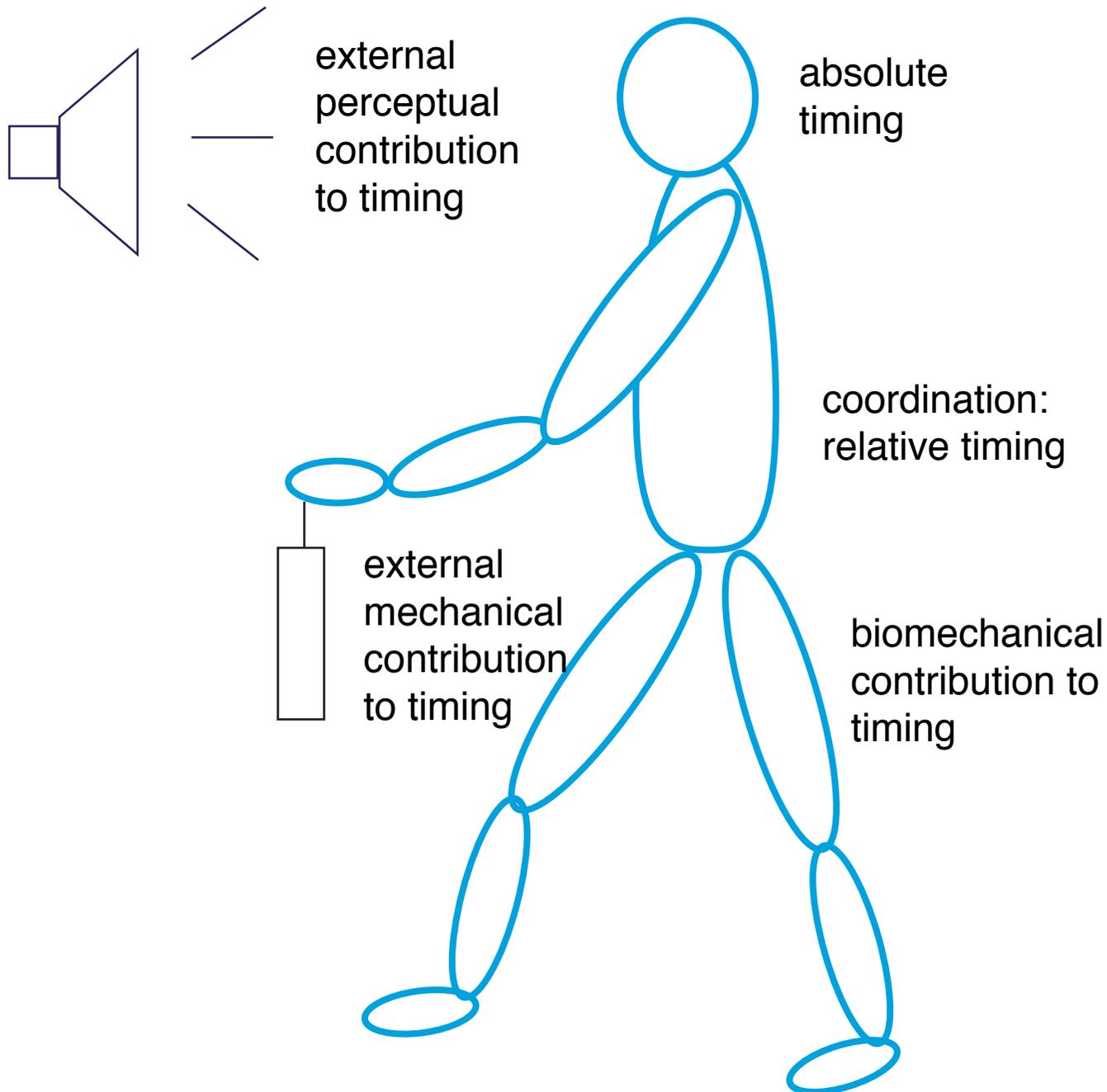
Timing and coordination

Gregor Schöner

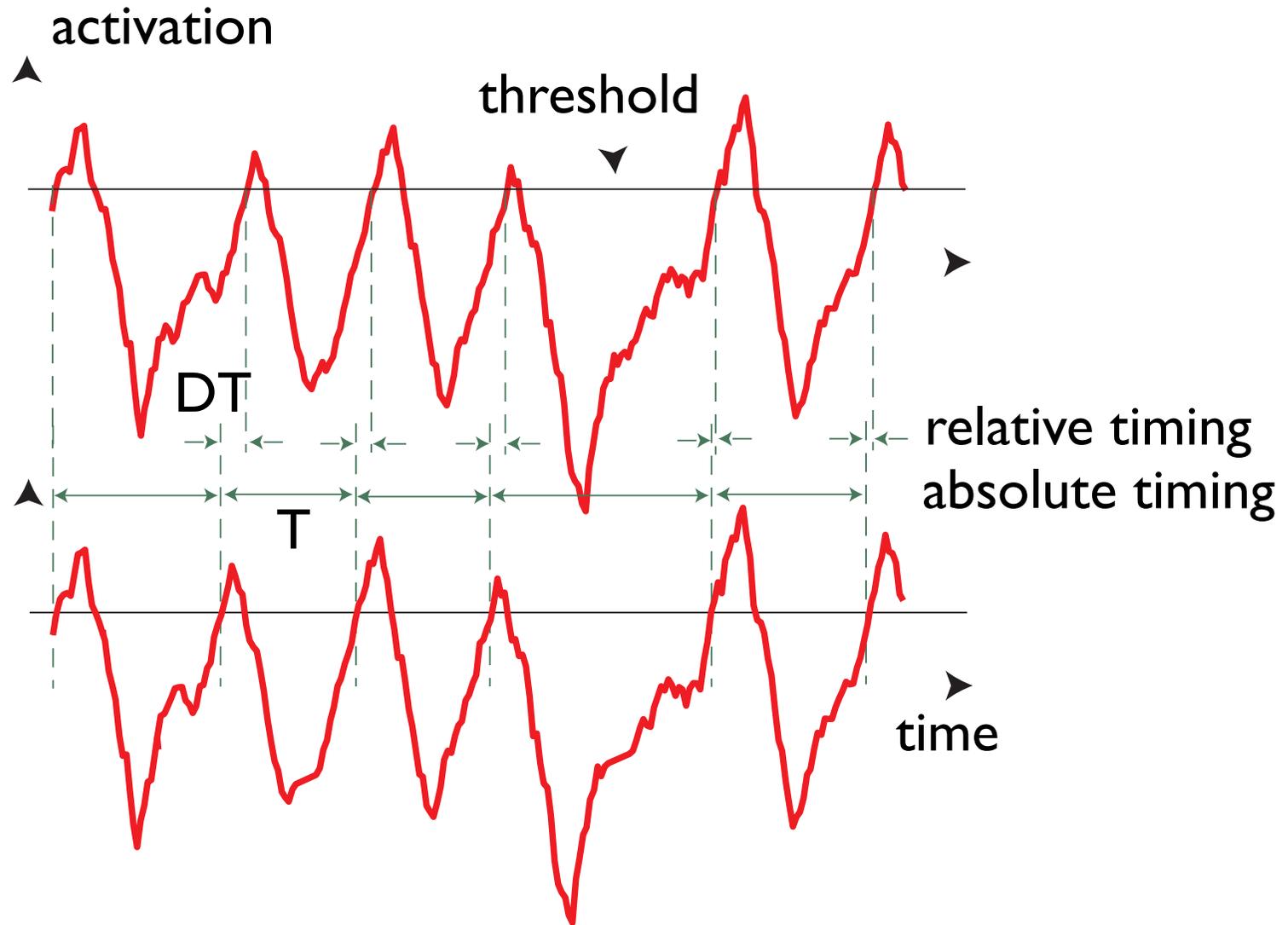
movement timing

- generating actual time courses of movement
- organizing movements in time: coordination

How is timing generated?



Relative vs. absolute timing



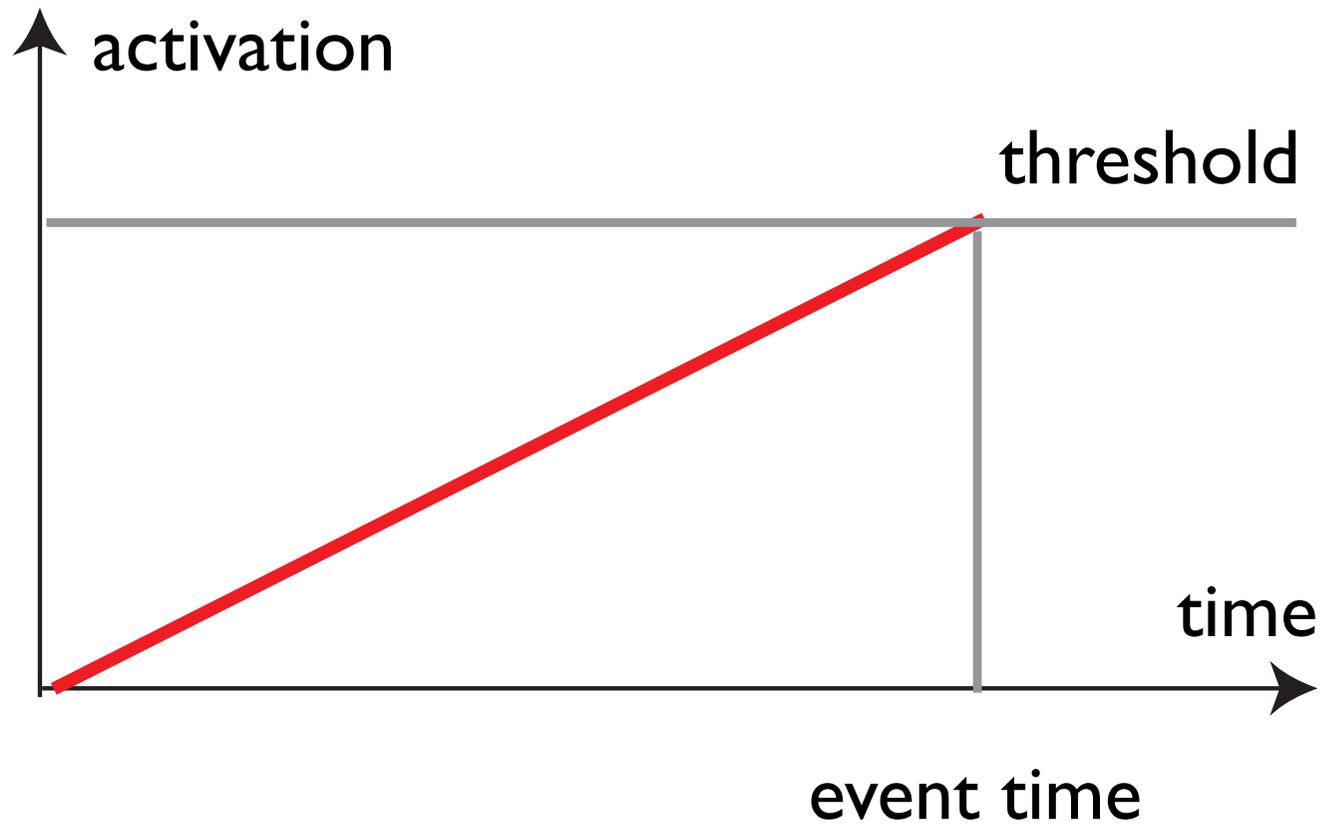
relative phase = DT/T

Absolute timing

- examples: music, prediction, estimating time
- typical task: tapping
- self-paced vs. externally paced

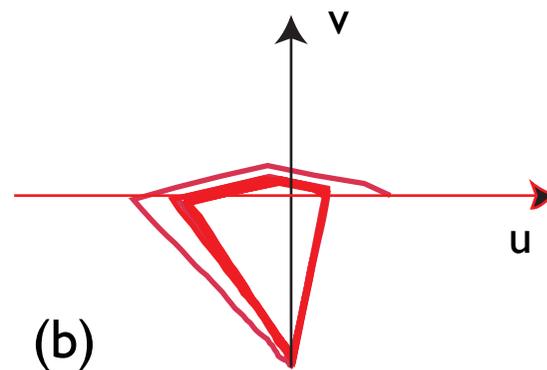
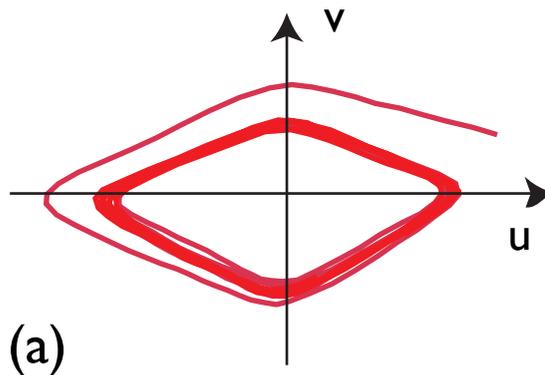
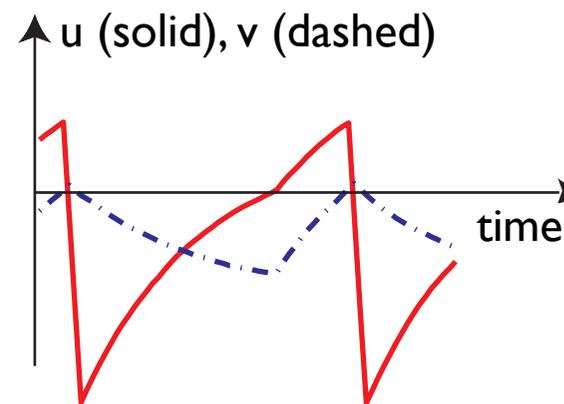
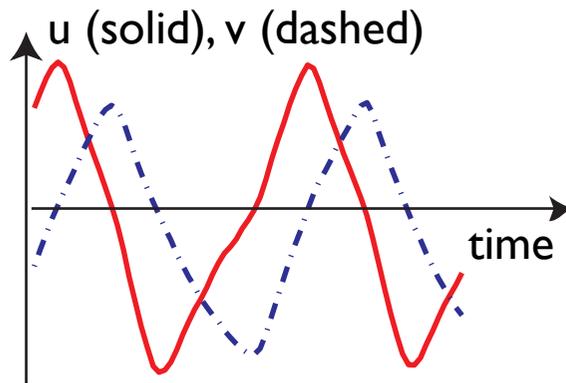
Clocks

- activation growth (hour glass)



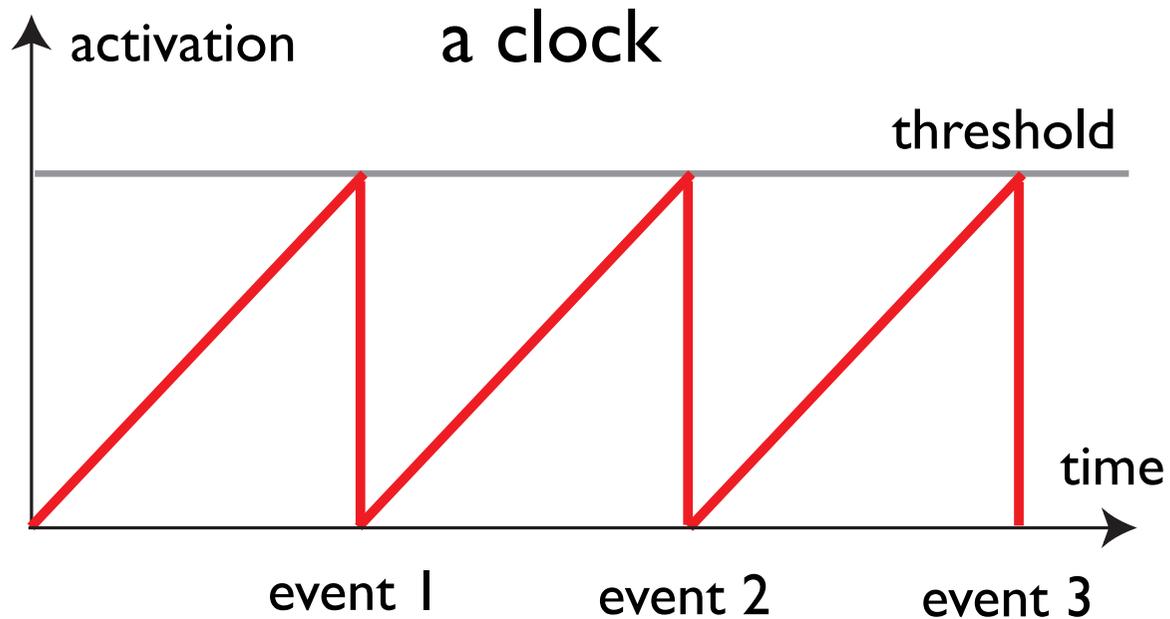
Clocks

- oscillators: stable period solutions=limit cycle attractors



Clocks

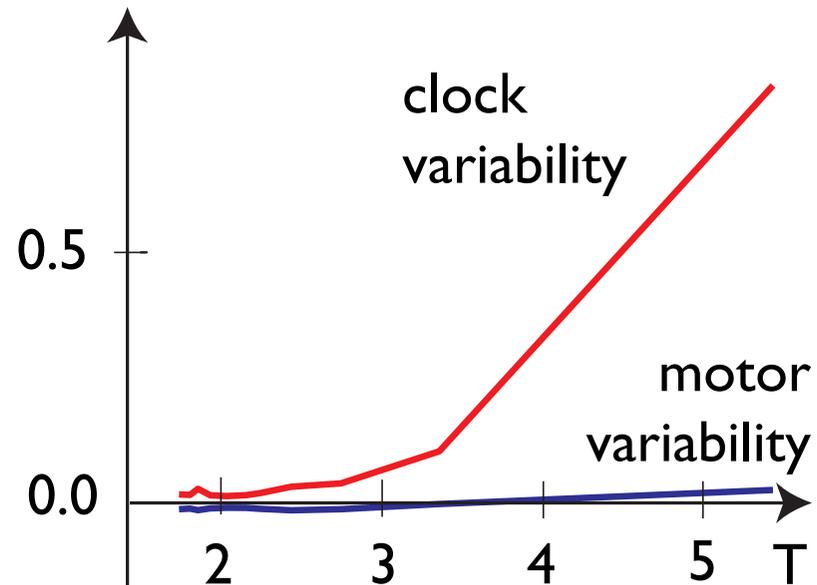
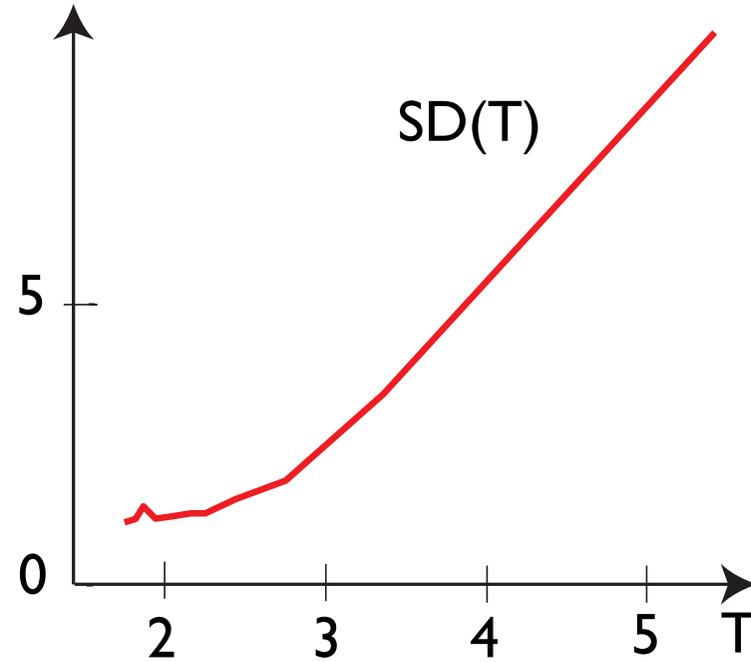
- hour glasses are oscillators as well



[from: Schöner, Brain & Cogn 48:31 (2002)]

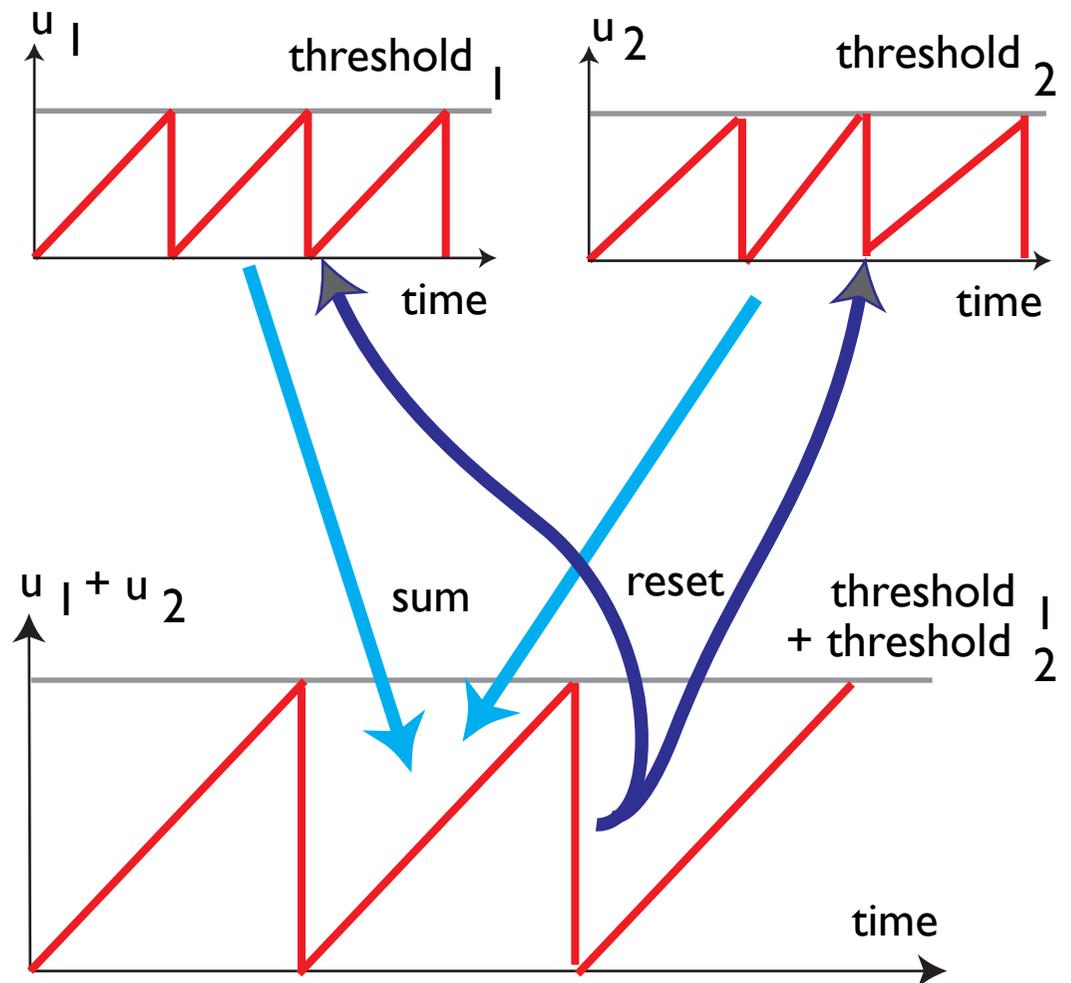
Absolute timing diffusion

- provides an account for increase of timing variance with duration



Reduced timing variance for bimanual movement

- observed by Ivry and colleagues
- accounted for by averaging of two times
- but:



Relative timing: movement coordination

- locomotion, interlimb and intralimb
- speaking
- mastication
- music production
- ... approximately rhythmic

Examples of coordination of temporally discrete acts:

- reaching and grasping
- bimanual manipulation
- coordination among fingers during grasp
- catching, intercepting

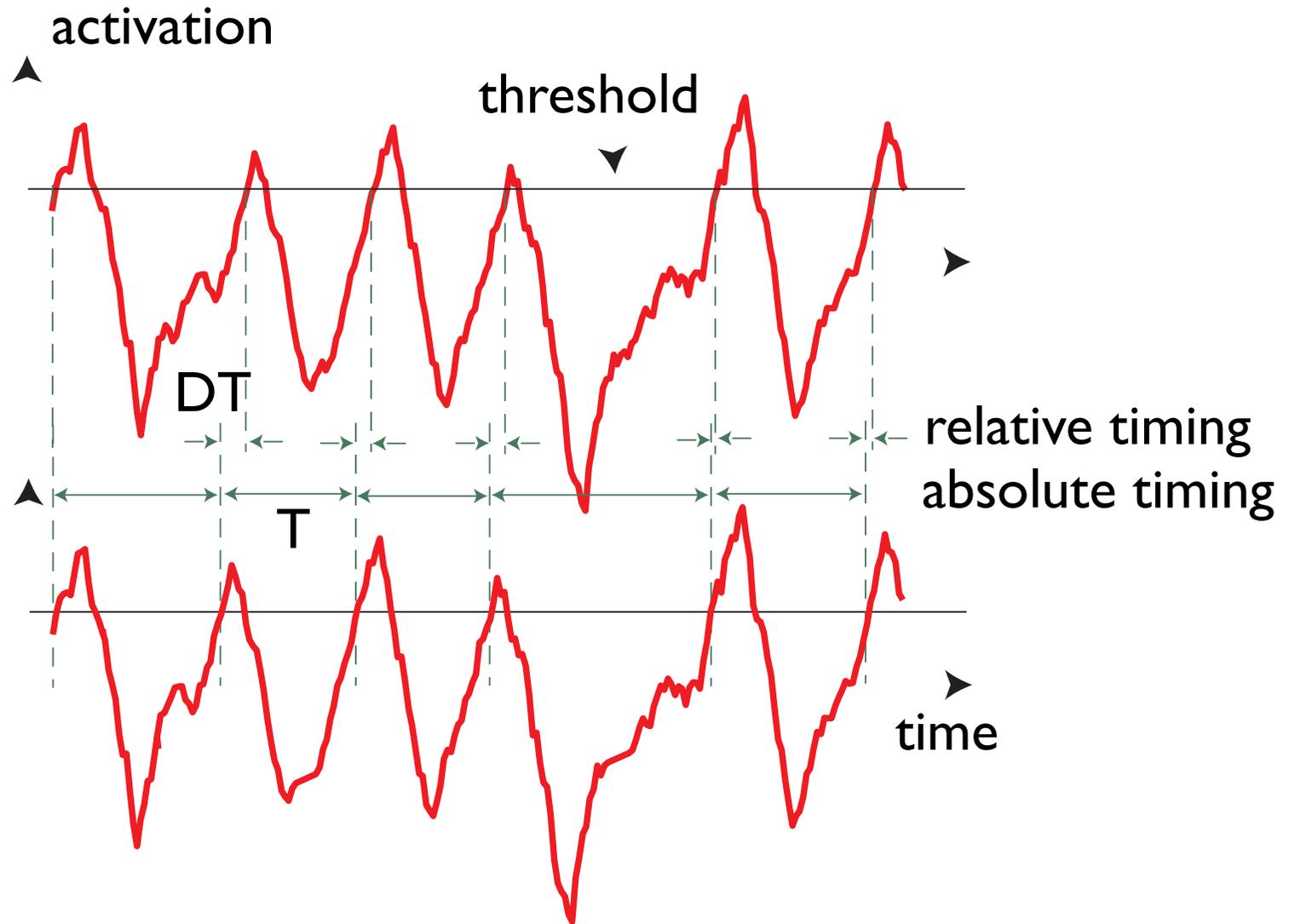
Definition of coordination

- Coordination is the maintenance of stable timing relationships between components of voluntary movement.
- Operationalization: recovery of coordination after perturbations
- Example: speech articulatory work (Gracco, Abbs, 84; Kelso et al, 84)
- Example: action-perception patterns

Is movement always timed/ coordinated?

- No, for example:
- locomotion: whole body displacement in the plane
 - in the presence of obstacles takes longer
 - delay does not lead to compensatory acceleration
- but coordination is pervasive...
 - e.g., coordinating grasp with reach

Relative vs. absolute timing



$$\text{relative phase} = DT/T$$

Two basic patterns of coordination

■ in-phase

- synchronization, moving through like phases simultaneously

- e.g., gallop (approximately)

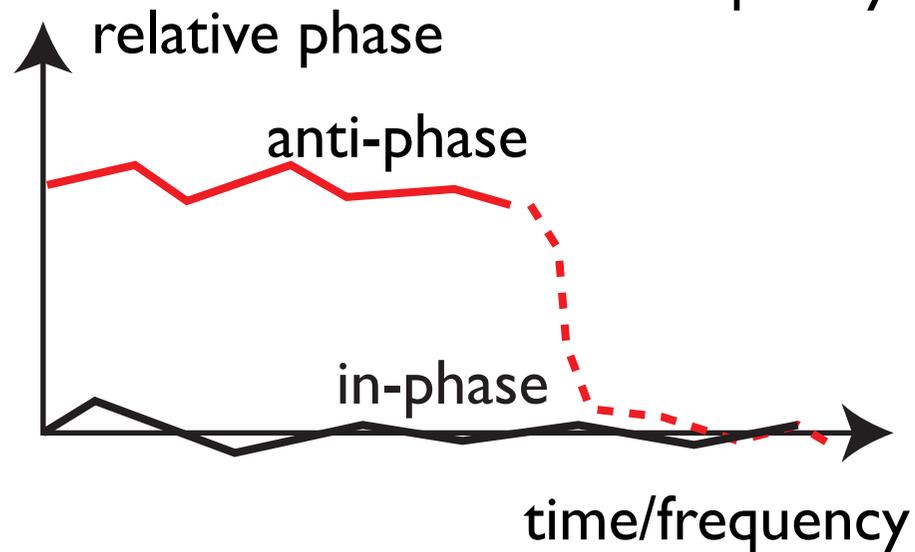
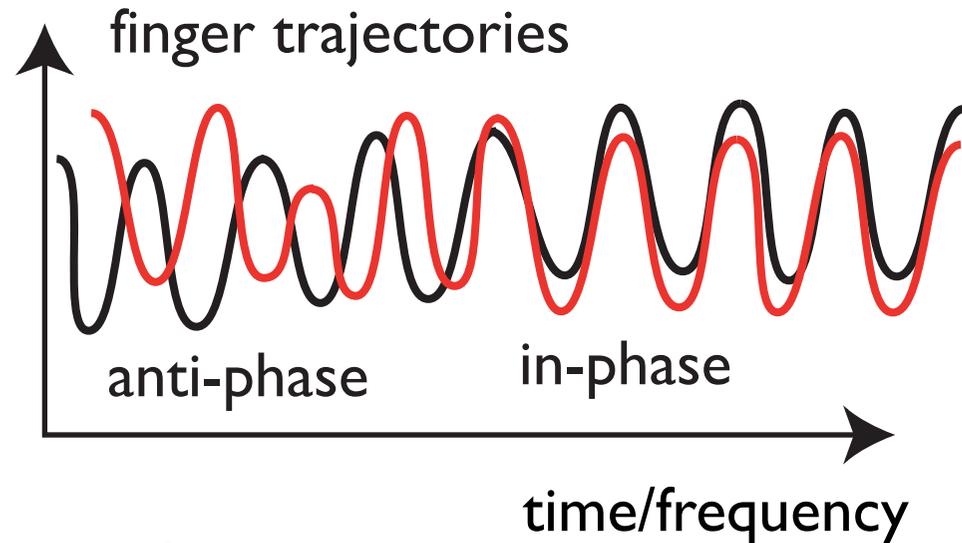
■ anti-phase or phase alternation

- syncopation

- e.g., trot

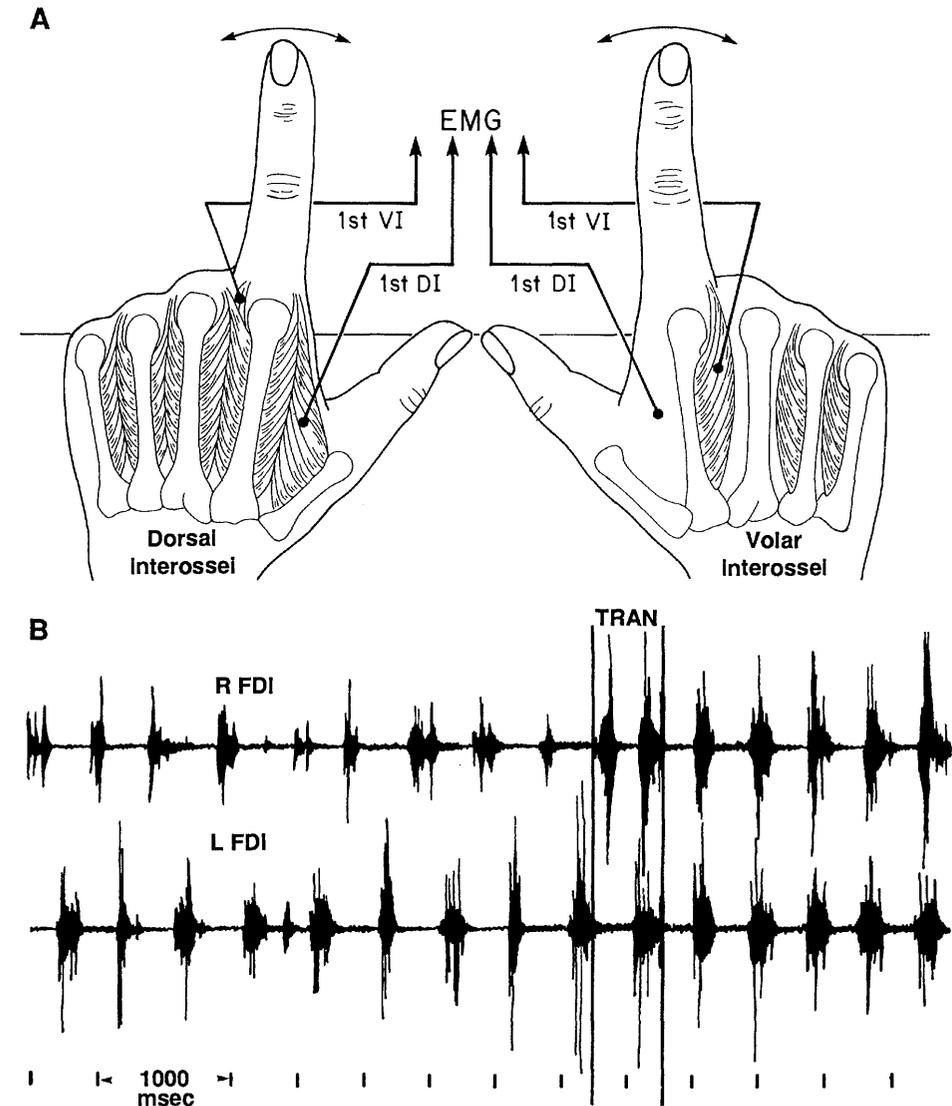
An instability in rhythmic movement coordination

- switch from anti-phase to in-phase as rhythm gets faster



Instability

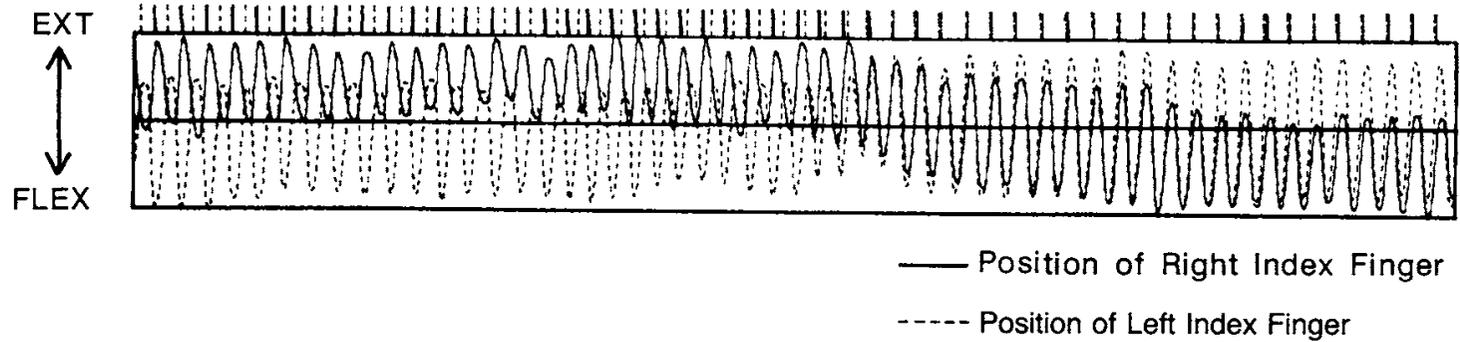
- experiment involves finger movement
- why fingers?
 - no mechanical coupling
 - constraint of maximal frequency irrelevant
 - => pure neurally based coordination



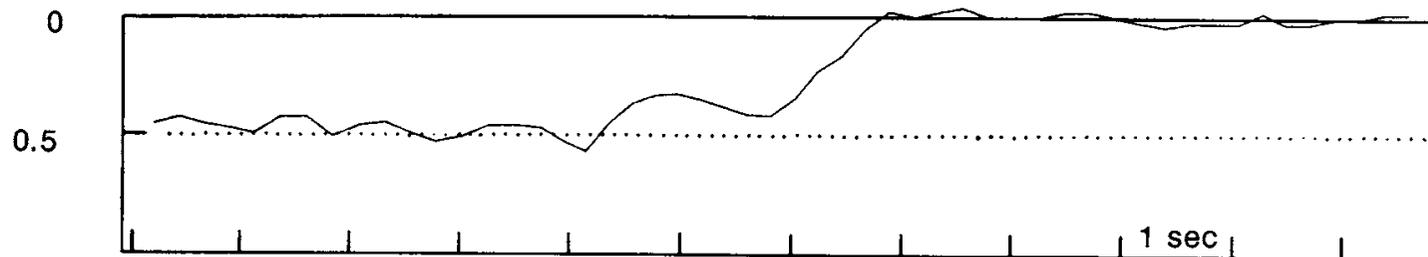
Instability

- frequency imposed by metronomes and varied in steps
- either start out in-phase or anti-phase

A. TIME SERIES



B. CYCLE ESTIMATE OF RELATIVE PHASE

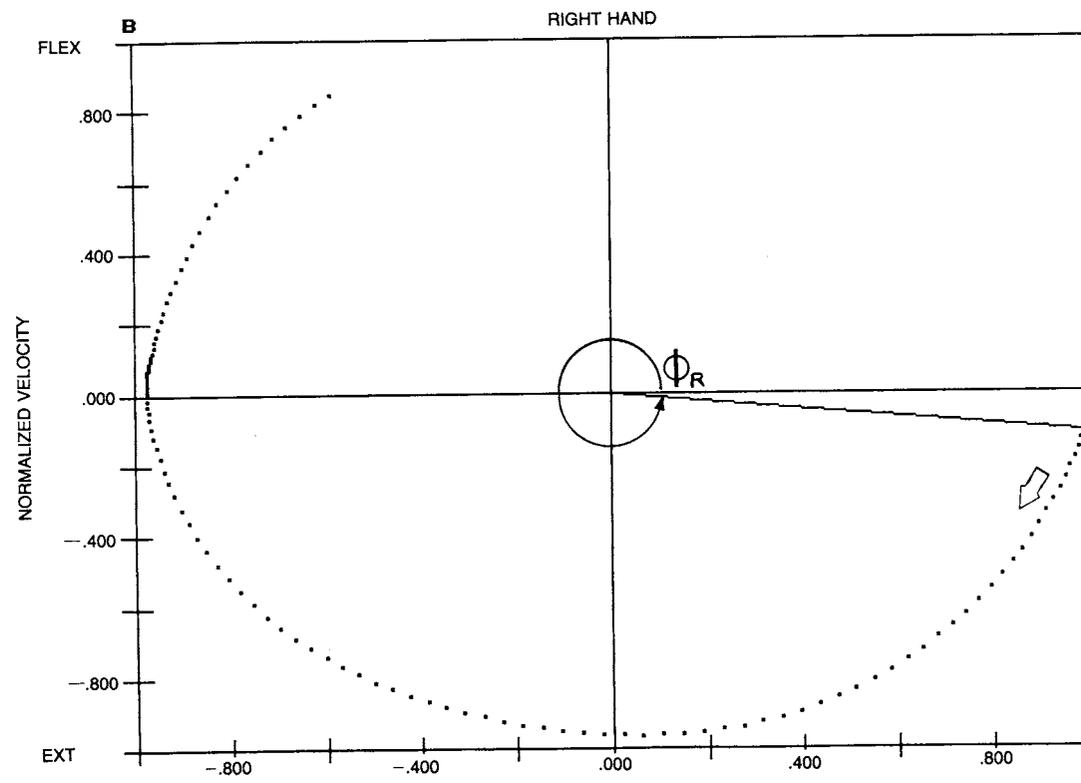
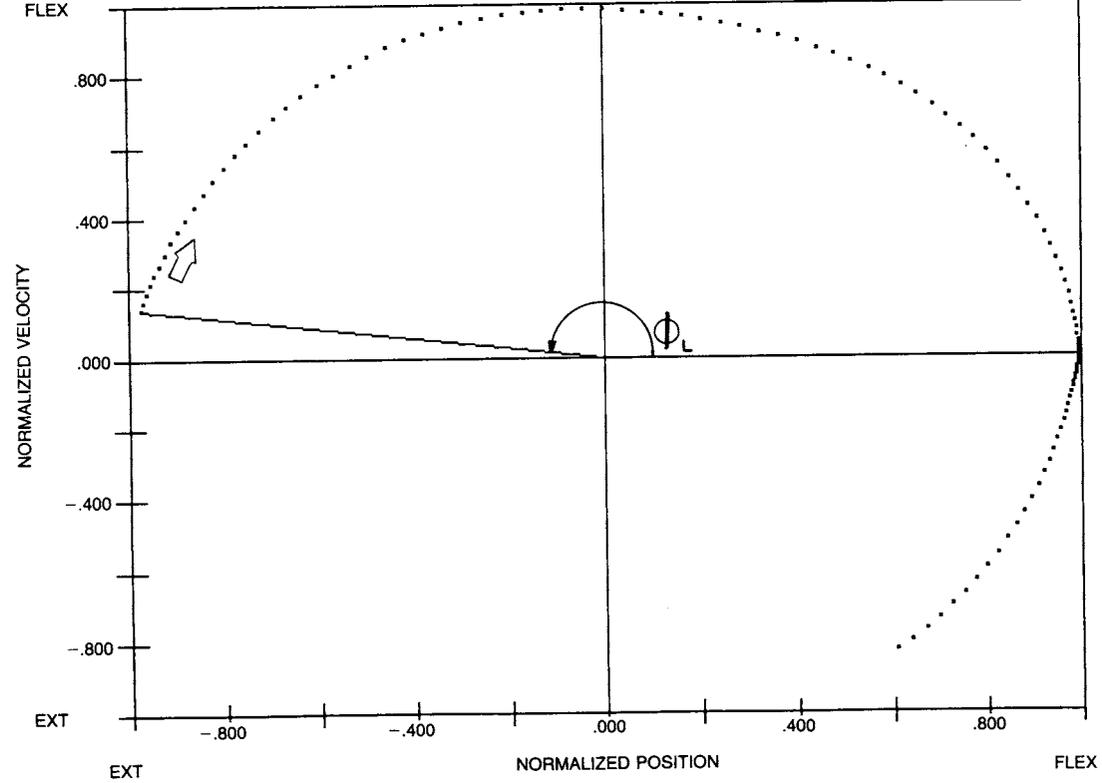


C. INDIVIDUAL SAMPLE ESTIMATE OF RELATIVE PHASE



data example (Scholz, 1990)

computation
of continuous
relative phase
(Scholz, 1990)



Pattern stability

- instability: anti-phase pattern no longer persists
- thus: even though mean pattern is unchanged up to transition, its stability is lost
- => stability is an important property of coordination patterns, that is not captured by the mean performance alone

Measures of stability

- variance: fluctuations in time are an index of degree of stability
- stochastic perturbations drive system away from the coordinated movement
- the less resistance to such perturbations, the larger the variance

Measures of stability

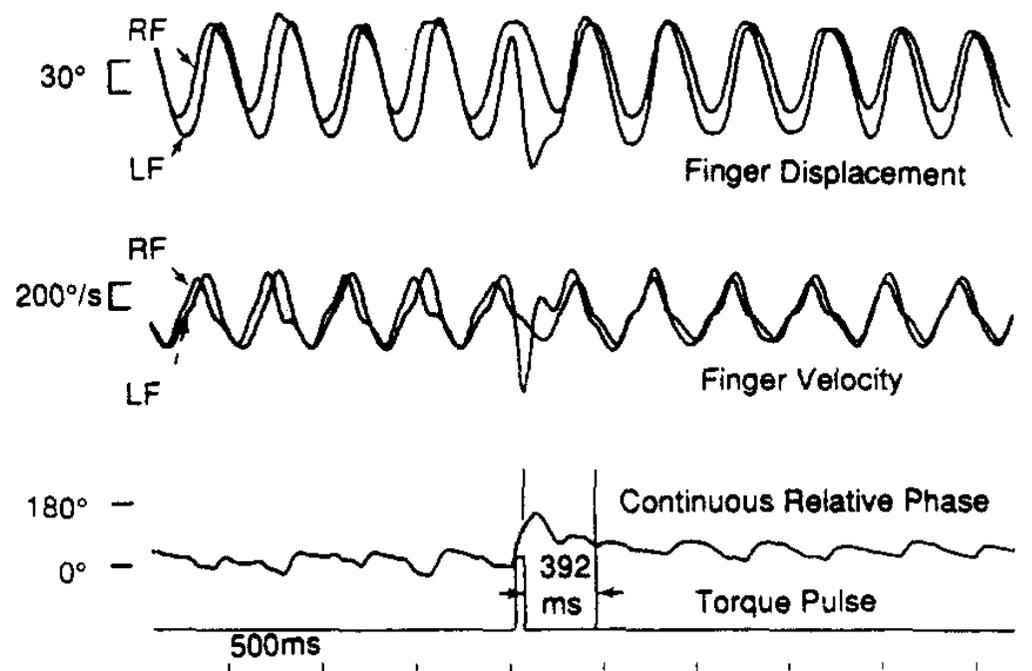
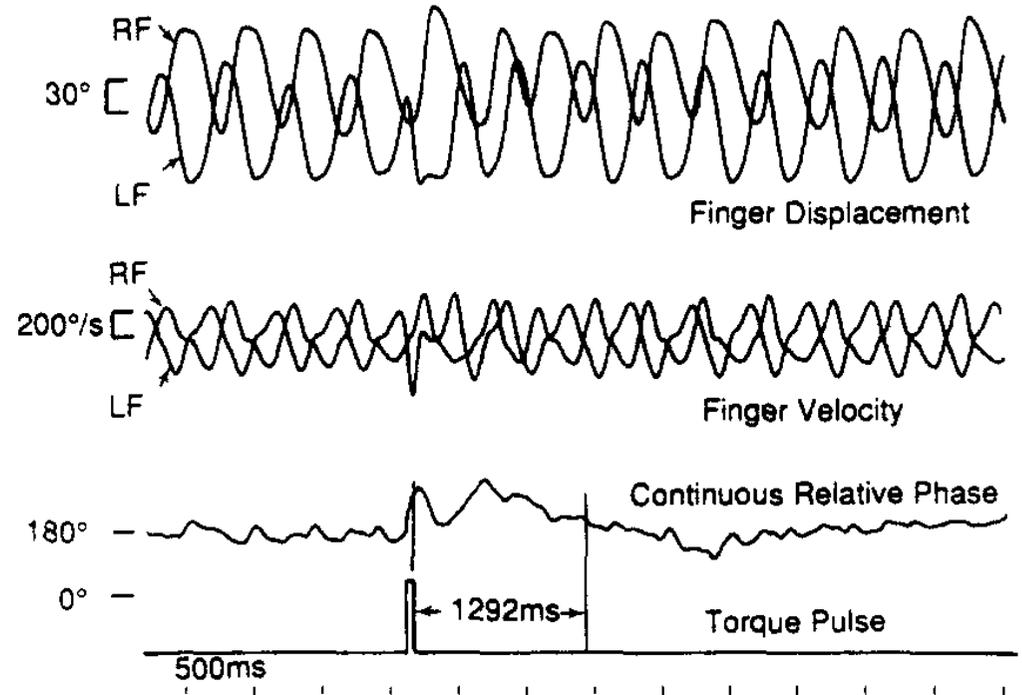
■ relaxation time

- time need to recover from an outside perturbation

- e.g., mechanically perturb one of the limbs, so that relative phase moves away from the mean value, then look how long it takes to go back to the mean pattern

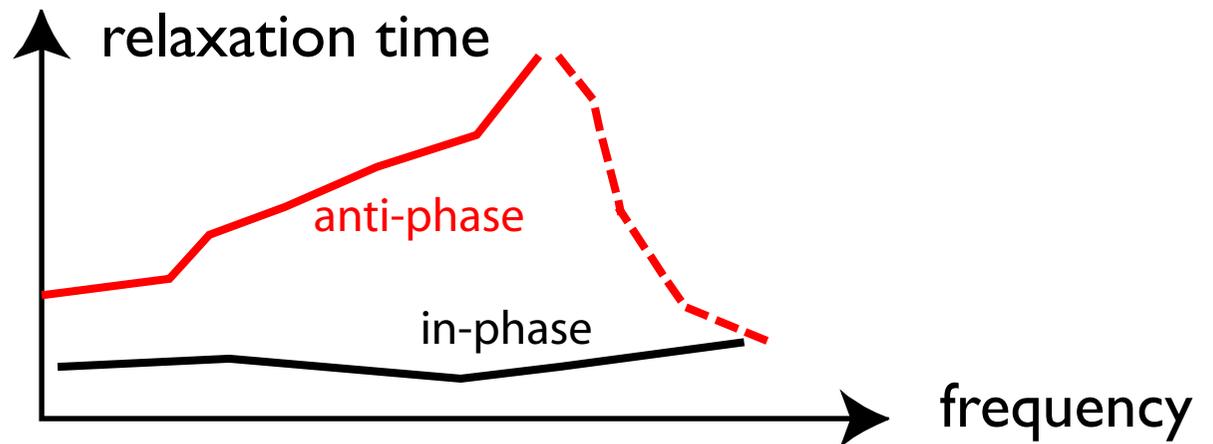
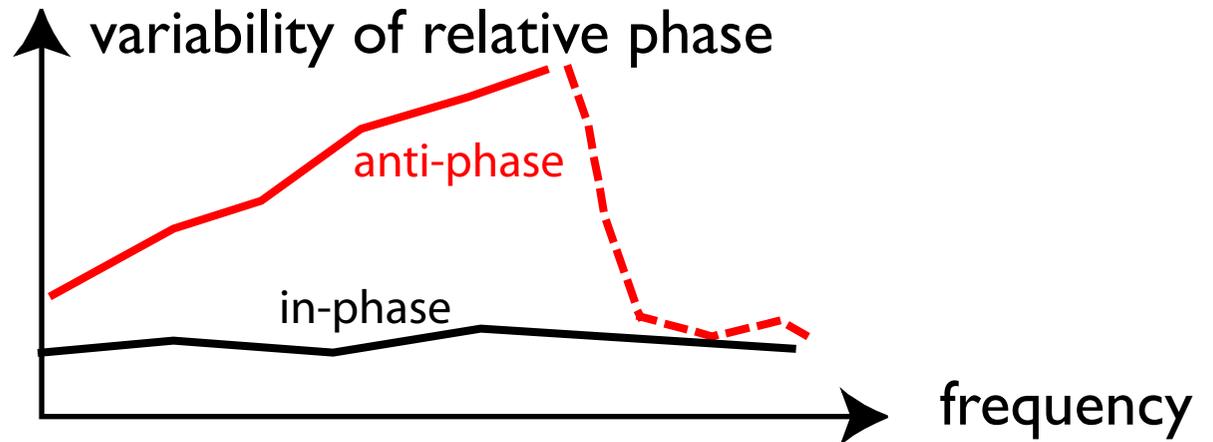
- the less stable, the longer relaxation time

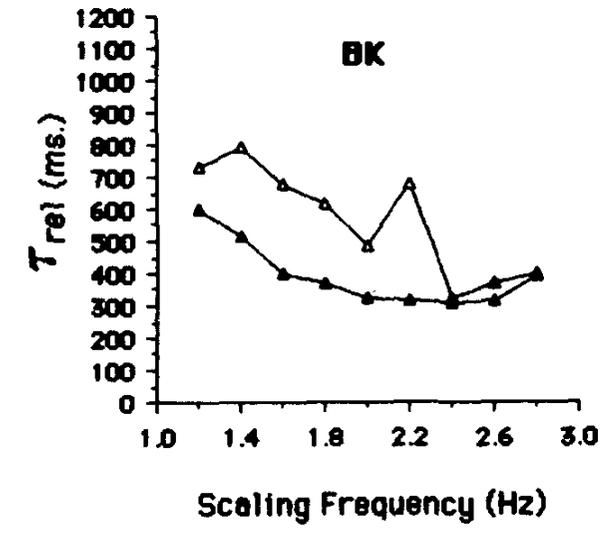
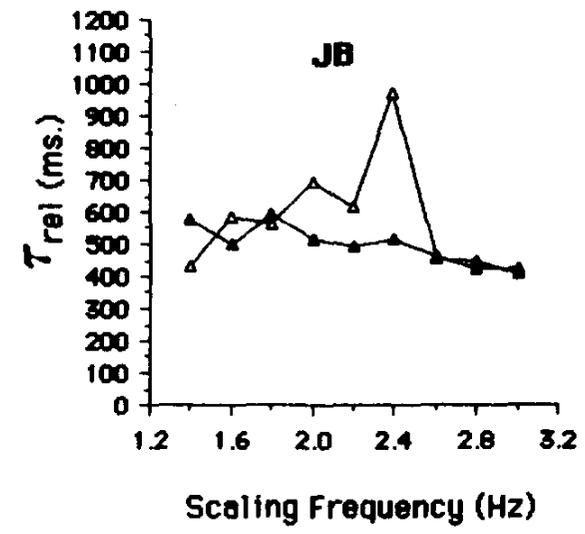
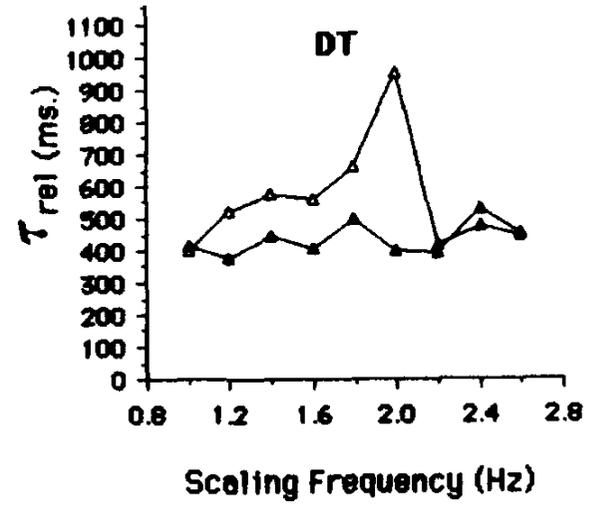
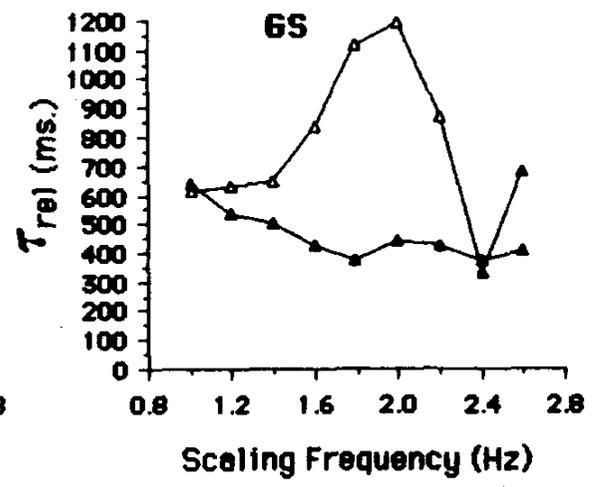
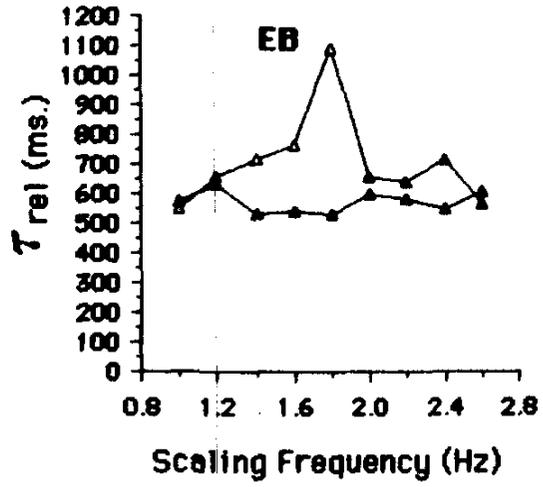
data example
perturbation of
fingers and
relative phase



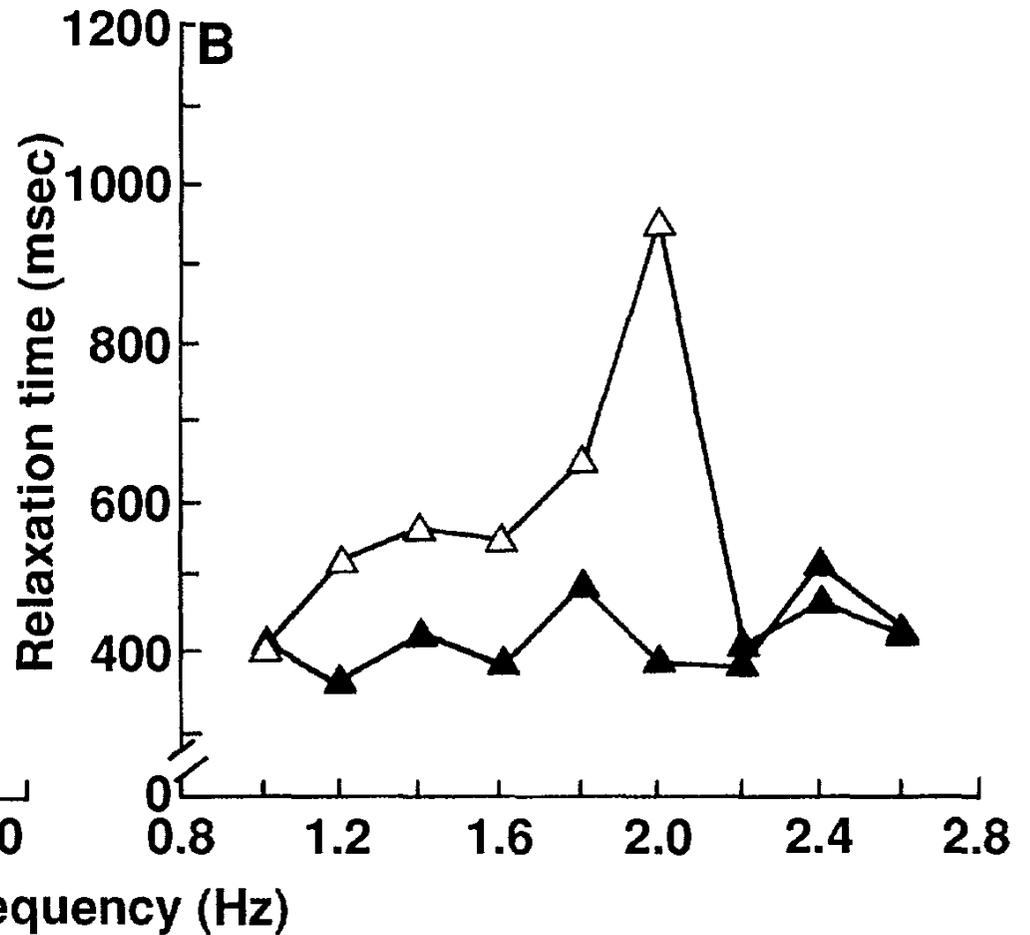
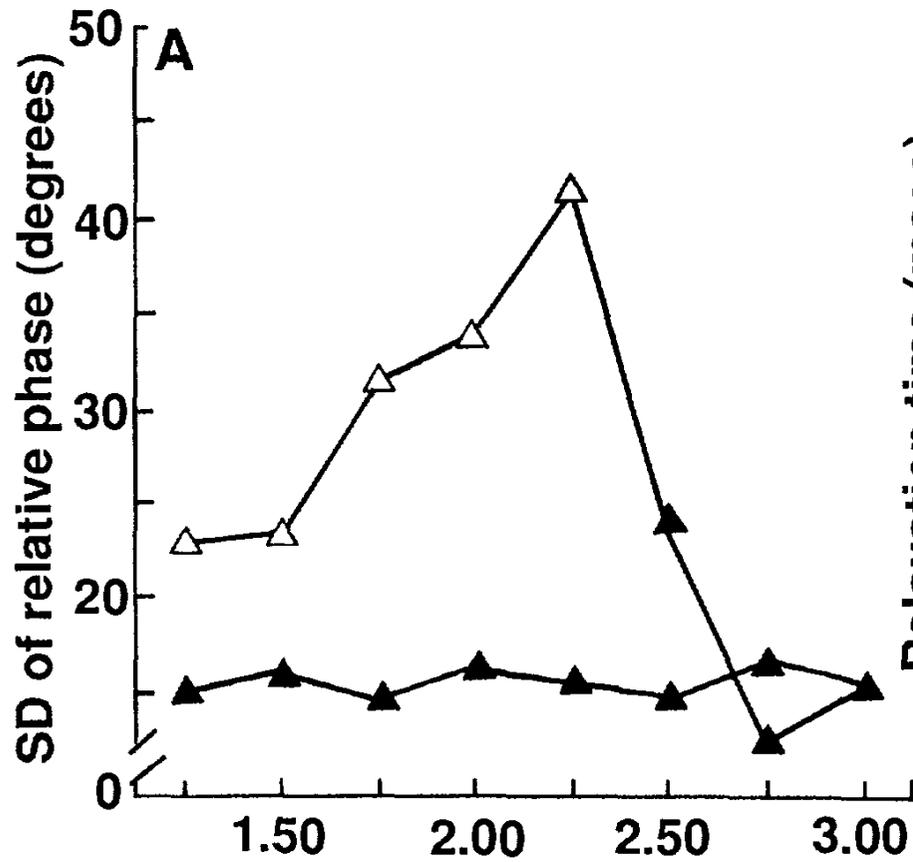
Signatures of instability

- loss of stability indexed by measures of stability





relaxation times, individual data



data (averaged across subjects)

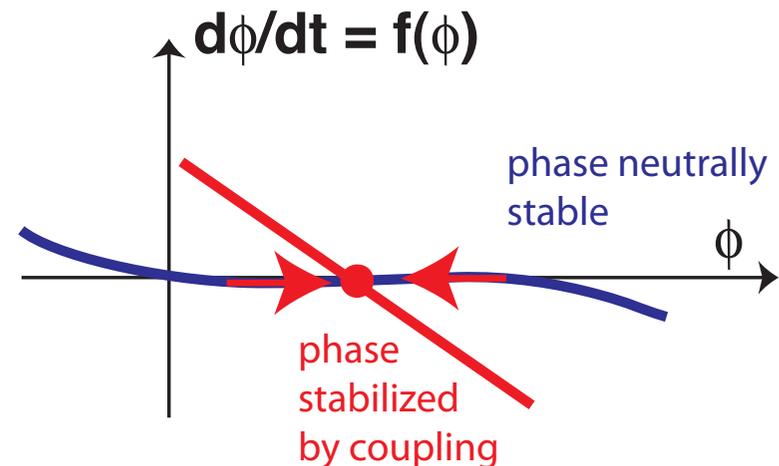
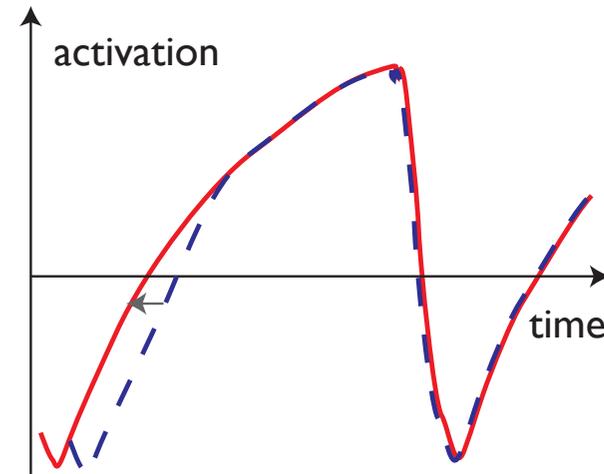
Schöner, Kelso (Science, 1988)

Neuronal basis of the two basic patterns

- rhythmic movement patterns are driven by neuronal oscillators
- their excitatory interaction leads to in-phase
- their inhibitory interaction leads to anti-phase

Movement timing

- coordination=stable relative timing emerges from coupling of neural oscillators
- marginal stability of phase enables stabilizing relative timing while keeping trajectory unaffected

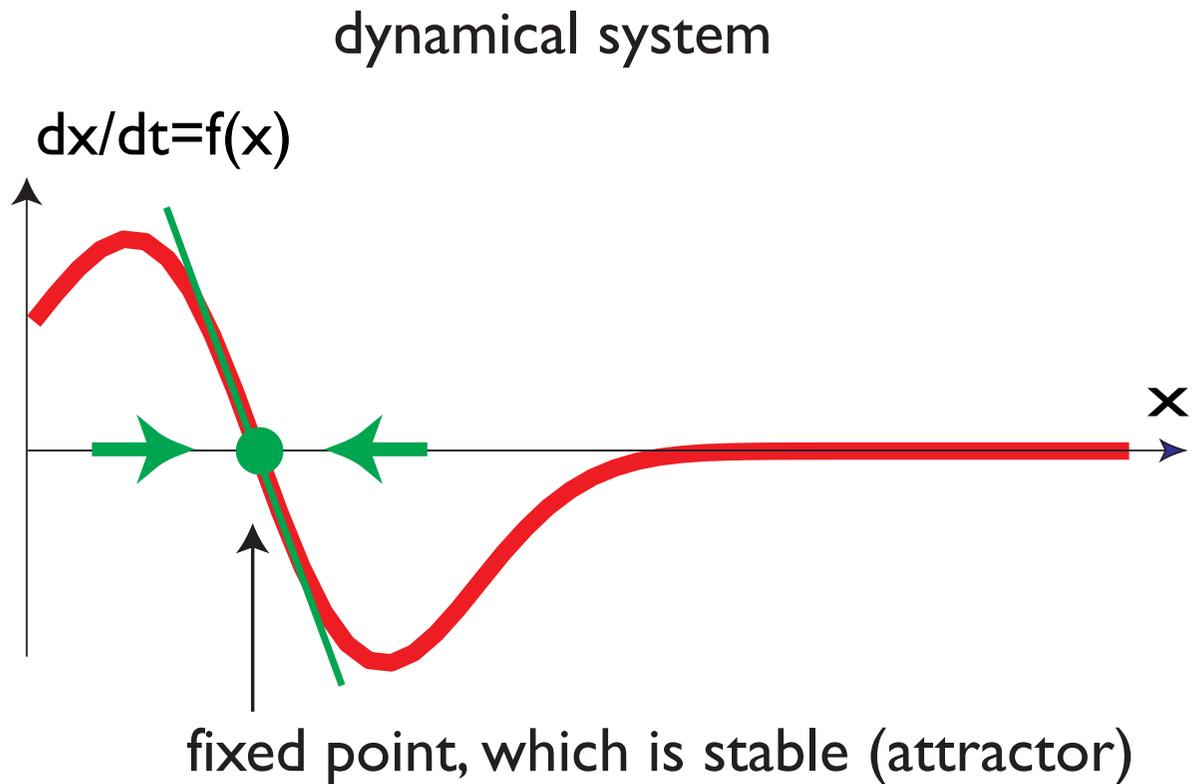


Dynamical systems account of instability

- coordination patterns are stable states
- stability may vary and may be lost
- instability leads to pattern change

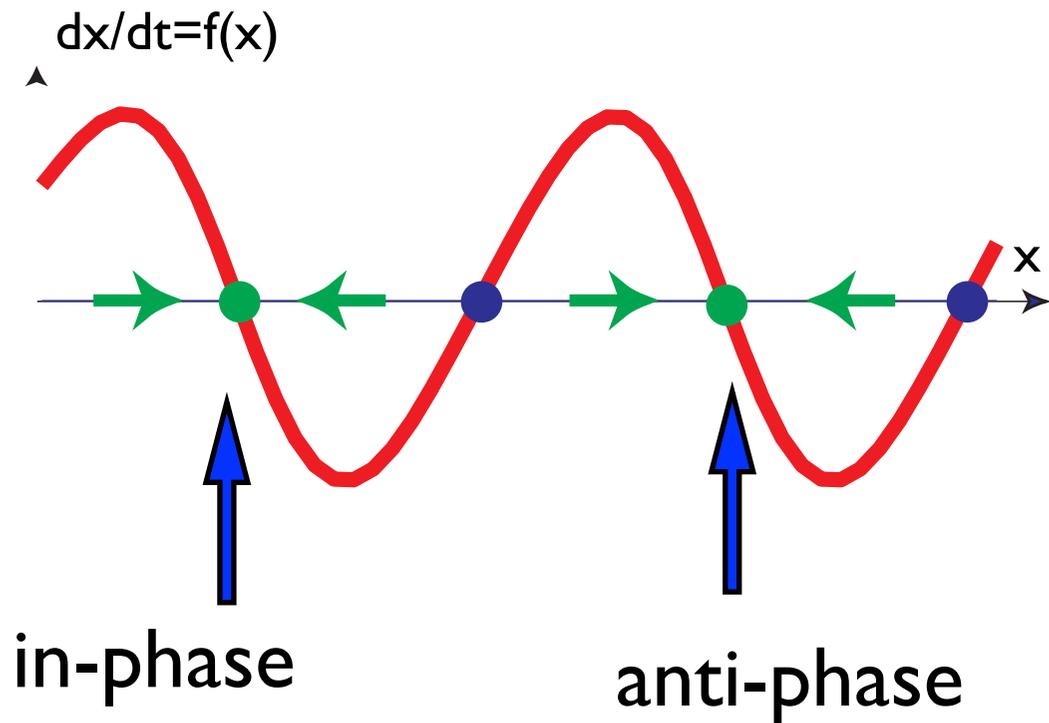
Dynamical systems account of instability

- state of dynamical system x = relative phase



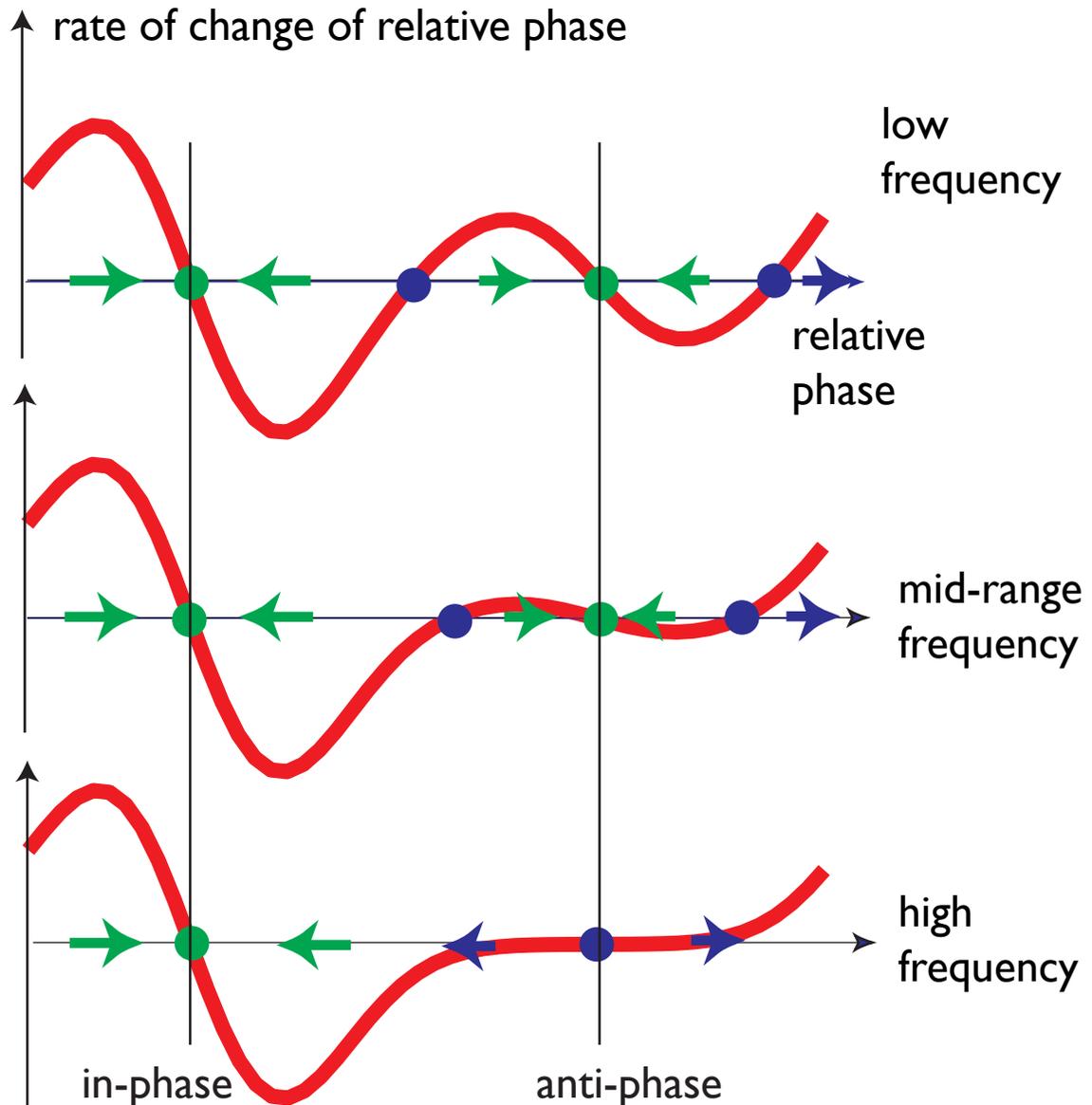
Dynamical systems account of instability

- at low frequencies this system is bistable



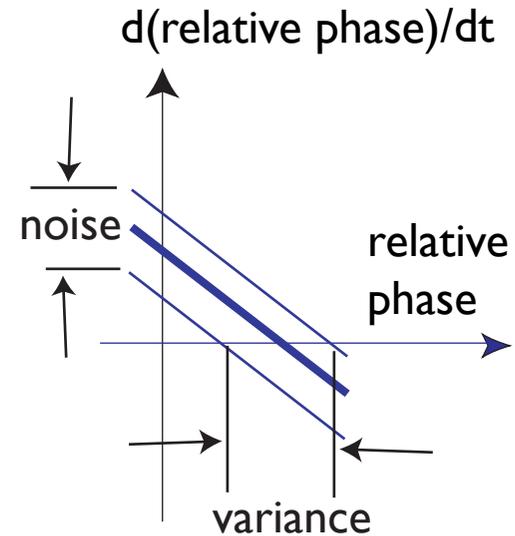
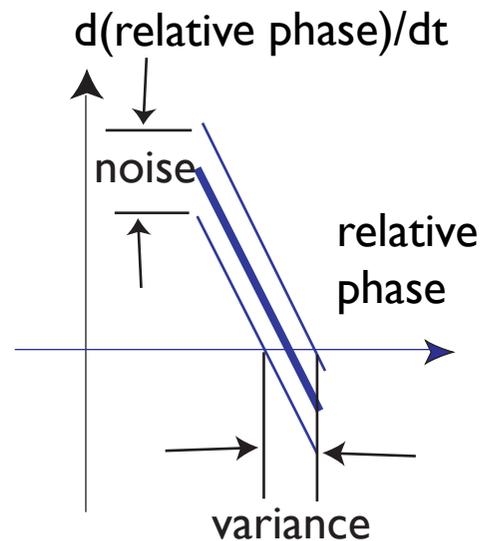
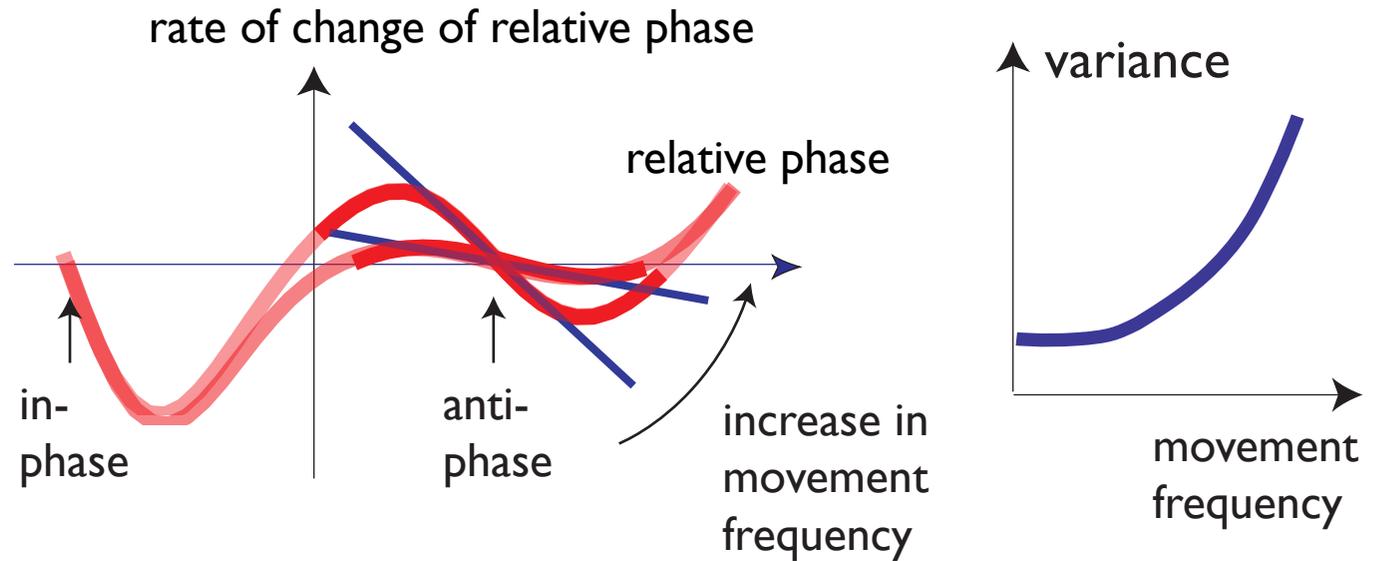
Dynamical systems account of instability

■ at increasing frequency stability of anti-phase is lost



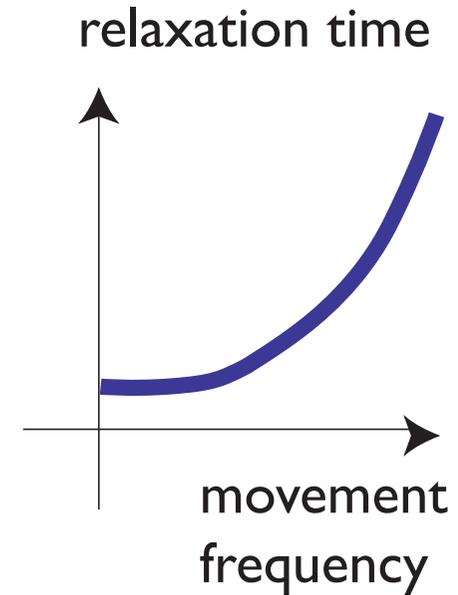
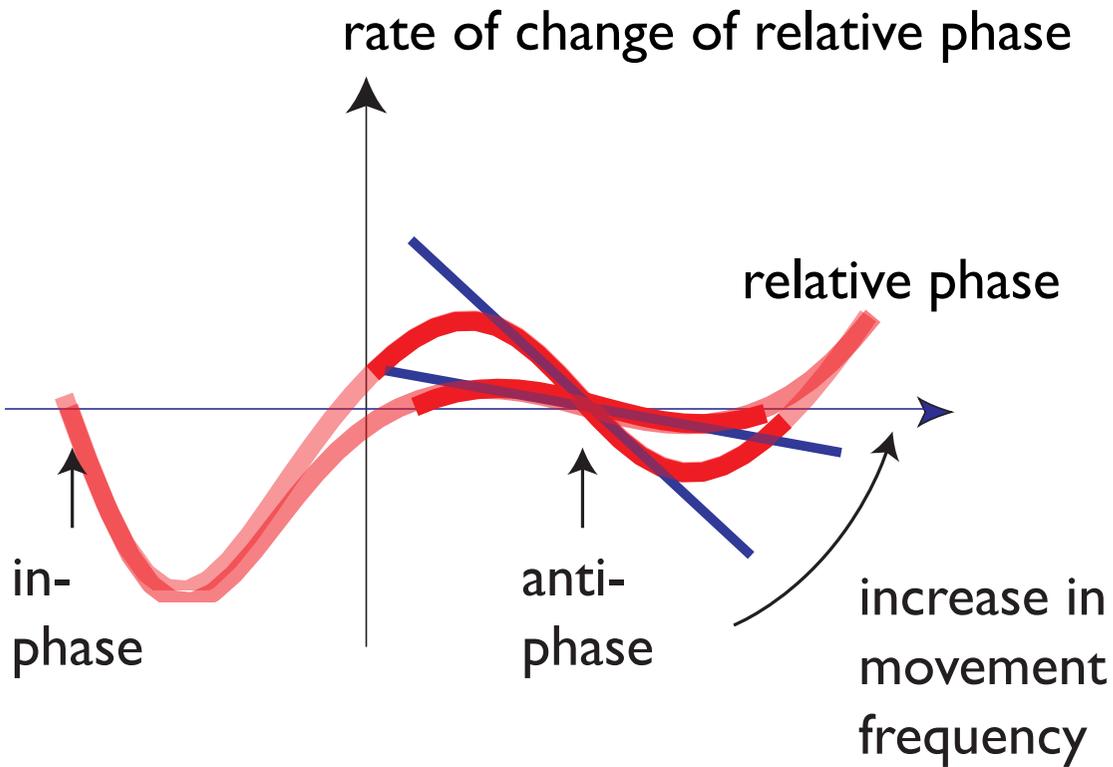
Predicts increase in variance

■ “critical fluctuations”



Predicts increase in relaxation time

“critical slowing down”



Conclusion

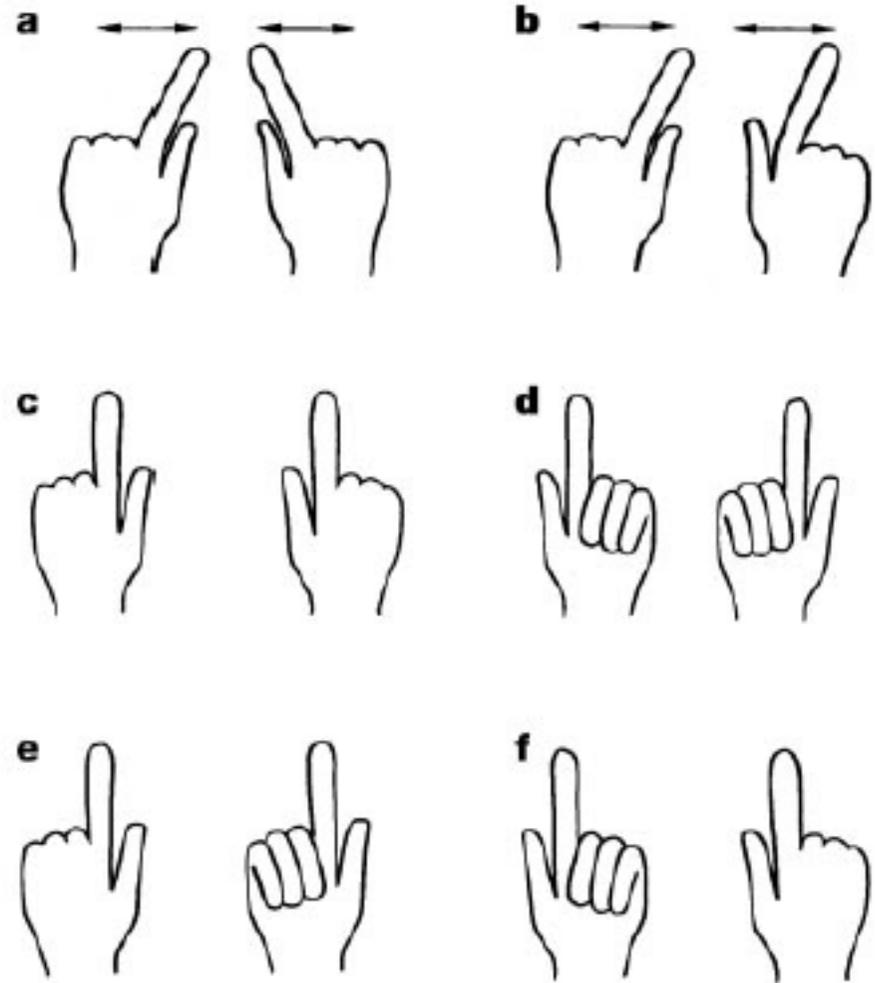
- to understand coordination patterns, we need to understand the underlying coordination dynamics
- = stabilization mechanisms
- and their strength
- from which the mean pattern **emerges**

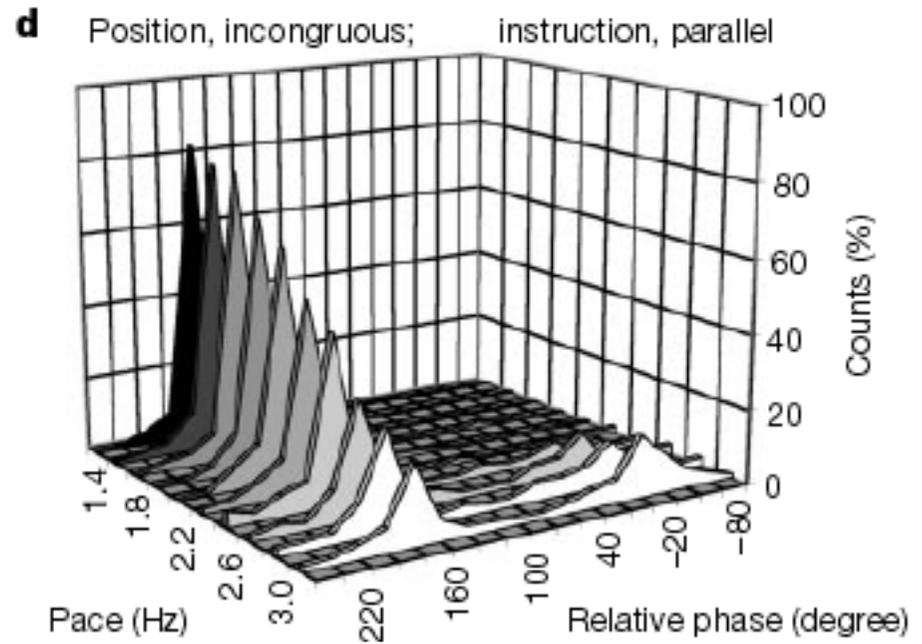
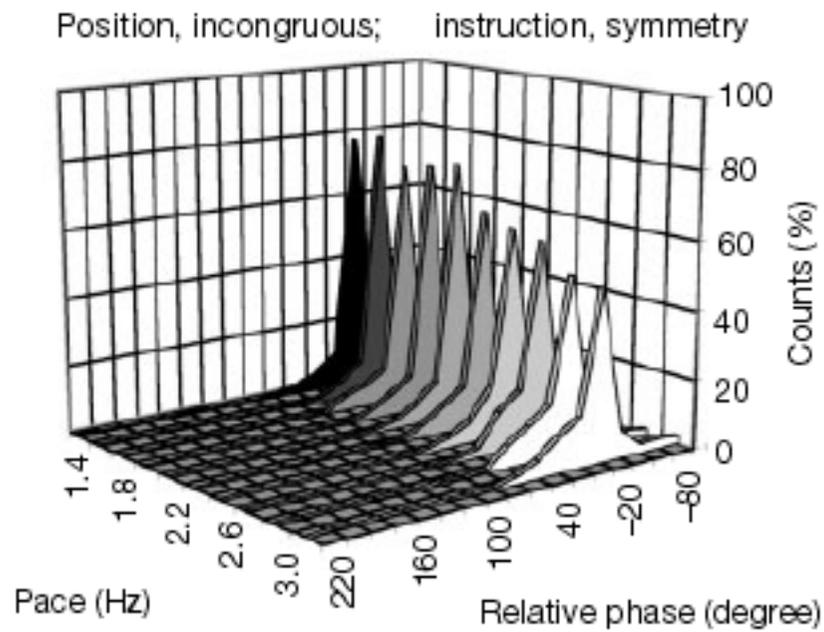
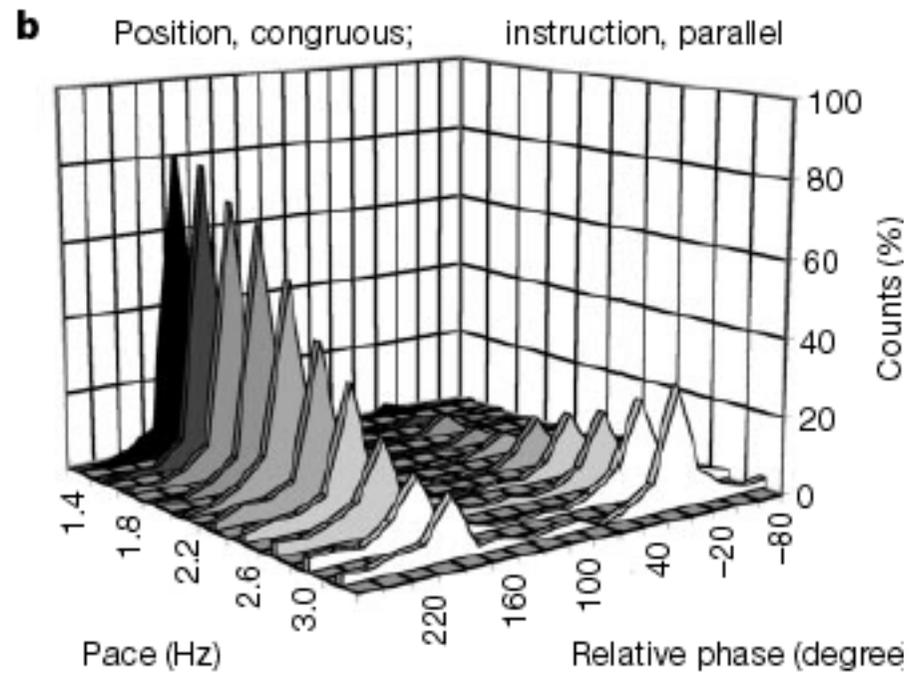
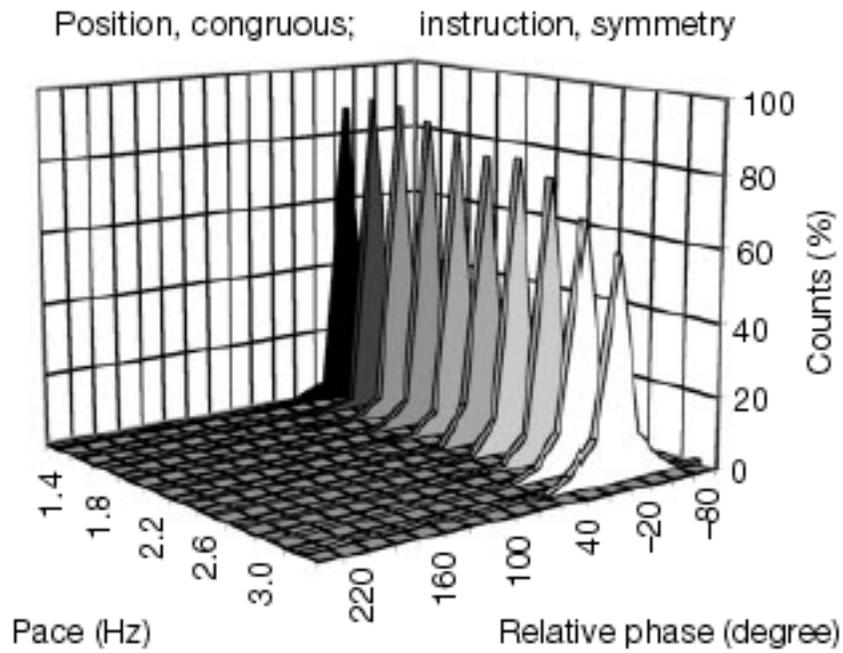
What level does the instability of coordination come from?

- from peripheral motor control?
- from central motor control?
- from perceptual representations of movement?

What level does instability come from?

Is the instability tied to the motor system?



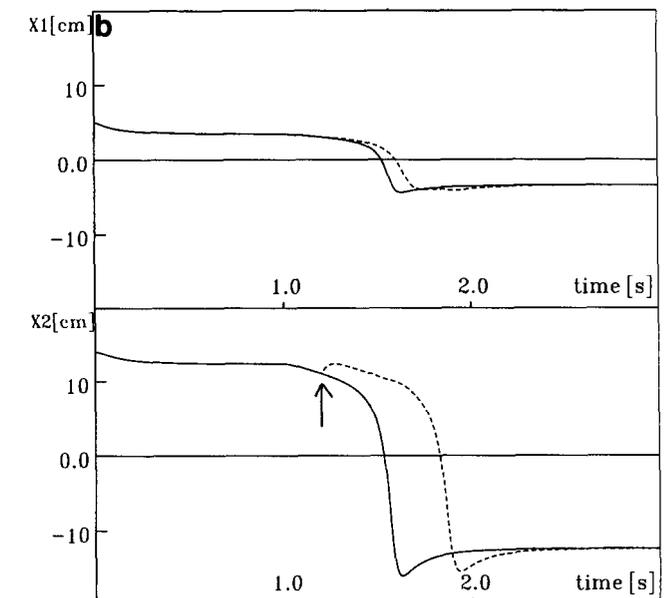
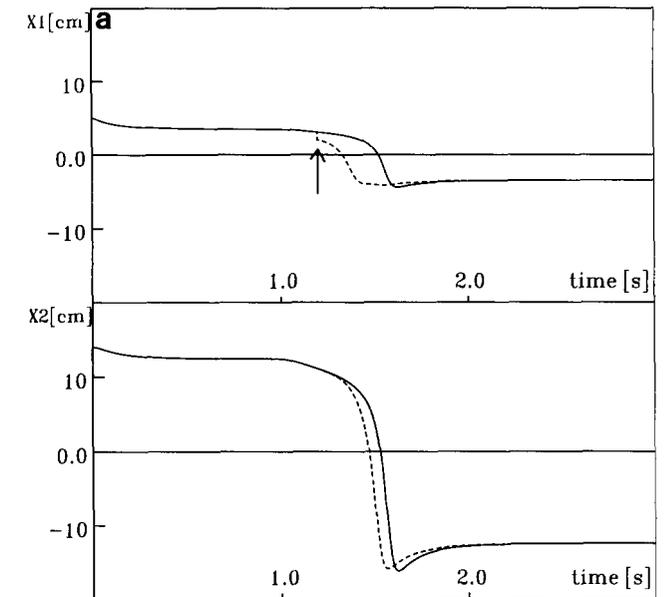


=> coordination in space

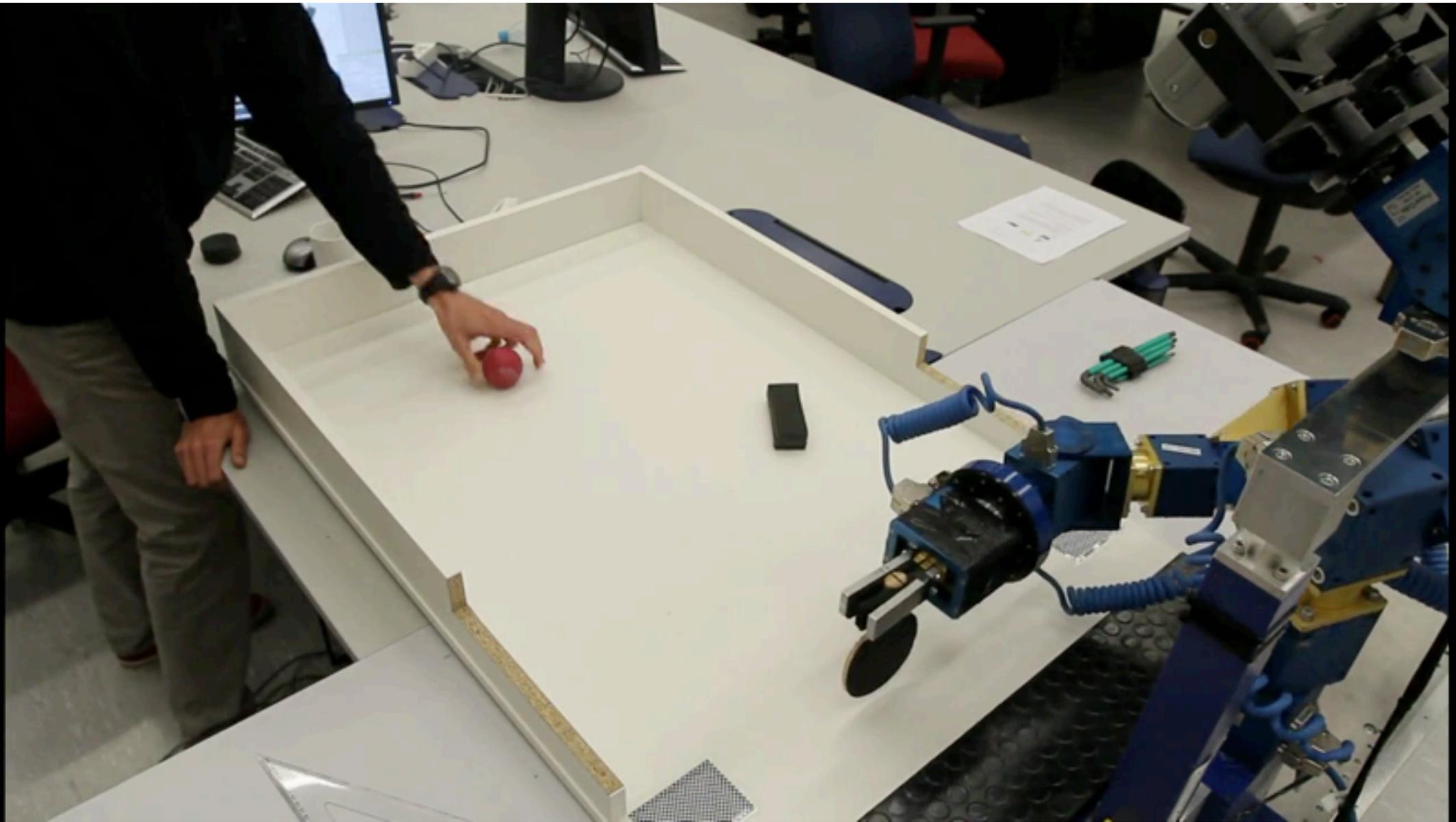
- rather than in effector space
- so coordinated oscillators are central
- rather than peripheral

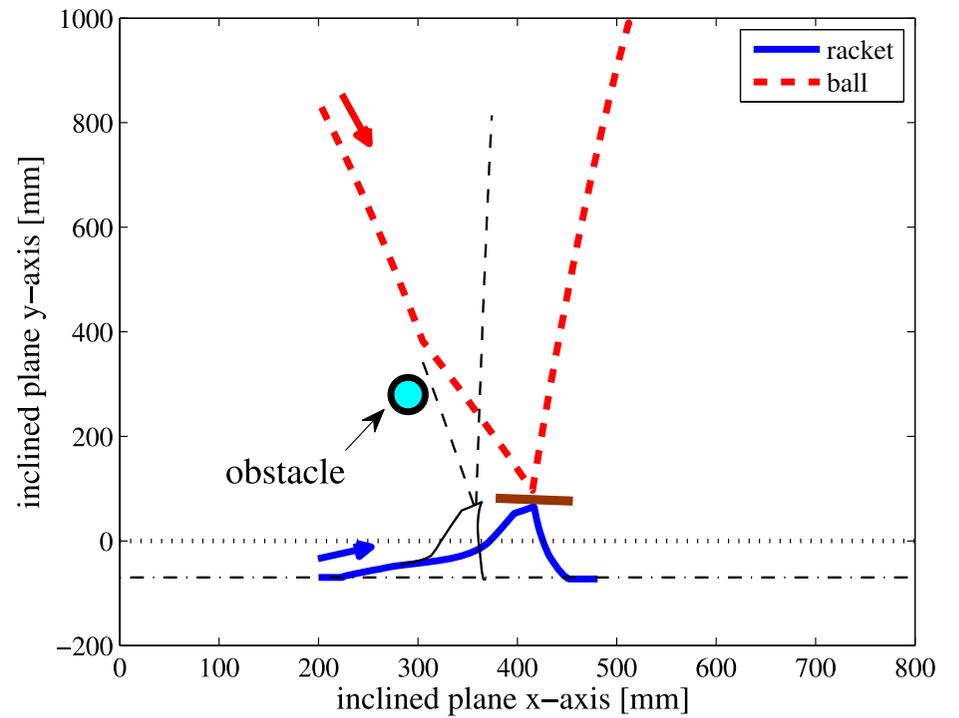
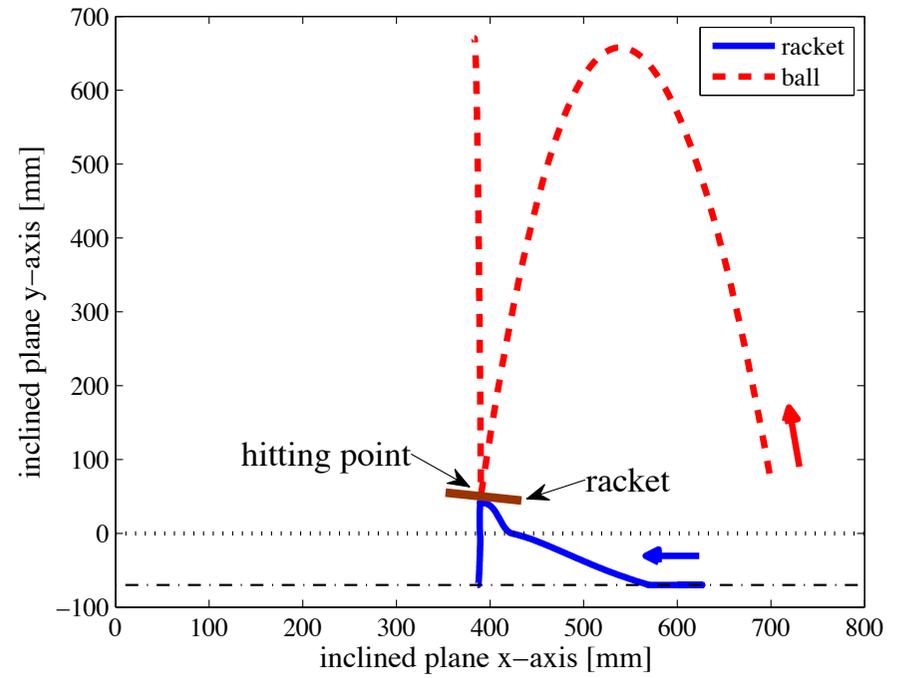
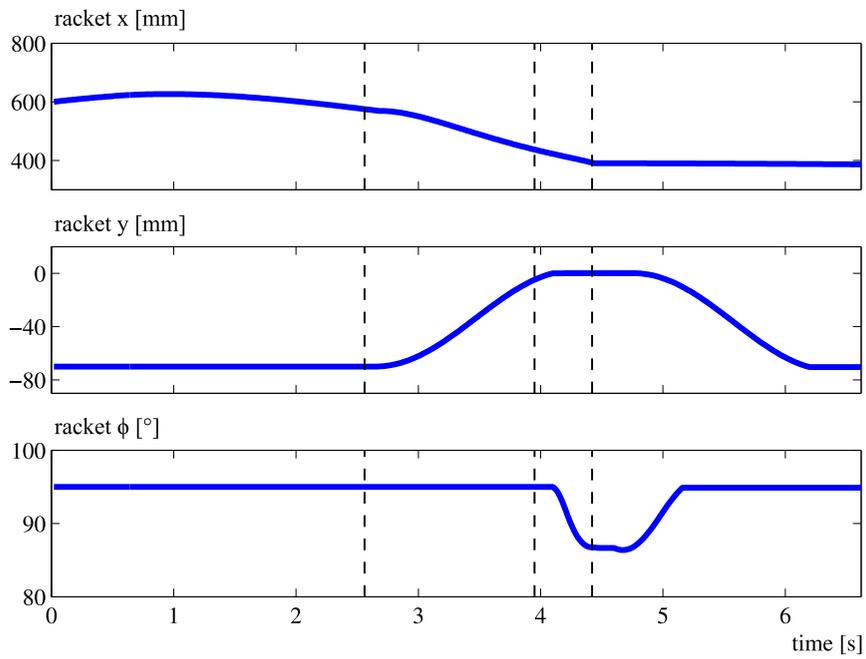
Coordination of discrete movement

- coupling can account for coordination of discrete movement based on the idea that oscillator is “on” (stable) only for a cycle...
- back and forth components of rhythmic movement are driven by different neural populations
 - so even rhythmic movement coordination may exploit this mechanism of discrete movement coordination



Robotic demonstration: timed movement with online updating





[Oubbati, Richter, Schöner, 2013]

... deeper issue in timing...

- movement as relaxation to an attractor

- as in potential field approach

- as in old Kelso, Turvey conception

- as in the EP hypothesis?

- vs. movement being generated while system is in an attractor

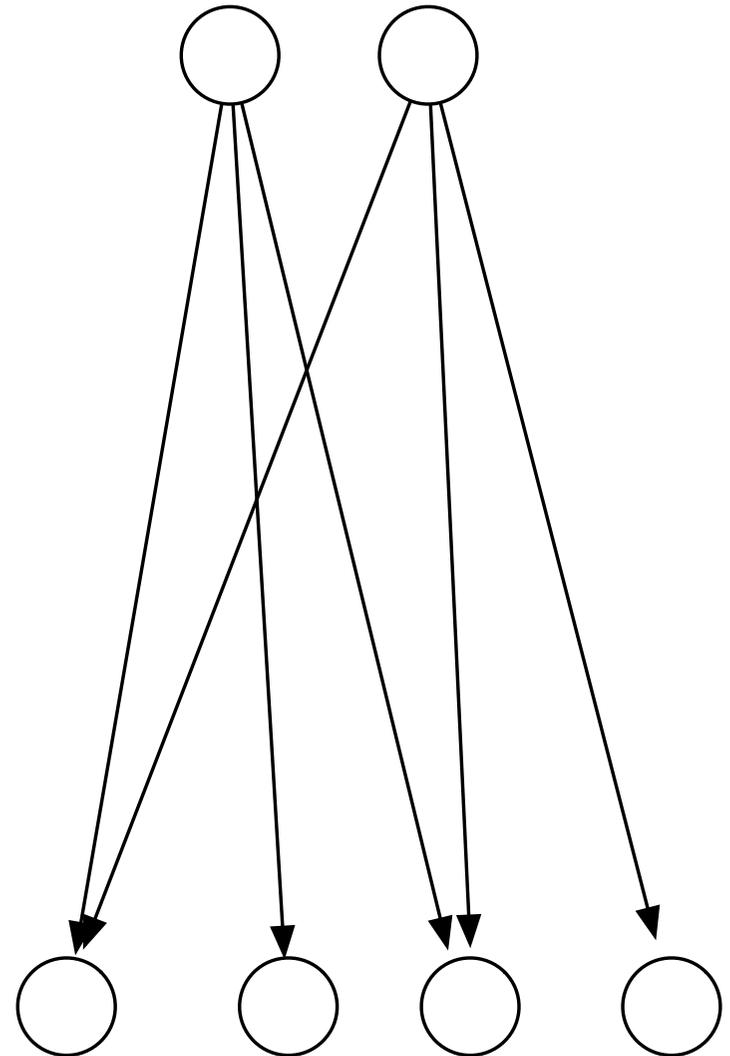
- as in the limit cycle picture

- as in the attractor dynamics approach for heading direction=velocity variable

next issue:

- linking the low dimensional timing signal (in space) to the high-dimensional space in which joints and muscles are controlled

motor commands



DoF/muscles